

# R(D) and R(D\*) measurements at



Concezio Bozzi, CERN & INFN Ferrara  
On behalf of the LHCb collaboration



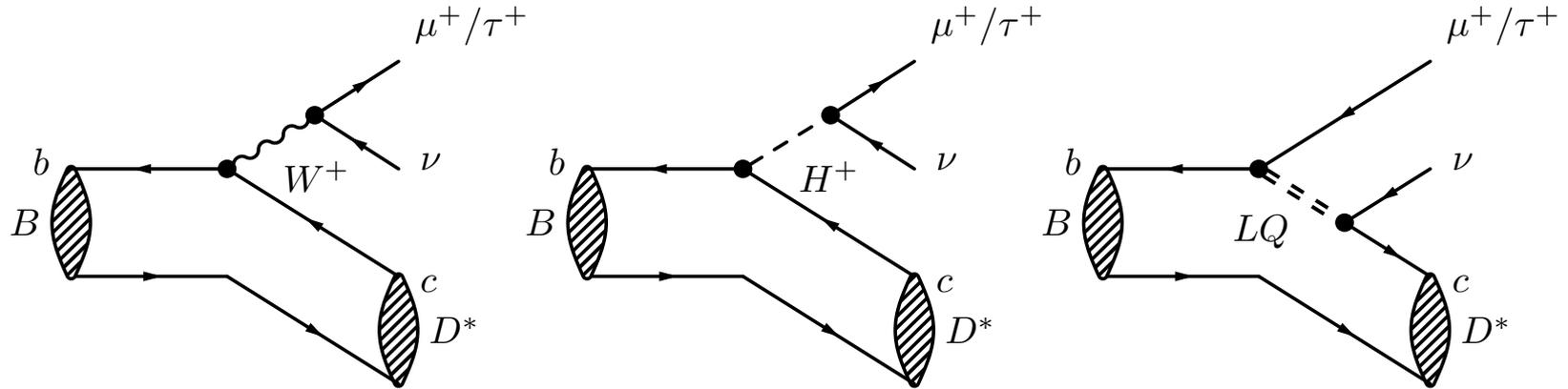
## CKM2016

9<sup>th</sup> International Workshop on the CKM Unitarity Triangle  
TIFR, Mumbai  
Nov. 28 – Dec. 2, 2016



# Semi-tauonic decays

- $B \rightarrow D^{(*)}\tau\nu$  are tree level decays mediated by a  $W$  in SM
- **Lepton universality** in SM, might be broken by mass-dependent couplings
- **Probe SM extensions** to models with e.g. **enlarged Higgs sector**, leptoquarks



