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# Search for SUSY in jets+ MET final state

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Tata inst. India

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# Outline

- **Introduction**
- **Analysis Strategy**
- **Background Estimation**
- **Results and Interpretation**

# Documentation

Notes:

**AN-15-003 or SUS-15-002**

PAS Twiki <https://twiki.cern.ch/twiki/bin/viewauth/CMS/PhysicsResultsSUS15002>

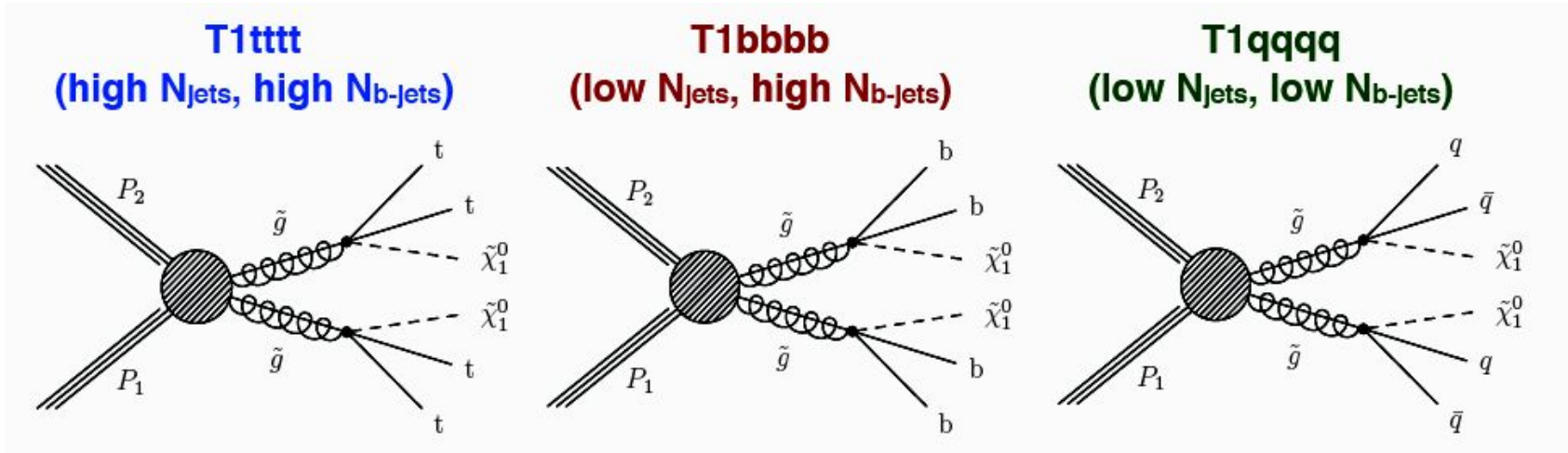
CADI link:

[Cadi link](#)

**Submitted to PLB**

# Introduction . . . signal models

- Amongst possible SUSY processes gluino pair production has largest cross section
- Large increase in cross section from 8TeV to 13 TeV
- Fully hadronic analysis targeting pair production of gluinos in the final state of jets + MET
- Signal models targeted are



# Introduction ... search variables

- Final state comprises jets, b-jets , missing energy and high transverse momentum
- So the search variables are  $H_T$  ,  $H_T^{\text{miss}}$  (MHT) ,  $N_{\text{jets}}$  ,  $N_{\text{b-jets}}$  defined as follows

Visible energy

$$H_T = \sum_{\text{jets}} |\vec{p}_T|$$

Energy of undetected particles

$$\text{MHT} = H_T^{\text{miss}} = \left| - \sum_{\text{jets}} \vec{p}_T \right|$$

Missing energy

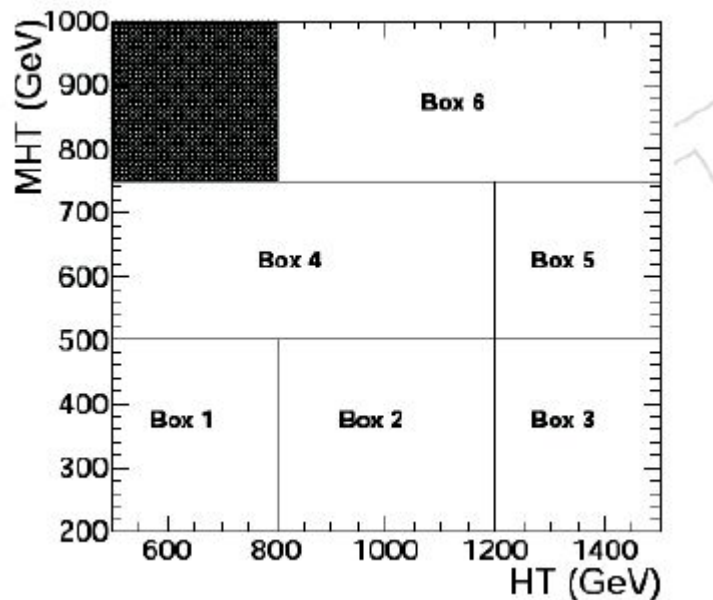
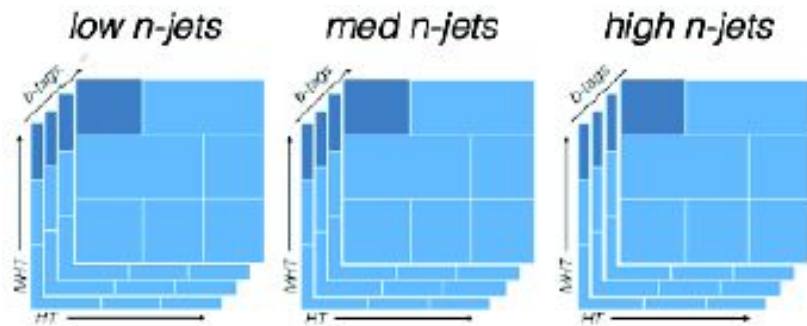
# Analysis Strategy . . . Baseline for bkg rejection

- $H_T > 500 \text{ GeV}$
- $H_T^{\text{miss}} > 200 \text{ GeV}$
- $N_{\text{jets}} \geq 4$  , because signal models has minimum 4 jets
- $N_{\text{b-jets}} \geq 0$  , motivated by signal models
- $\Delta\Phi(\text{jet}_i, H_T^{\text{miss}}) > (0.5, 0.5, 0.3, 0.3)$  for  $i=1$  to 4 to reject QCD
- electron and muon veto, because we are doing all hadronic search
- Isolated track veto , rejects W/top events that fails lepton veto

# Analysis Strategy .. binning

**3 ( $N_{\text{jets}}$ ) X 4 ( $N_{\text{b-jets}}$ ) X 6 (HT/MHT) = 72 bins total**

- $N_{\text{jet}}$ : 4–6, 7–8,  $\geq 9$ ;
- $N_{\text{b-jet}}$ : 0, 1, 2,  $\geq 3$ ;
- $H_T$ : 500–800, 800–1200,  $\geq 1200$  GeV;
- $H_T^{\text{miss}}$ : 200–500, 500–750,  $\geq 750$  GeV.



# Background composition

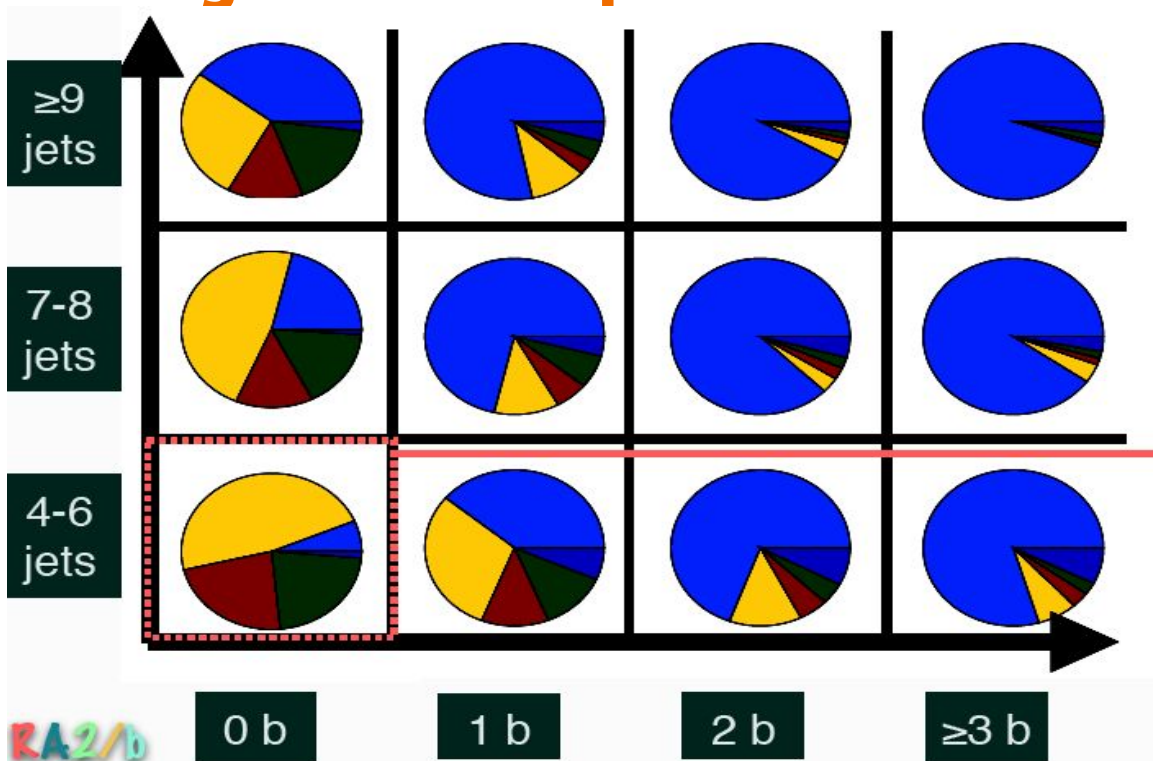


diagram: Jack Bradmiller feld



# Introduction . . . to backgrounds

- Background estimation methods are very important

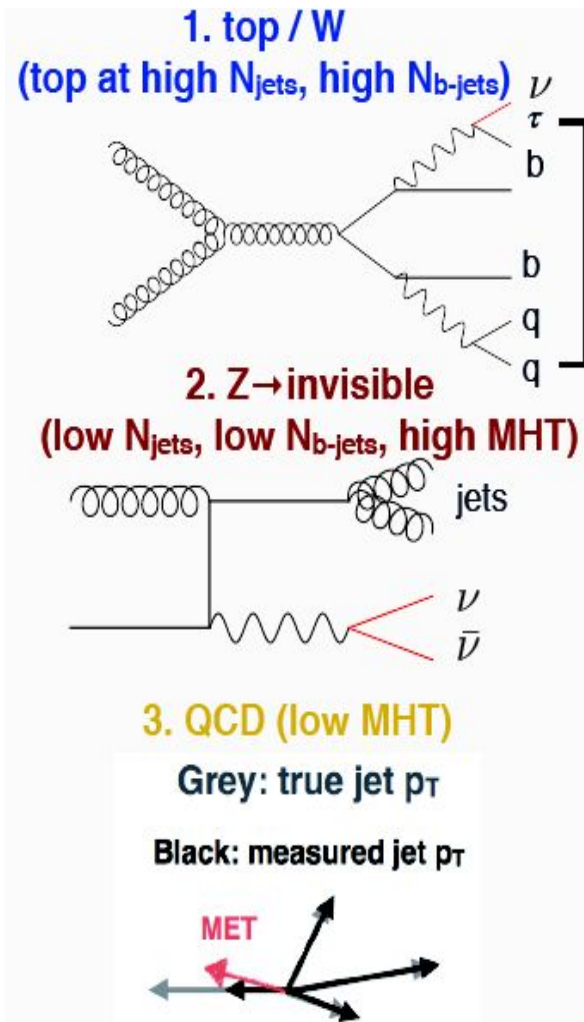
In this analysis ,

- **W+jets/ top back ground** : Enters search region when one of the lepton is either **out of acceptance**, **not reconstructed** or **not isolated**

- **Z ( to neutrino) + jets back ground: irreducible**
- **QCD background:** because it has **Fake MET**

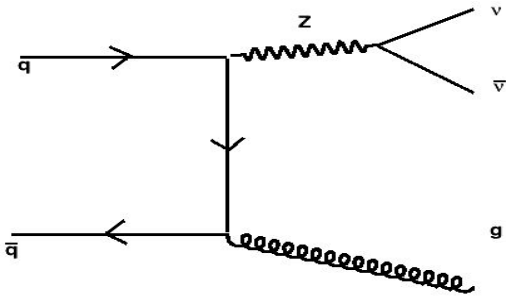
because jet energy is mismeasured ,

$\Delta\Phi(\text{jet}, H_T^{\text{miss}})$  will be small for QCD events



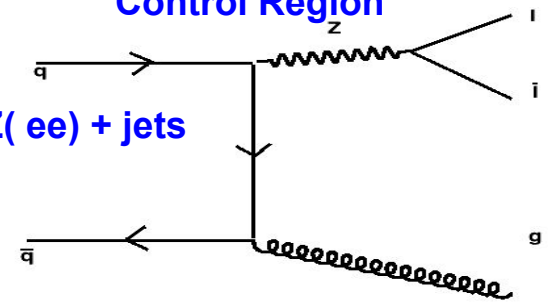
# Z (to invisible)+ jets background

Z ( $\nu\bar{\nu}$ )+ jets



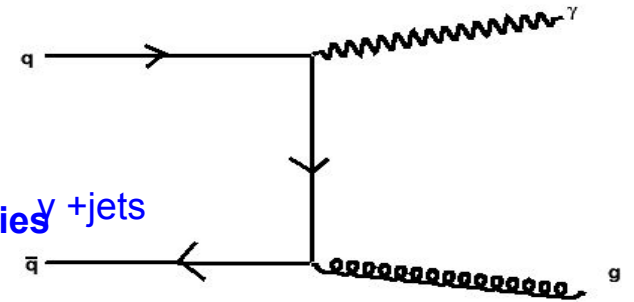
Control Region

Z (ee) + jets



$$N_{Z\nu\nu}^{\text{Prediction}} = R_{Z/\gamma} * N_{\gamma+\text{jets}}^{\text{data}} = R_{Z/Z(\text{ll})} * N_{Z(\text{ll})+\text{jets}}^{\text{data}}$$

- $\gamma$ +jets has large statistics ,but higher syst. uncertainties
- Z(ll)+jets has small statistics , but smaller syst. uncertainties
- So combine the two to make hybrid method



# Z to invisible background estimation -Hybrid

- For  $N_{b\text{-jets}} = 0$  use photon +jets method, 18 bins = 6 (HT/MHT) x 4 (Njet)
- For  $N_{b\text{-jets}} > 0$  use extrapolation factors from Zll control sample

## Photon +Jets Method:

$$N_{Z\nu\nu}^{\text{Prediction}} = R_{Z/\gamma} * N_{Y+\text{jets}}^{\text{data}}$$

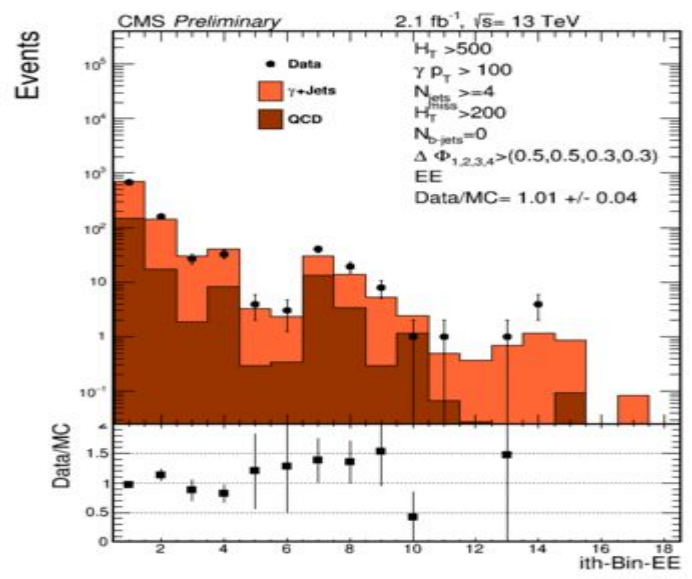
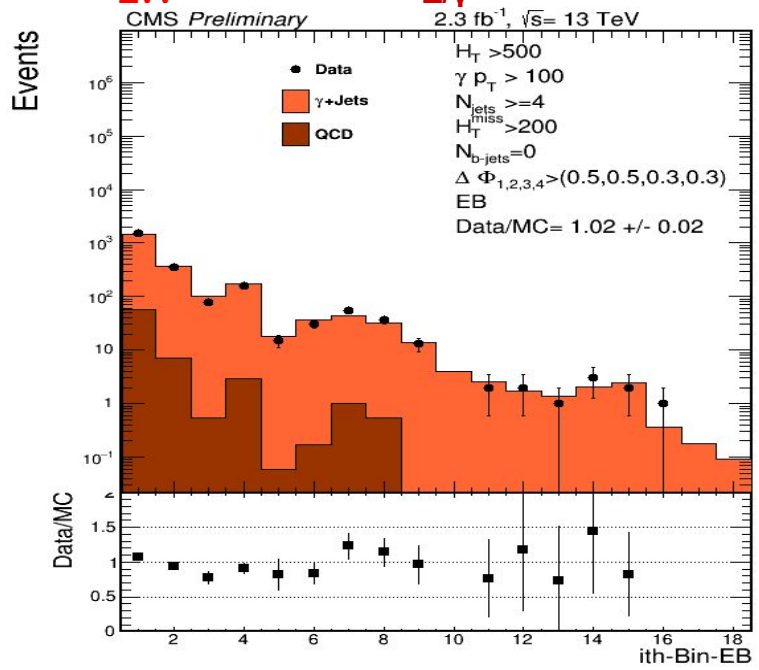
more accurately

$$N_{Z\nu\nu}^{\text{Prediction}} = R_{Z/\gamma} * DR * \text{Purity} * N_{Y+\text{jets}}^{\text{data}}$$

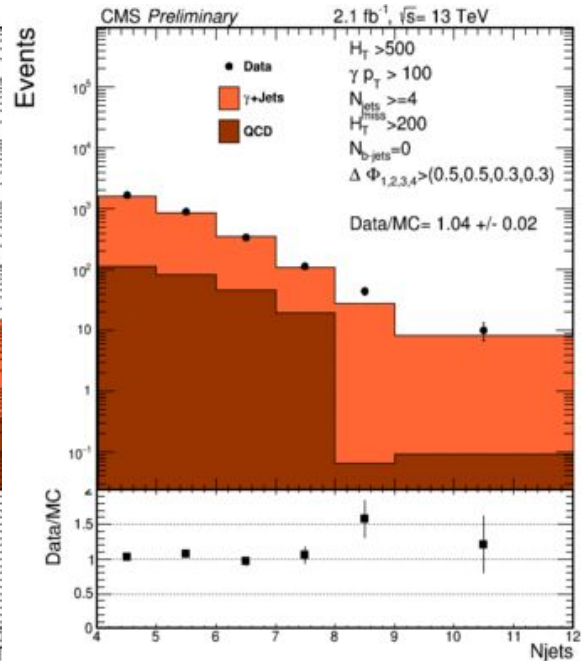
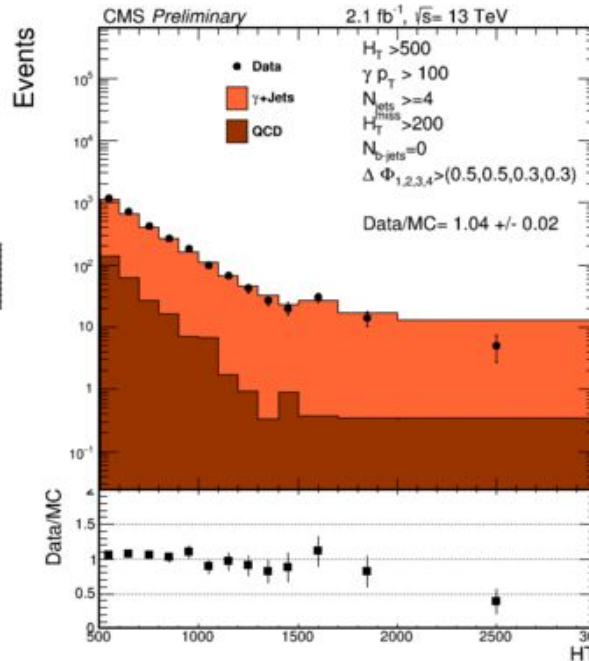
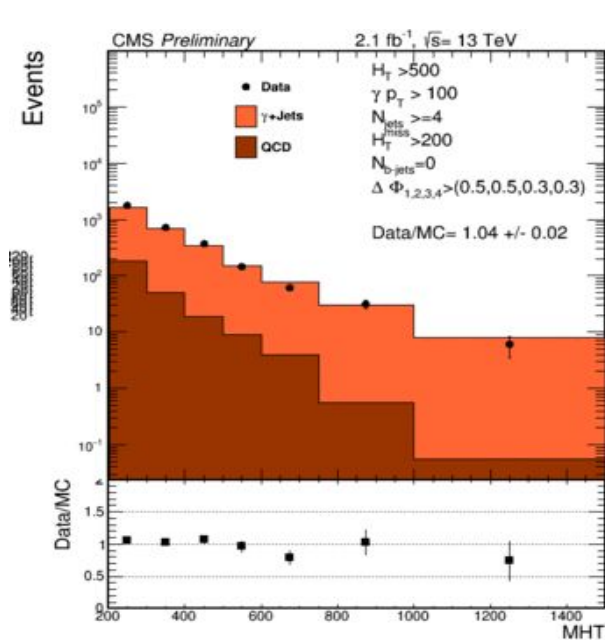
DR is the Ratio of  $R_{Z/\gamma}$  calculated in Data and MC or  $DR = R_{Z/\gamma}(\text{data}) / R_{Z/\gamma}(\text{MC})$