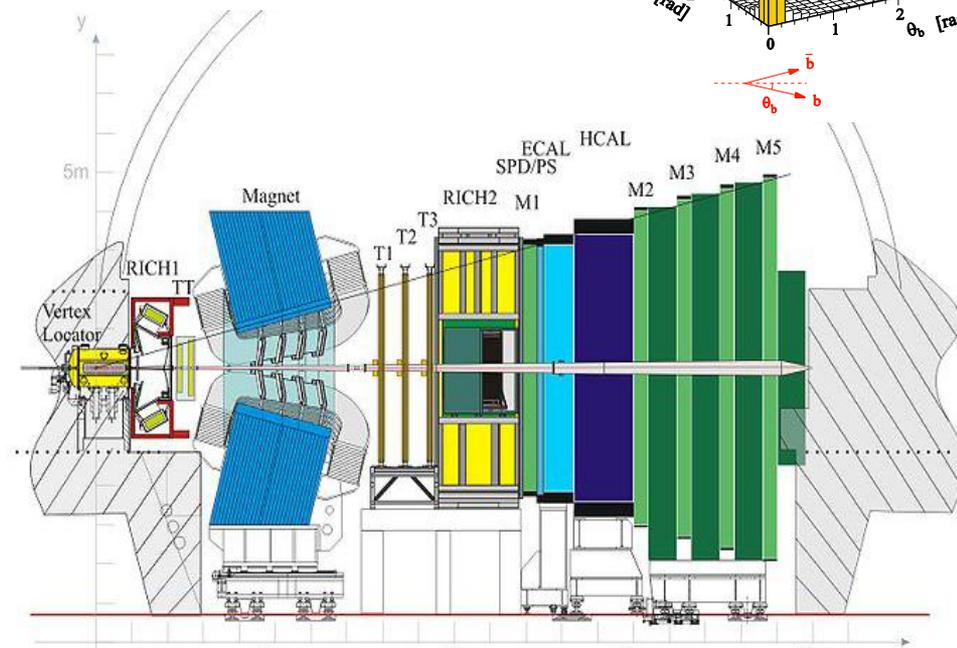
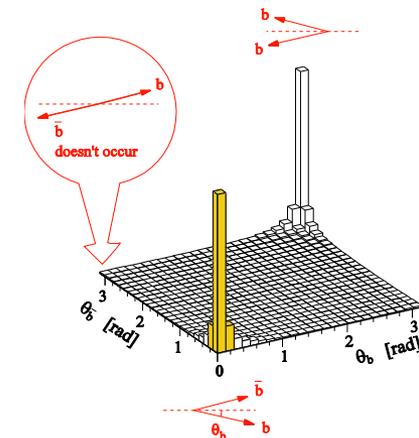
- Test SM by **measuring ratios**  $R(D) = \frac{\Gamma(\bar{B} \rightarrow D\tau\nu)}{\Gamma(\bar{B} \rightarrow D\ell\nu)}$   $R(D^*) = \frac{\Gamma(\bar{B} \rightarrow D^*\tau\nu)}{\Gamma(\bar{B} \rightarrow D^*\ell\nu)}$   
 theoretically and experimentally cleaner
- Renewed interest in this area, after anomalous result of Babar (next talk)

PRL109, 101802 (2012)

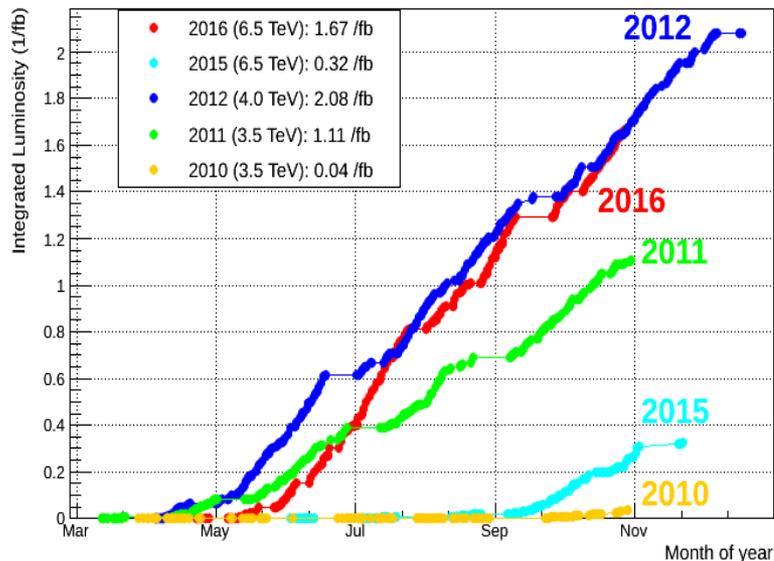
# The experiment

Forward spectrometer optimised for heavy flavour physics at the LHC

- Large acceptance  $2 < \eta < 5$
- Low trigger thresholds
- Precise vertexing
- Efficient particle identification
- Running at a constant luminosity of  $4 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$ ,  $\langle \mu \rangle \sim 1.7$ , 4x design