# Z to invisible (explain bin)background ..using Photon + jets

●  $N_{Z\nu\nu}^{\text{Prediction}} = R_{Z/\gamma} * DR * \text{Purity} * N_{\gamma+\text{jets}}^{\text{data}}$

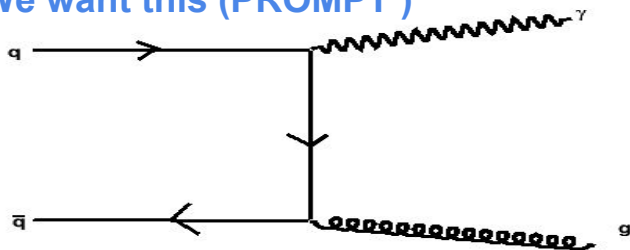


# Data/MC in search variables (control region)

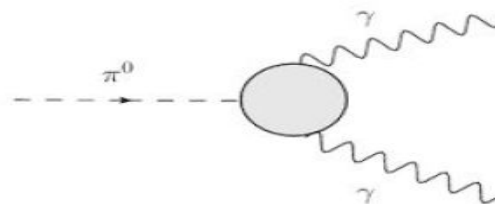


# Photon Purity (add bigger font for y)

We want this (PROMPT)

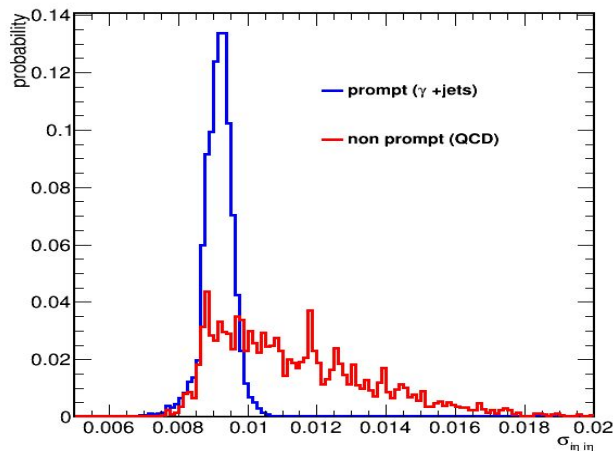


QCD gives this : contamination (NON Prompt)

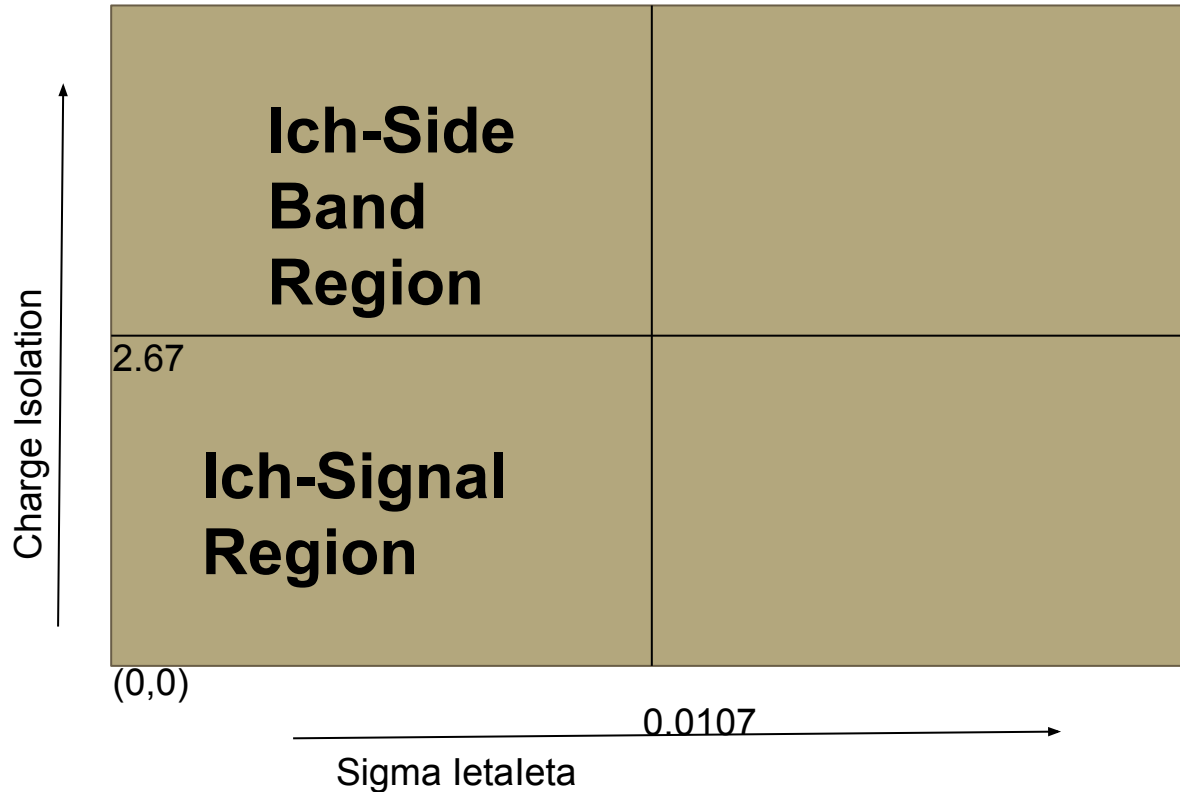


- $\sigma_{\text{inj}}$  distribution in the right

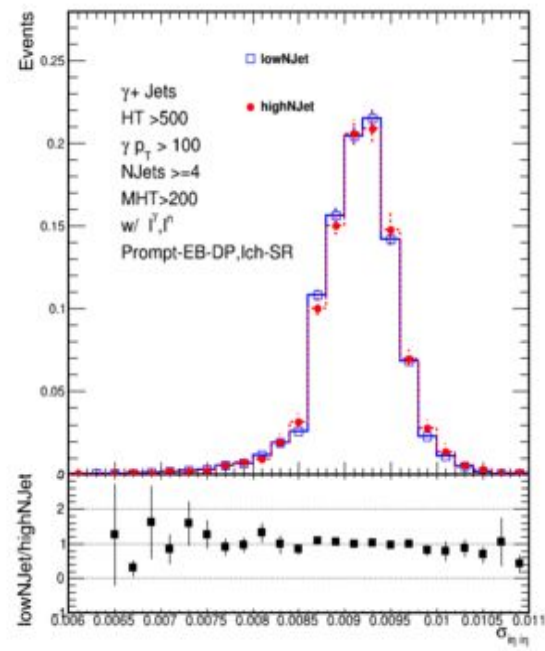
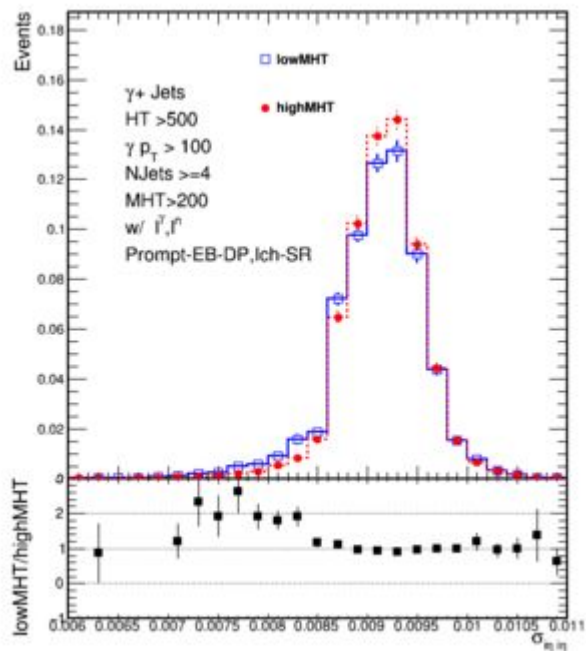
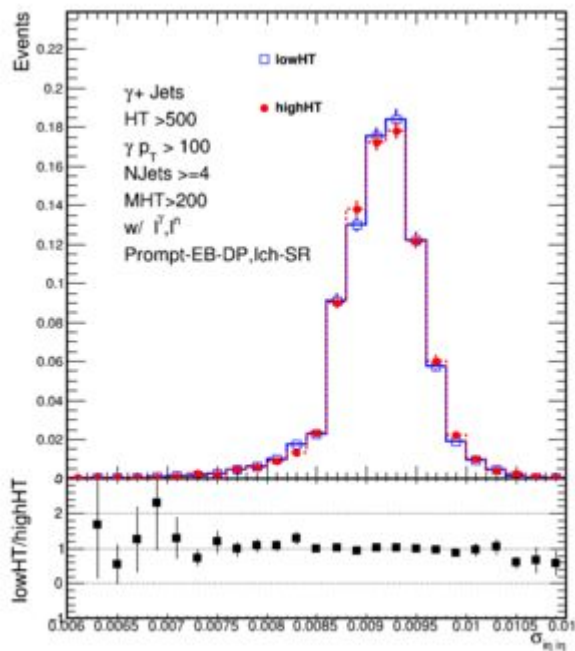
distinguishes between prompt  
and no prompt



# Charged Isolation Side Band and SR

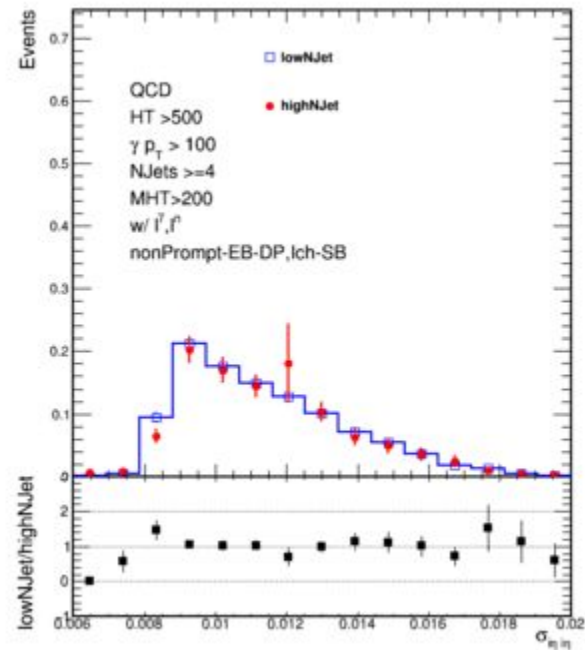
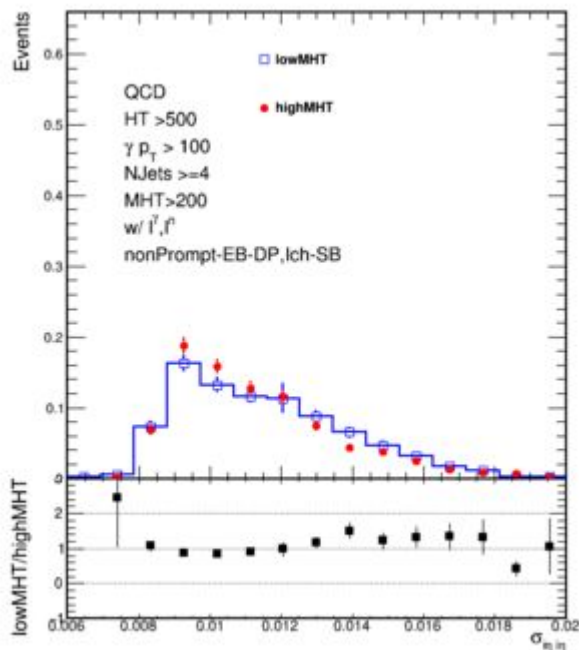
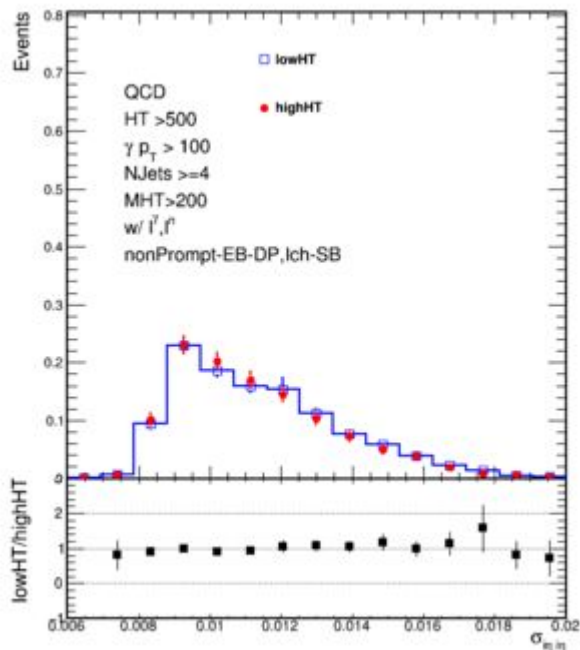


# Sigma lepton lepton behaviour, prompt, Barrel



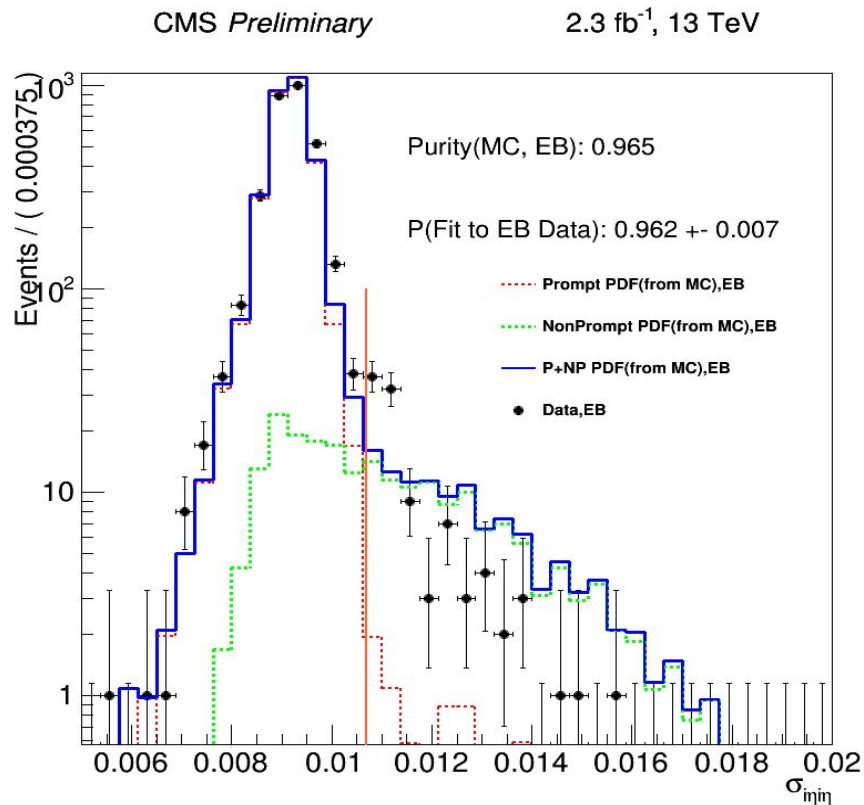


# Sigma leta leta behaviour, non prompt, barrel

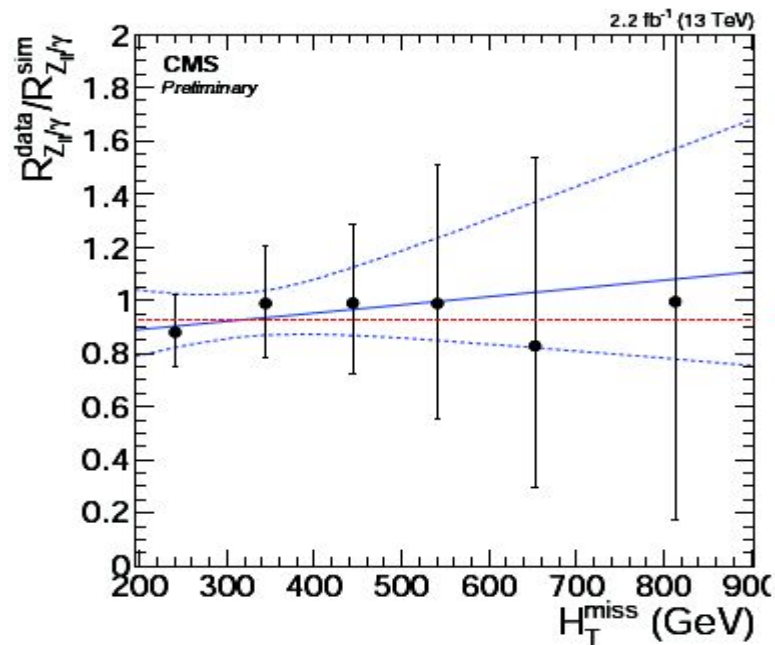
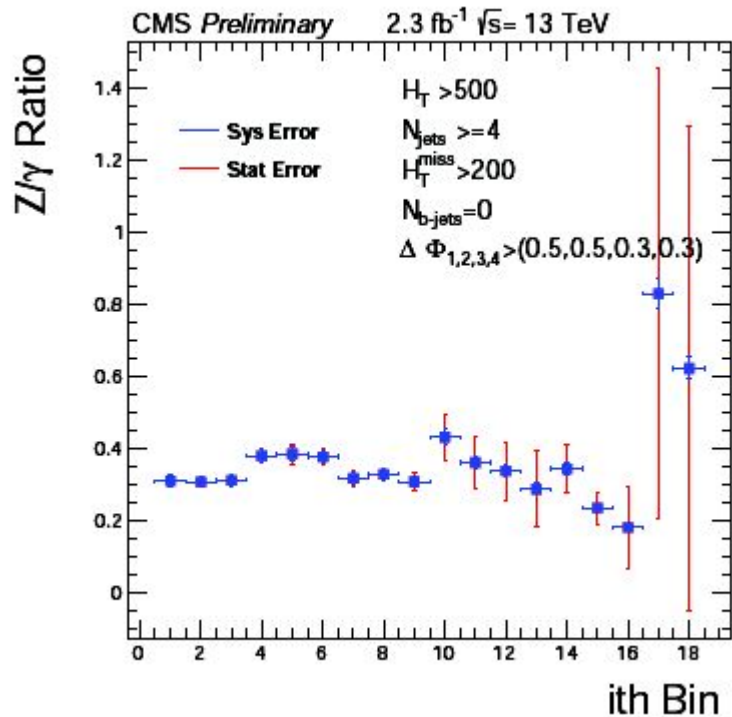


# Purity Fits

- Red dotted : Prompt pdf
- Green dotted: non prompt pdf
- Blue :  $F = \text{Prompt} * f + (1-f) * \text{nonPrompt}$
- Black dots are Data



# Z/Gamma Ratio, Double Ratio



# b-jet > 0

- Use Z ll data to get the b-jet distributions
- That gives you the probability of  $N_{\text{b-jets}}$  events from number of 0 b-jets events

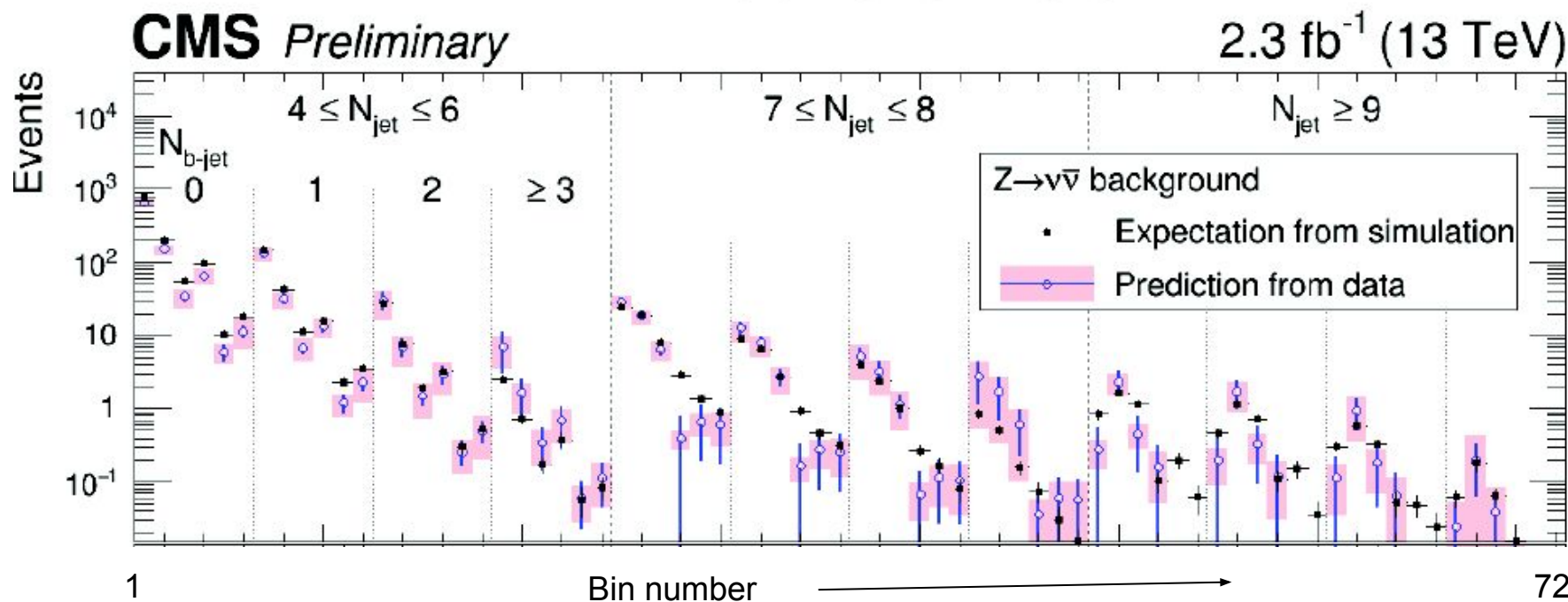
- $$N(Z \rightarrow \nu\bar{\nu})_{N_{\text{jet}}, N_{\text{b-jet}}}^{H_T, H_T^{\text{miss}}} = N_{Z \rightarrow \nu\bar{\nu}(\gamma + \text{jets})_{N_{\text{jet}}, 0}^{H_T, H_T^{\text{miss}}} \cdot \mathcal{F}_{N_{\text{jet}}, N_{\text{b-jet}}}(Z \rightarrow \ell^+\ell^-)$$