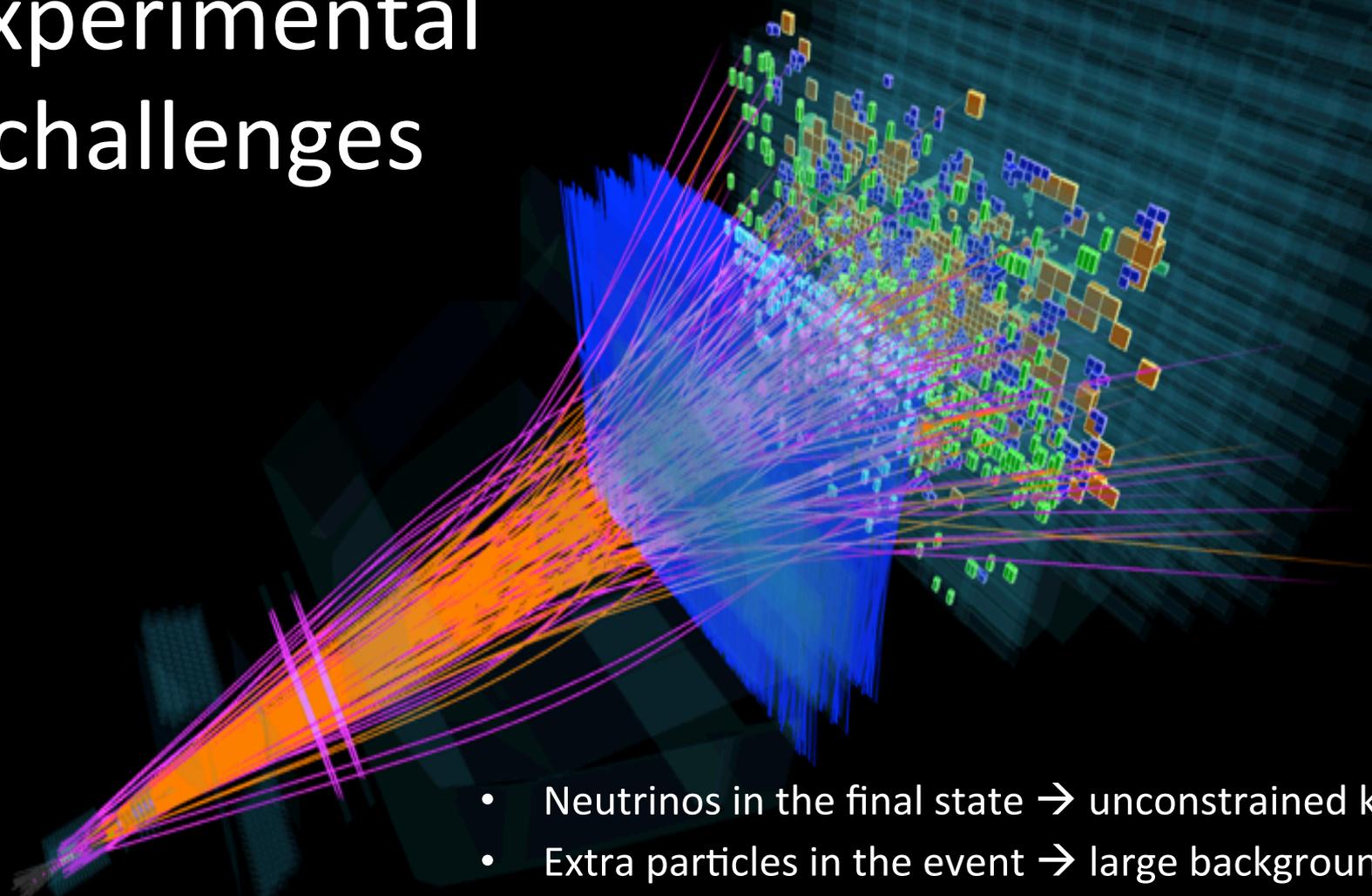


LHCb Integrated Luminosity in pp collisions 2010-2016



- Large boost (B mesons flight  $\sim 1\text{cm}$ )
- Huge production cross section ( $\sim 300\mu\text{b}$ )
- Small S/B ratio