From Photon+jets in 0 b-tags

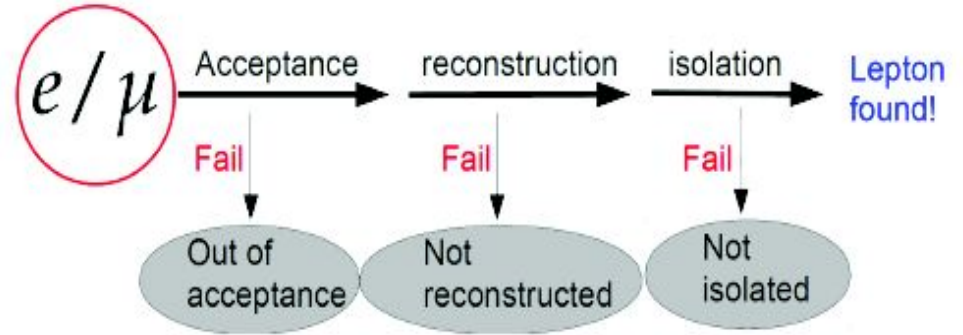
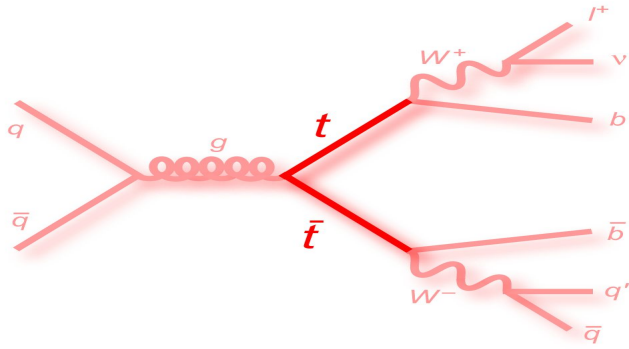
Extrapolation factors from Z(ll)+jets

# Zinvisible prediction

Lot of difference between data driven prediction and simulation



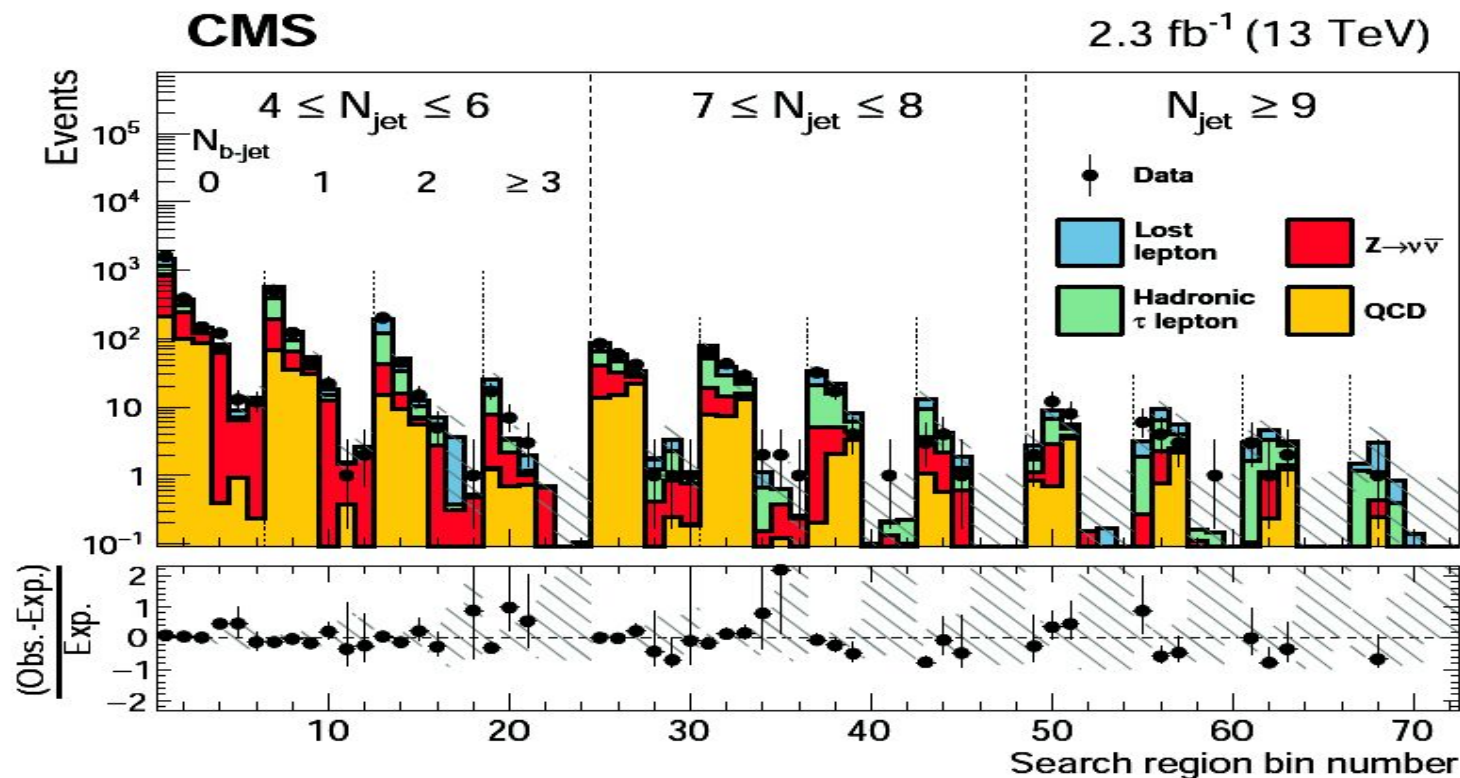
# W+jets /top - lost lepton bkg ,data driven



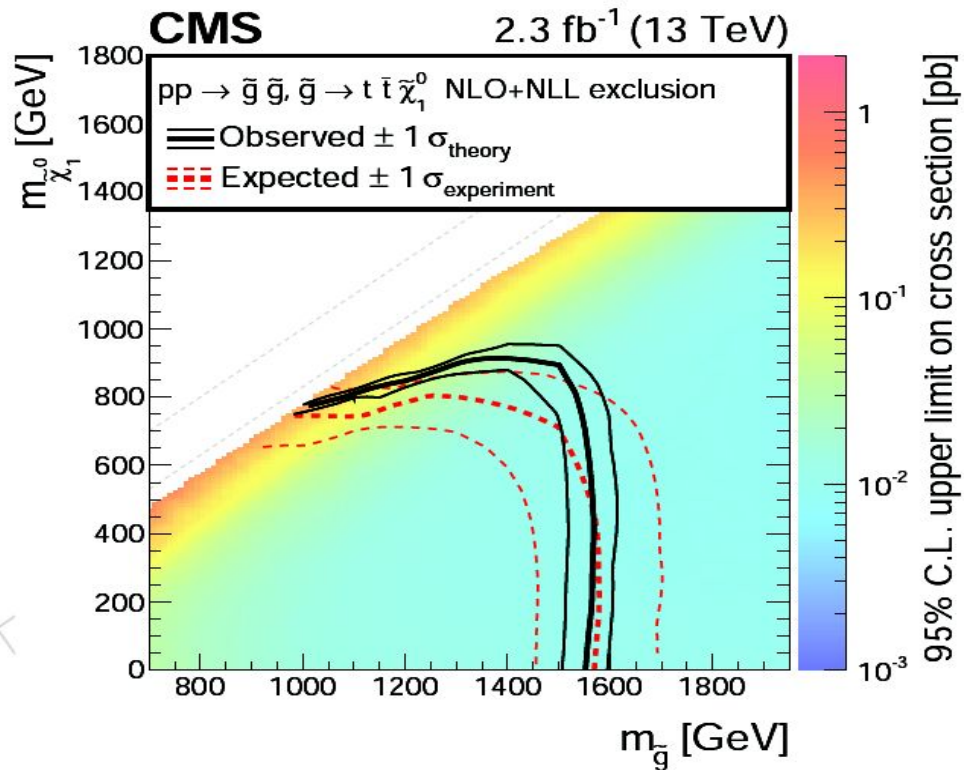
- Enters search region when the lepton fails the lepton veto
- Use the MC information to know the probability( $\epsilon_{\text{eff}}$ ) of happening this
- Take a muon control sample of exactly one isolated muon in Data
- Use  $\epsilon_{\text{eff}}$  to trace back no of leptons that failed the lepton veto
- For example number of muons that fails the isolation

$$!ISO = N_{CR} \cdot \frac{1 - \epsilon_{ISO}}{\epsilon_{ISO}}$$

# Data vs all predicted background : no excess

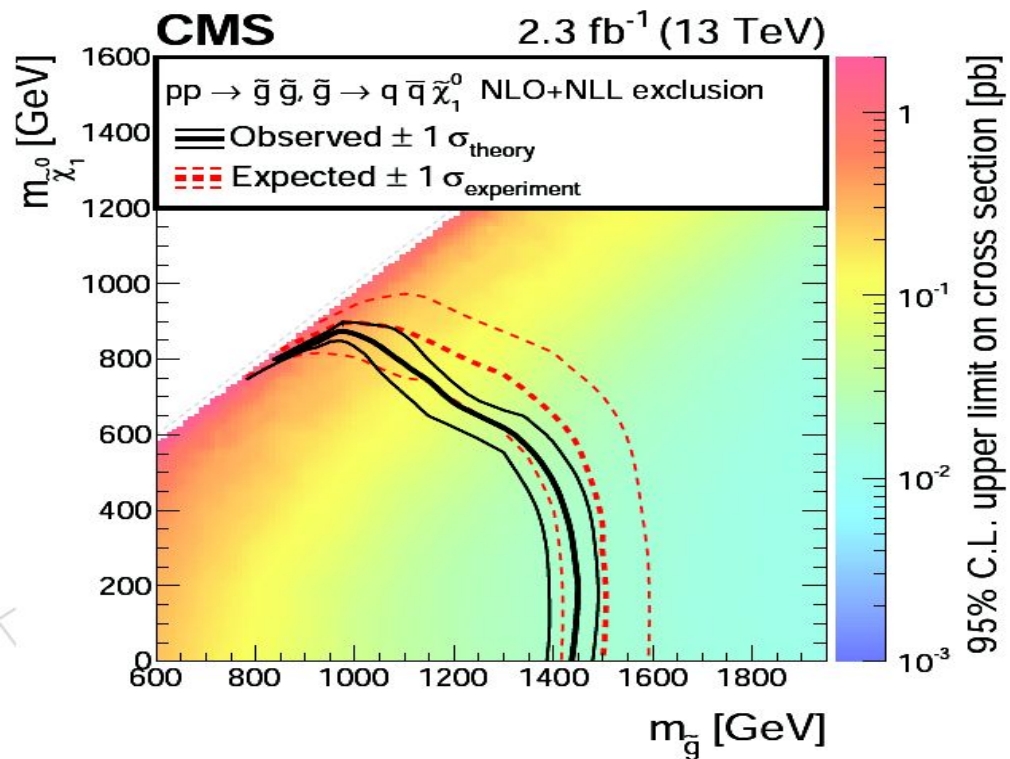


# T1tttt limits

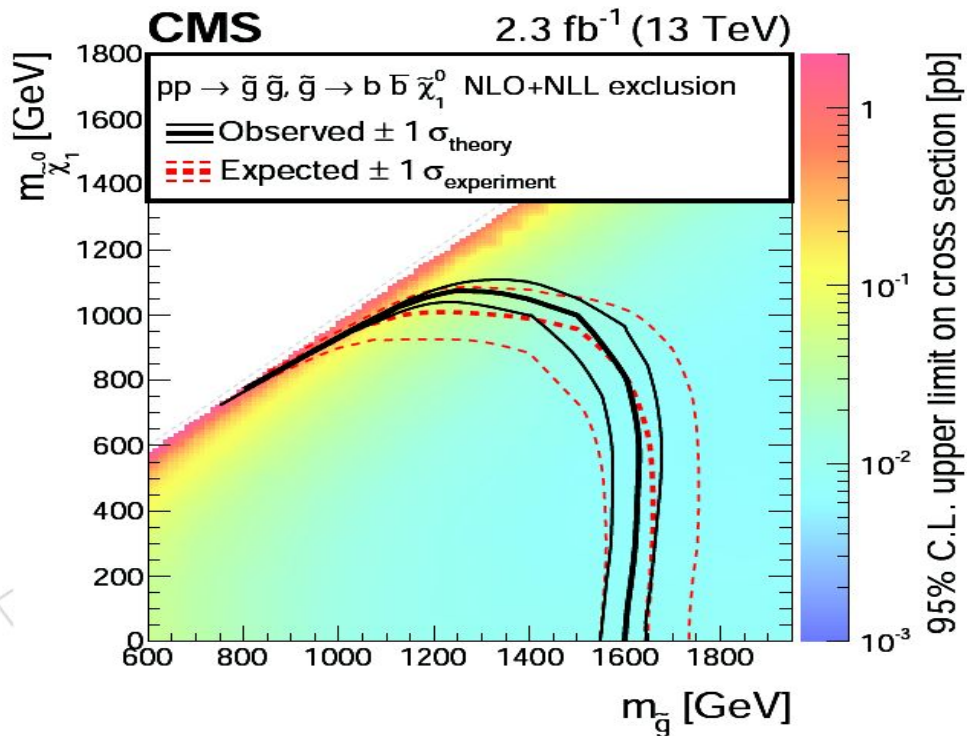




# T1qqqq limits



# T1bbbb limits



# Conclusion

- **All the data driven background estimations converged with full data set**
- **Observation in the signal region is consistent with background predictions**
- **Limits significantly extended from Run1 with only 2.3 fb<sup>-1</sup> of Data**
- **No observation of excess !**

# Back up

# Setting limits

- We use Higgs combination tool to calculate the upper limits
- Its uses a Likelihood ratio as a test statistics  $q_{\mu} = -2 \ln (\mathcal{L}_{\mu} / \mathcal{L}_{max})$
- For setting limits, we use the LHC-style CLs approach in the Higgs Combine tool i.e. ratio is the ratio of confidence intervals

$$CL_s = \frac{CL_{s+b}}{CL_b}$$

- We will see the results in the next slide

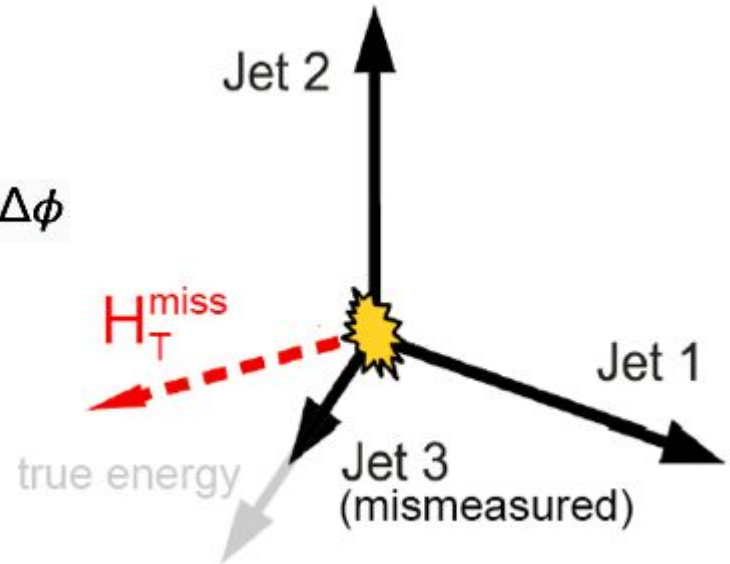


# QCD background

- QCD events do not have real missing energy
- But jet energy can be mismeasured
- This results fake MET region
- This fake MET tends to be aligned with jet
- We reject 90% of events using cuts on low  $\Delta\phi$

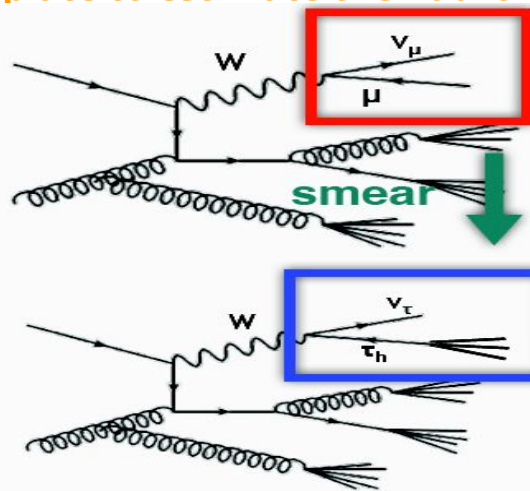
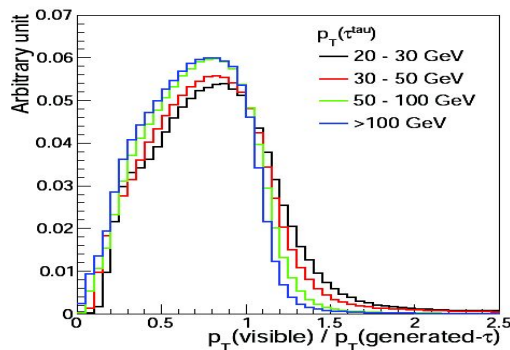
$\Delta\phi(H_T^{\text{miss}}, j_{1,2,3,4})$  = Difference of  $\Phi$  between  $i$ th jet and  $H_T^{\text{miss}}$  vector

- Then we use a control region of events with low  $\Delta\Phi$
- We use a ( high/ low )  $\Delta\Phi$  ratio to go from control region to signal region



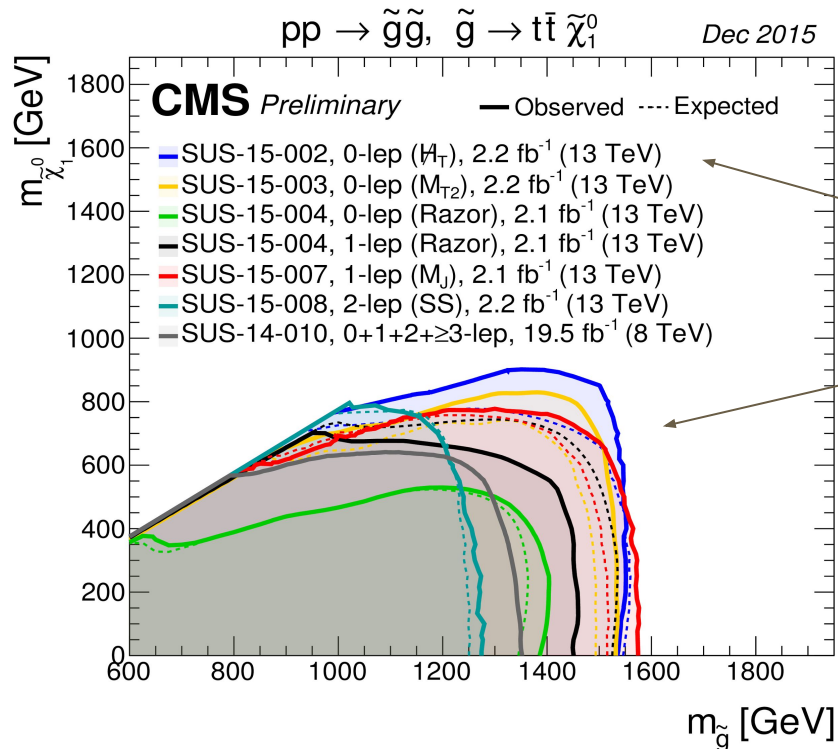
# W+jets/top - hadronic tau background

- Results from hadronic decay of tau
- Estimation:
  - Get a response template from MC that maps gen tau to hadronic tau jet
  - Replace gen tau with muon from data after efficiency correction
  - Smear the muon control sample from data with that template to estimate the hadronic tau background





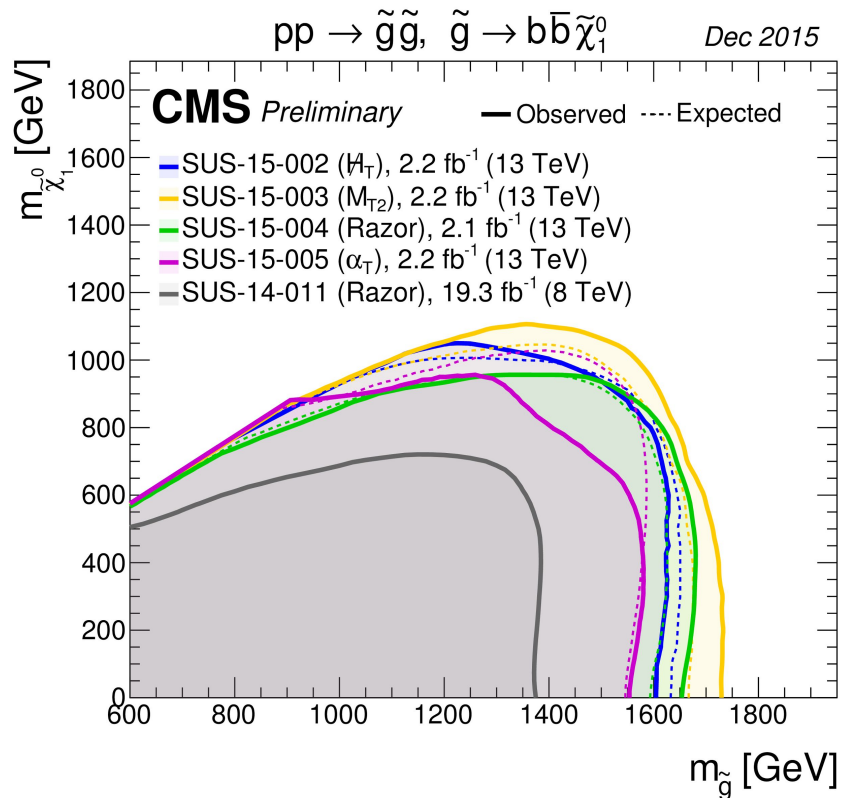
# Comparison Limit Plot (T1tttt)