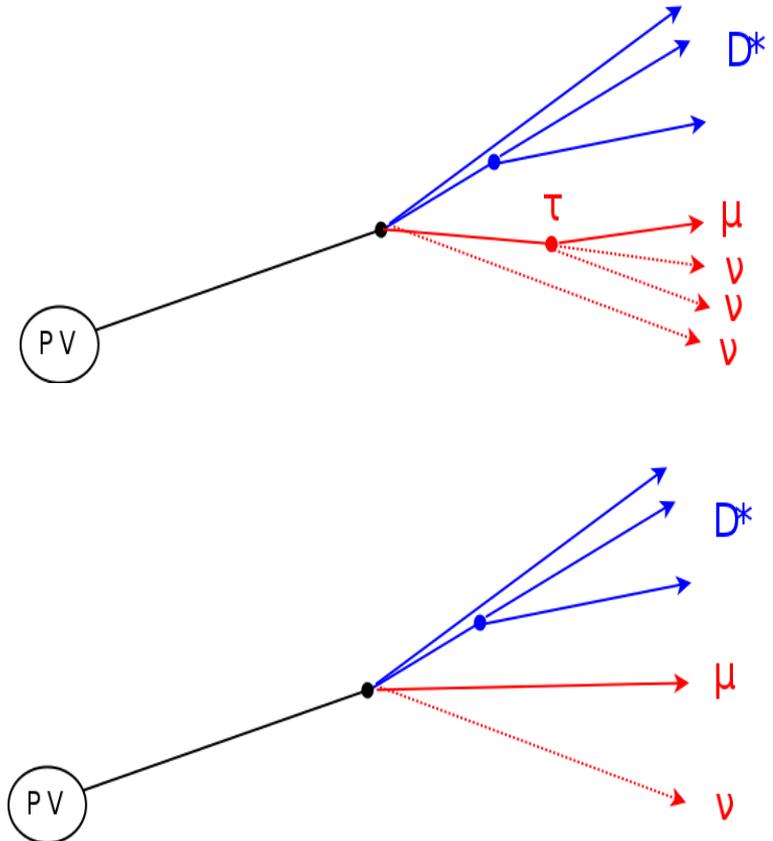
# Experimental challenges



- Neutrinos in the final state  $\rightarrow$  unconstrained kinematics
- Extra particles in the event  $\rightarrow$  large backgrounds from partially reconstructed B decays
  - $B \rightarrow D^* \mu \nu$ ,  $B \rightarrow D^{**} \mu \nu$ ,  $B \rightarrow D^* D (\rightarrow \mu X) X \dots$
  - $B \rightarrow D^* \pi \pi \pi X$ ,  $B \rightarrow D^* D (\rightarrow \pi \pi \pi X) X \dots$