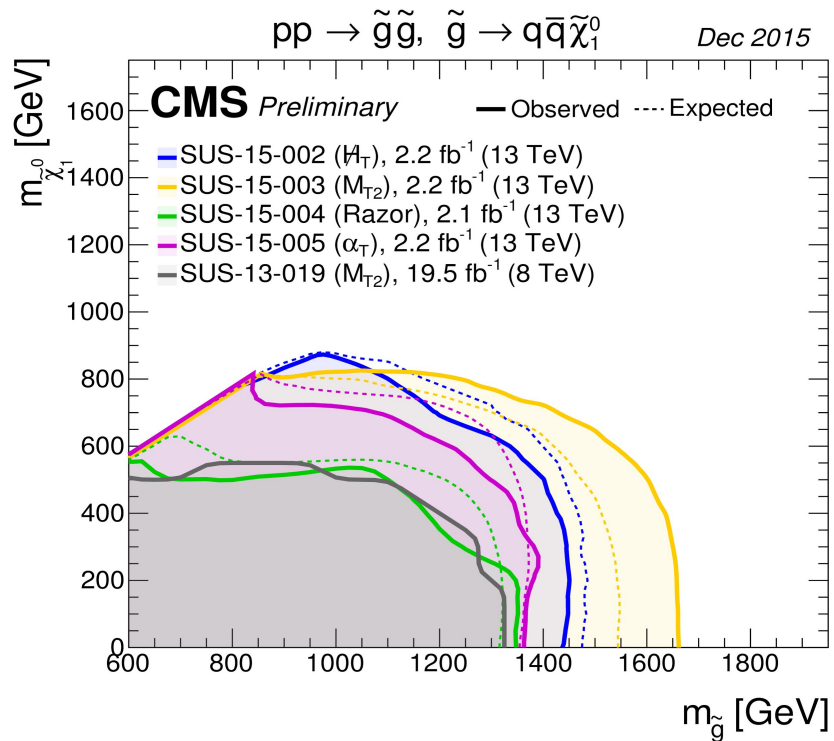
Our limits are competitive:

SUS-15-002

# T1bbbb limits

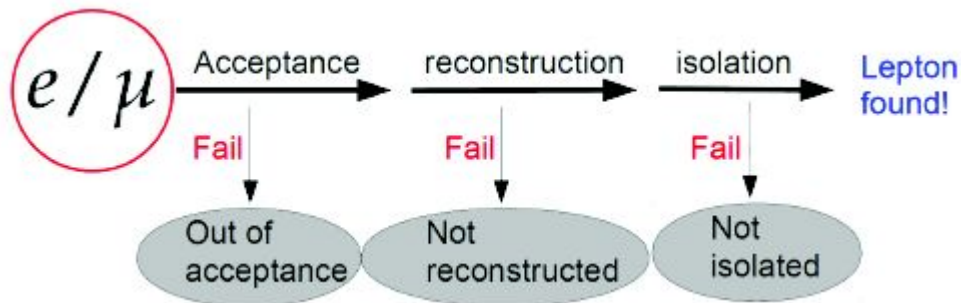


# T1qqqq



# W+jets / top - lost lepton background

- **because lepton veto fails**
- Estimation method
  - Take a single lepton control
  - Figure out the probability that efficiencies at each stage of identification
  - Take care of control region contamination



$$!Acc = N_{CR} \cdot \frac{1}{\epsilon_{ISO}} \cdot \frac{1}{\epsilon_{Reco}} \cdot \frac{1 - \epsilon_{Acc}}{\epsilon_{Acc}}$$

$$!Reco = N_{CR} \cdot \frac{1}{\epsilon_{ISO}} \cdot \frac{1 - \epsilon_{Reco}}{\epsilon_{Reco}}$$

$$!ISO = N_{CR} \cdot \frac{1 - \epsilon_{ISO}}{\epsilon_{ISO}}$$

$$\bullet \quad \text{Total Lost Leptons} = \epsilon_{isotr} \cdot \sum_{i=e,\mu} \left[ \frac{[\epsilon_e^{\text{purity}}]}{\epsilon_{mT}^i} \cdot \left( \epsilon_{\text{singleLep}}^{\text{purity}} \cdot (!Iso^i + !Reco^i + !Acc^i) + \text{Lost}^{\text{dilep}} \right) \right]$$

Cut	Motivation	Impact
MHT > 200, HT > 500	Get to trigger plateau	Trigger ~95% efficient here
4+ jets (30+ GeV, CHS)	Target high-multiplicity SUSY models Save compressed signal with low-pt cut	$p_T > 30$ GeV cut saves up to 50% more signal w.r.t. cut at 50 GeV
$\Delta\phi(\text{jets 1-4, MHT}) >$ (0.5, 0.5, 0.3, 0.3)	Suppress QCD by targeting under- measured jets	Rejects > 90% of QCD Favorable signal eff / real-MET BG eff
$e/\mu$ veto (pt > 10 GeV, veto/medium ID, <a href="#">mini iso</a> )	Suppress top/W $\rightarrow \ell\nu$	> 95% efficient for hadronic signal
<b>Leptonic track veto</b> ( $p_T > 5$ GeV, $m_T < 100$ GeV, <a href="#">track iso</a> )	Reject more top/W $\rightarrow \ell\nu$ events with lower-pt leptons, leptons failing mini iso	Rejects 30% of lost $e/\mu$ events, ~90% of which have 5-10 GeV leptons
<b>Hadronic track veto</b> ( $p_T > 10$ GeV, $m_T < 100$ GeV, <a href="#">track iso</a> )	Suppress top/W $\rightarrow \tau\nu \rightarrow \text{had}+\text{MET}$	Rejects 30% of hadronic tau BG

# Cut flow Signals

Cut	T1tttt (1500, 100)	T1tttt (1200, 800)	T1bbbb (1500, 100)	T1bbbb (1000, 900)	T1qqqq (1400, 100)	T1qqqq (1000, 800)
Start	141.9	856.4	141.9	3253.8	252.9	3253
$N_{\text{jet}} \geq 4$	141.8 (1.00)	854.8 (1.00)	137.3 (0.97)	1624 (0.50)	244.9 (0.97)	2549 (0.78)
$H_T > 500 \text{ GeV}$	141.7 (1.00)	706.1 (0.83)	137.3 (1.00)	654.8 (0.40)	244.8 (1.00)	1390 (0.55)
$H_T^{\text{miss}} > 200 \text{ GeV}$	125.8 (0.89)	311.9 (0.44)	124.2 (0.91)	534.8 (0.82)	221.2 (0.90)	904.1 (0.65)
$\mu$ veto	80.49 (0.64)	202.4 (0.65)	123.1 (0.99)	521.3 (0.97)	220.8 (1.00)	902.6 (1.00)
$e$ veto	51.54 (0.64)	135.14 (0.67)	122.0 (0.99)	512.0 (0.98)	218.5 (0.99)	894.9 (0.99)
$\mu$ track veto	50.74 (0.98)	129.9 (0.96)	121.5 (1.00)	500.07 (0.98)	217.8 (1.00)	888.9 (0.99)
$e$ track veto	49.32 (0.97)	120.0 (0.92)	119.9 (0.99)	478.8 (0.96)	215.0 (0.99)	868.8 (0.98)
Had. track veto	48.27 (0.98)	112.0 (0.93)	119.4 (1.00)	472.0 (0.99)	213.9 (1.00)	852.2 (0.98)
$\Delta\phi$ cuts	39.08 (0.81)	87.76 (0.78)	95.94 (0.80)	373.1 (0.79)	173.0 (0.81)	699.6 (0.82)
Evt. cleaning	38.18 (0.98)	86.27 (0.98)	94.76 (0.99)	369.0 (0.99)	169.9 (0.98)	690.6 (0.99)
	$N_{\text{b-jet}}$ bins					
0 CSVM	0.99 (0.03)	2.46 (0.03)	4.52 (0.05)	25.46 (0.07)	115.9 (0.68)	489.3 (0.71)
1 CSVM	5.31 (0.14)	13.75 (0.16)	20.89 (0.22)	110.8 (0.30)	43.59 (0.26)	163.5 (0.24)
2 CSVM	11.55 (0.30)	27.76 (0.32)	34.51 (0.36)	144.4 (0.39)	9.13 (0.05)	32.81 (0.05)
$\geq 3$ CSVM	20.33 (0.53)	42.30 (0.49)	34.84 (0.37)	88.34 (0.24)	1.38 (0.01)	5.12 (0.01)

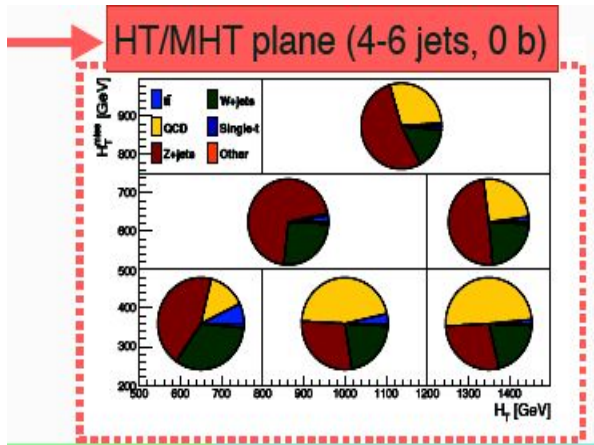
# Cut flow Bkg

Table 11: Cutflow and expected yields at  $10 \text{ fb}^{-1}$  for SM backgrounds, with the baseline sections listed in Section 3. The efficiency of each cut, calculated with respect to the previous yield.