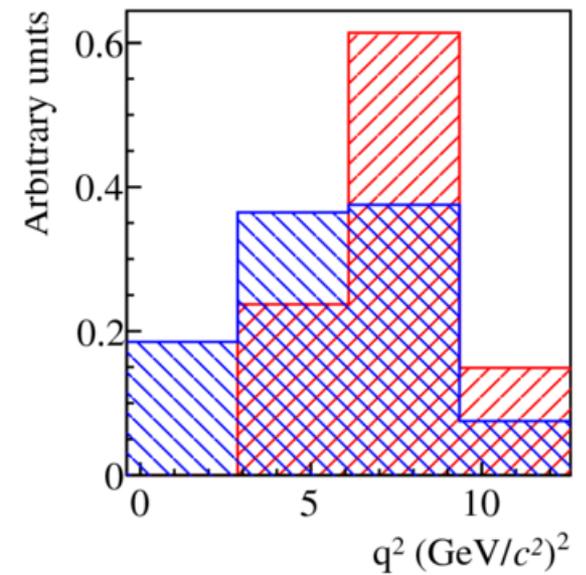
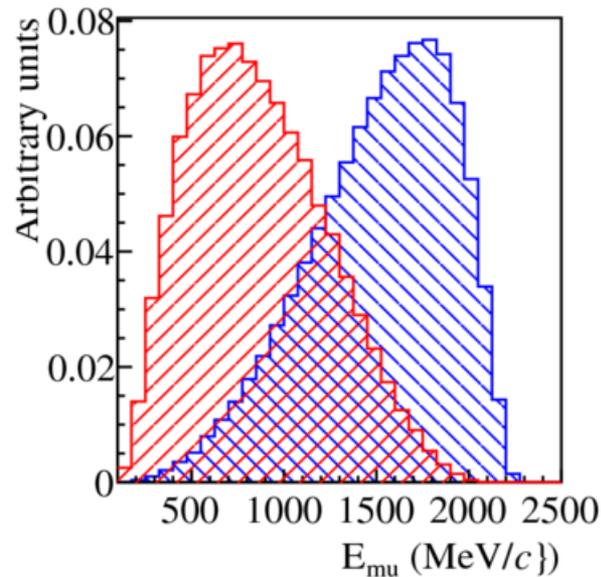
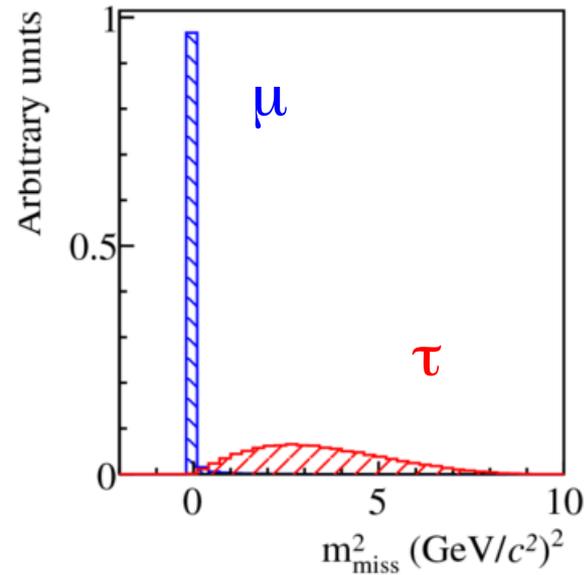
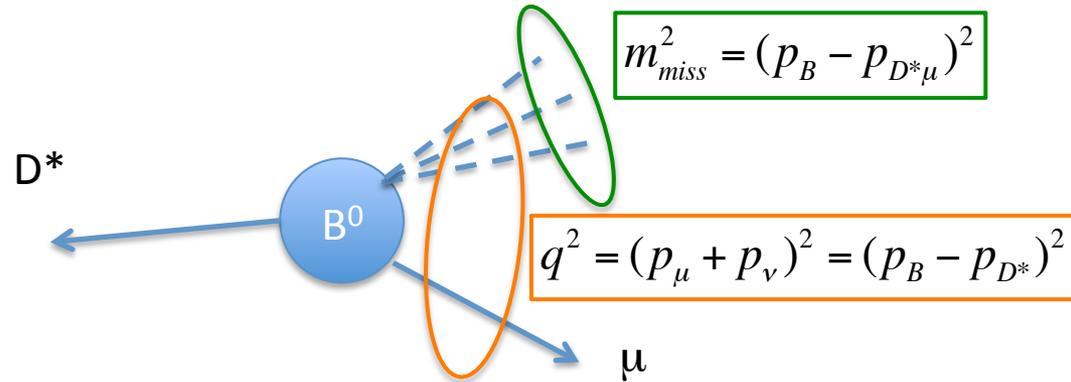
# R(D<sup>\*</sup>) measurement with $\tau \rightarrow \mu \nu_\tau \nu_\mu$

- Same final state particles
- Favourable, well-measured BF for  $\tau$  decay (17.41+/- 0.04)%



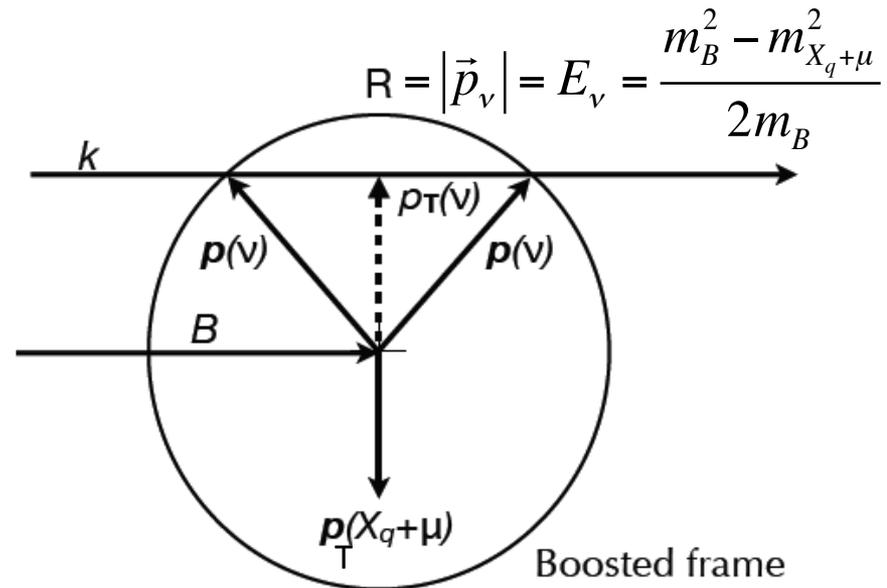
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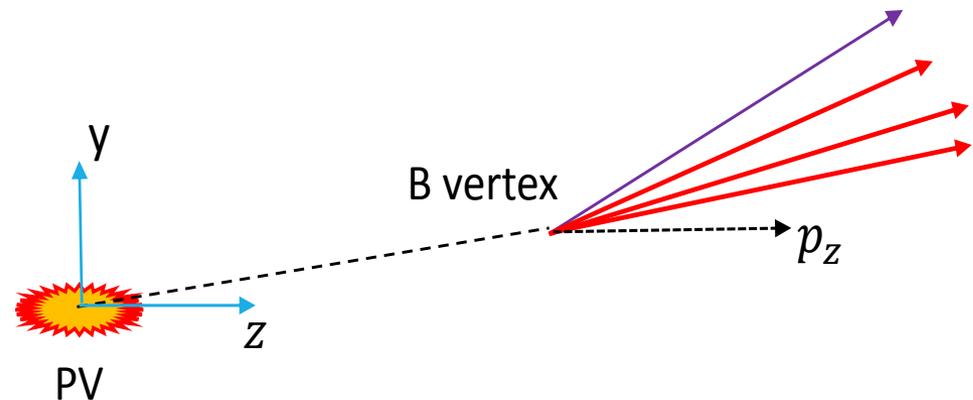
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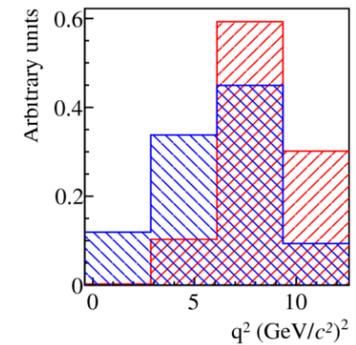
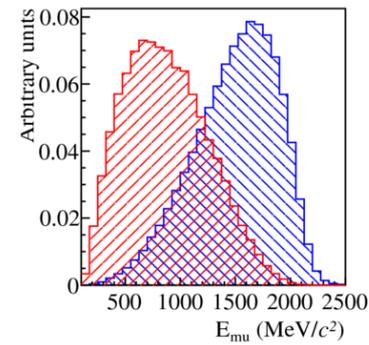
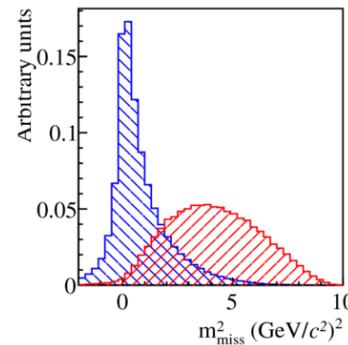
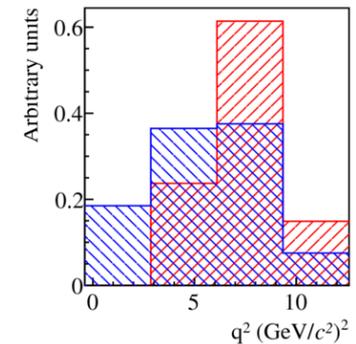
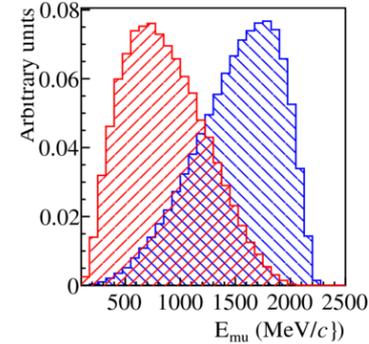
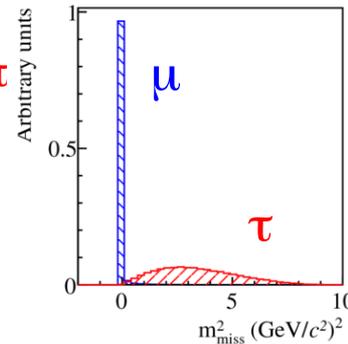
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- Using well-measured B flight direction gives momentum with 2-fold ambiguity
- Avoid ambiguity by assuming B boost along  $z \gg$  boost of decay products in the rest frame