Cut	$t\bar{t}$	QCD	Z+jets	W+jets
Start	$8 \times 10^6$	$> 10^8$	$6 \times 10^6$	$2 \times 10^7$
$N_{\text{jet}} \geq 4$	$6 \times 10^6$	$> 10^7$	$8 \times 10^5$	$2 \times 10^6$
$H_T > 500 \text{ GeV}$	$10^6$	$> 10^7$	$4 \times 10^4$	$3 \times 10^5$
$H_T^{\text{miss}} > 200 \text{ GeV}$	46204.02	100718.36	10709.43	35208.73
$\mu$ veto	31209.42 (0.68)	100424.34 (1.00)	10693.15 (1.00)	24940.95 (0.71)
$e$ veto	19116.81 (0.61)	99296.67 (0.99)	10607.60 (0.99)	15240.75 (0.61)
$\mu$ track veto	17698.28 (0.93)	97798.80 (0.98)	10538.85 (0.99)	14456.57 (0.95)
$e$ track veto	15237.88 (0.86)	93962.19 (0.96)	10272.05 (0.97)	12952.54 (0.90)
Had. track veto	12201.90 (0.80)	91628.84 (0.98)	10133.97 (0.99)	10553.74 (0.81)
$\Delta\phi$ cuts	6946.27 (0.57)	9645.15 (0.11)	7543.35 (0.74)	6101.87 (0.58)
Evt. cleaning	6651.03 (0.96)	4789.70 (0.50)	7477.41 (0.99)	5803.18 (0.95)
			$N_{\text{b-jet}}$ bins	
$N_{\text{b-jet}} = 0$	982.01 (0.15)	2494.63 (0.52)	5743.30 (0.77)	4433.89 (0.76)
$N_{\text{b-jet}} = 1$	2839.90 (0.43)	1575.38 (0.33)	1416.57 (0.19)	1158.09 (0.20)
$N_{\text{b-jet}} = 2$	2298.84 (0.35)	466.97 (0.10)	286.99 (0.04)	190.50 (0.03)
$N_{\text{b-jet}} \geq 3$	530.28 (0.08)	252.71 (0.05)	30.55 (0.00)	20.70 (0.00)

# had tau events in bins

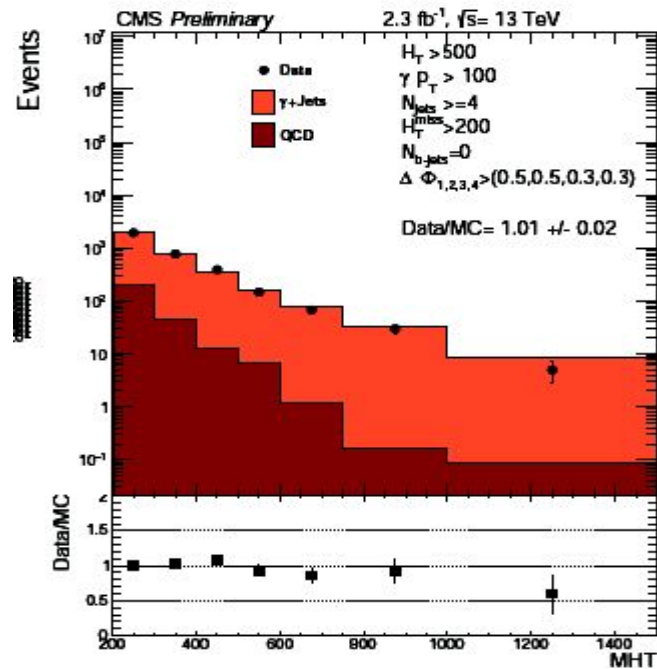
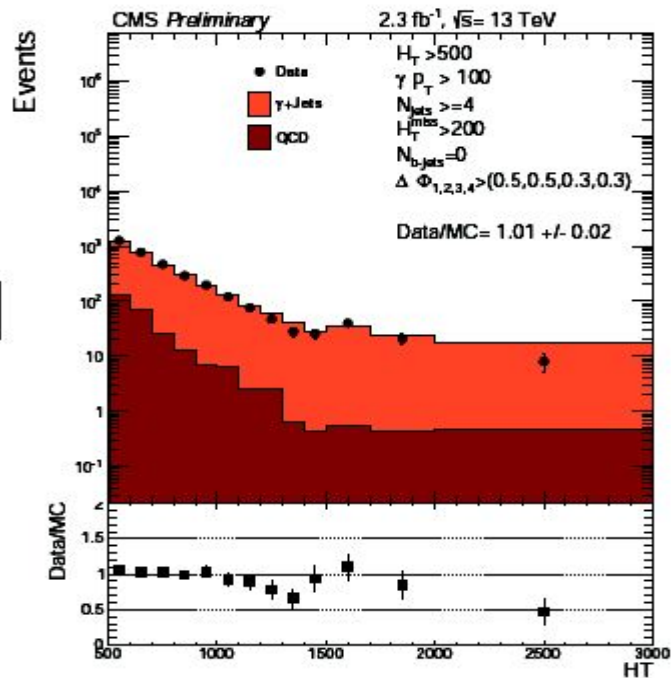
$$N_{\tau_h} = \sum_i^{N_{CS}^{\mu}} \left( \sum_i^{\text{Template bins}} \left( P_{\tau_h}^{\text{resp}} \sum_k w_{b\text{-mistag}}^{\tau_h} \right) \frac{1}{\epsilon_{\text{Trig}}^{\mu} \epsilon_{\text{Reco}}^{\mu} \epsilon_{\text{ISO}}^{\mu}} \frac{1}{\epsilon_{\text{Acc}}^{\mu} \epsilon_{\text{mT}}^{\mu}} (1 - f_{\tau \rightarrow \mu}) (1 - f_{\text{fl}}) \frac{\mathcal{B}(W \rightarrow \tau_h \nu)}{\mathcal{B}(W \rightarrow \mu \nu)} C_{\text{isotrk}} \right)$$





# Photon control region Data/MC plots

- Good data / mc agreement

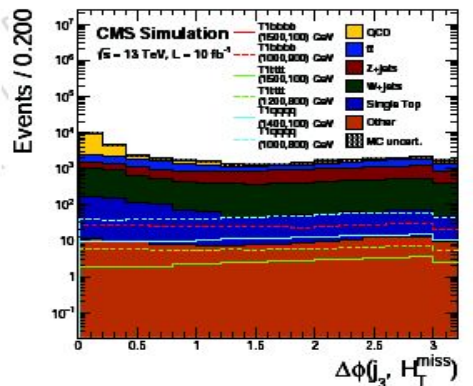
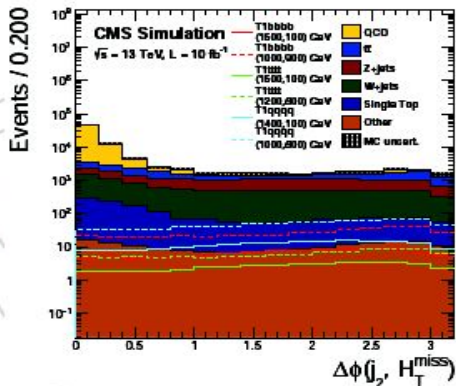
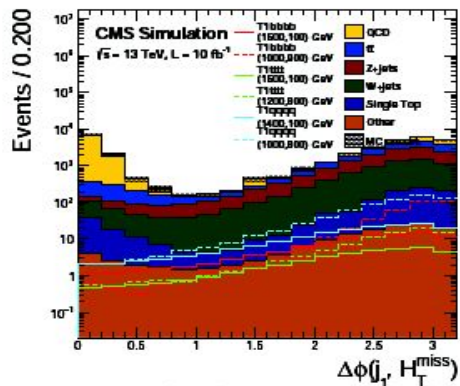
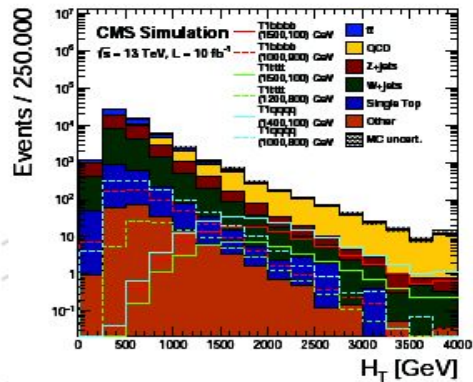
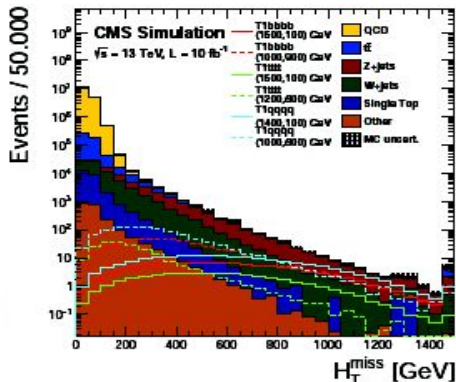
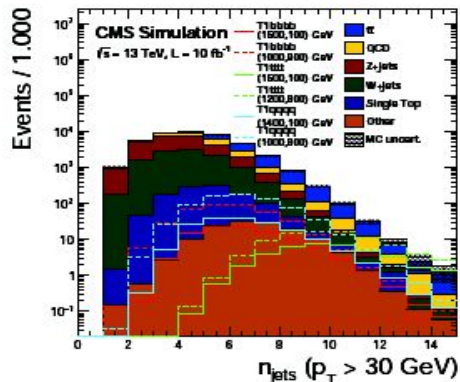


# cross section

Table 10: MC FullSim samples for signal SMS model points.

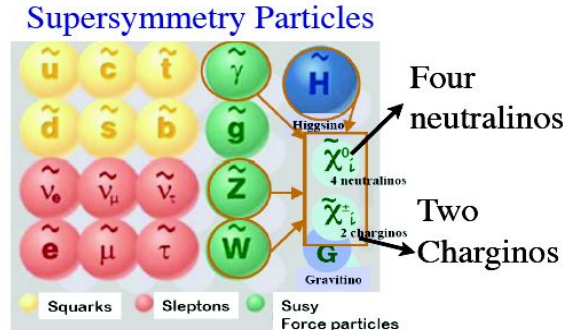
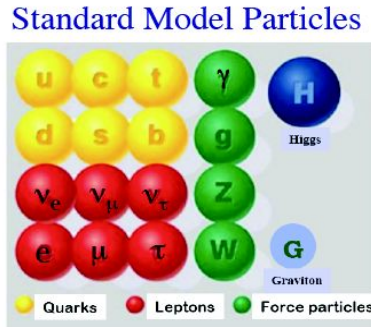
Dataset	$\sigma$ (pb)	$\int \mathcal{L} dt$ (fb <sup>-1</sup> )
SMS-T1tttt_mGluino-1500_mLSP-100_TuneCUETP8M1_13TeV-madgraphMLM-pythia8	0.014	7268
SMS-T1tttt_mGluino-1200_mLSP-800_TuneCUETP8M1_13TeV-madgraphMLM-pythia8	0.086	1719
SMS-T1bbbb_mGluino-1500_mLSP-100_TuneCUETP8M1_13TeV-madgraphMLM-pythia8	0.014	3708
SMS-T1bbbb_mGluino-1000_mLSP-900_TuneCUETP8M1_13TeV-madgraphMLM-pythia8	0.325	438.5
SMS-T1qqqq_mGluino-1400_mLSP-100_TuneCUETP8M1_13TeV-madgraphMLM-pythia8	0.025	1958
SMS-T1qqqq_mGluino-1000_mLSP-800_TuneCUETP8M1_13TeV-madgraphMLM-pythia8	0.325	293.0

# Kinematics



# Motivation

- Supersymmetry is a beyond Standard model theory that solves many puzzling issues like
  - Hierarchy problem
  - Gauge coupling unification
  - And possible candidate (neutralino) for dark matter



SUSY is a broken symmetry : Expect new particles in  $\sim$ TeV range !

**“Natural SUSY” requires :**

- light stops, sbottoms ( $<1$  TeV)
- not so heavy gluinos (1.5-2 TeV)
- light  $\tilde{\chi}_1^0, \tilde{\chi}_1^\pm$  (few hundred GeV)

**In R-Parity conserving**

models, lightest supersymmetry particle (LSP) is stable. Popularly lightest neutralino  $\tilde{\chi}_1^0$  is an LSP.