$$(\gamma\beta_z)_{\bar{B}} = (\gamma\beta_z)_{D^*\mu} \implies (p_z)_{\bar{B}} = \frac{m_B}{m(D^*\mu)} (p_z)_{D^*\mu}$$

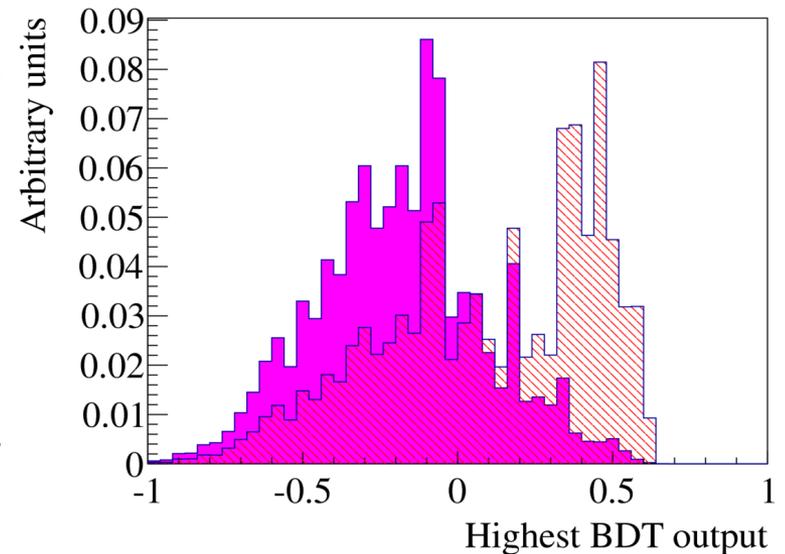
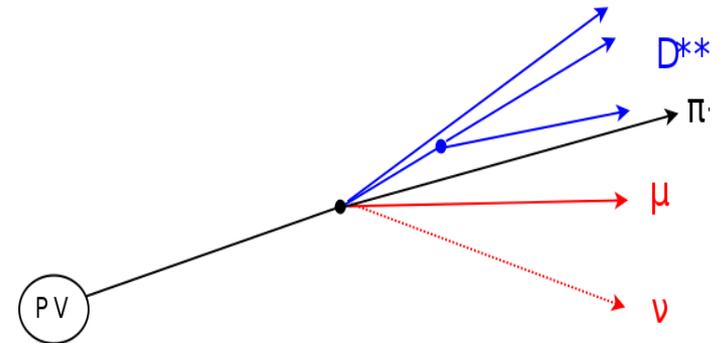
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- Avoid ambiguity by assuming B boost along  $z \gg$  boost of decay products in the rest frame
- 18% resolution on B momentum approximation **preserves differences between signal, normalization and backgrounds**



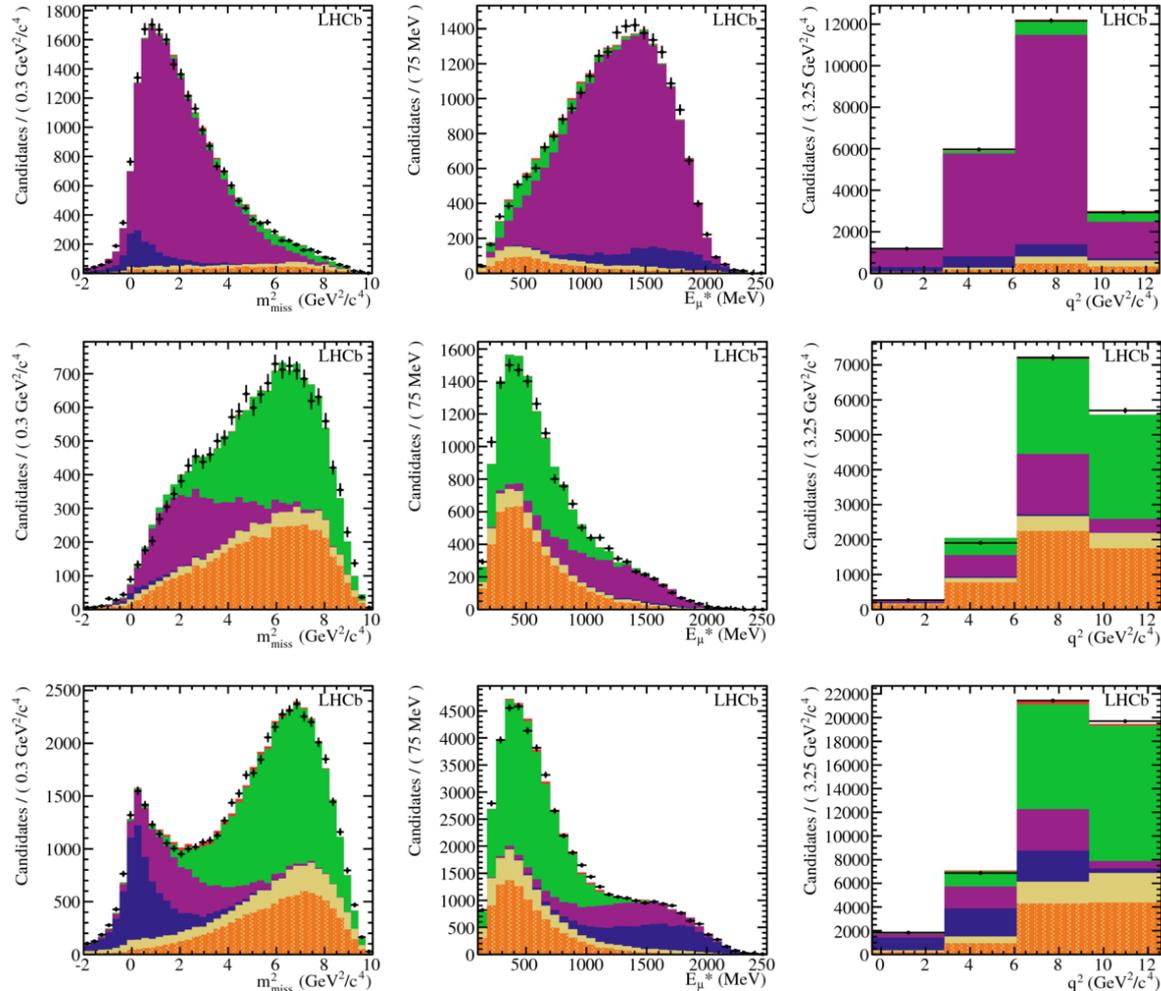
# Background reduction

- Scan over every reconstructed track and assess compatibility with  $D^{*+} \mu^-$  vertex
  - vertex quality with PV and SV, change in displacement of SV,  $p_T$ , alignment of track and  $D^{*+} \mu^-$  momenta
- Build BDT to classify tracks as “SV-like” or “PV-like”
- Cut on most SV-like track below threshold to select signal-enriched sample.
  - 70% of events with 1 additional slow pion are rejected
- Reverse cut to get background-enriched samples
  - One or two extra pions ( $D^{*+} \mu \pi$ ,  $D^{*+} \mu \pi \pi$ ) as proxy for  $B \rightarrow D^{*+} \mu \nu$
  - kaon PID ( $D^{*+} \mu K$ ) as proxy for  $B \rightarrow D^{*+} H_c (\rightarrow \mu \nu X') X$



# Background strategy

- All major backgrounds modelled using control samples in data
- **Isolation MVA gives one or two extra tracks** → sample enhanced in  $B \rightarrow D^{**}\mu\nu$
- **Isolation MVA gives an extra track with loose kaon ID** → sample enhanced in  $B \rightarrow D^*DX$
- Combinatorial or misID backgrounds taken from data

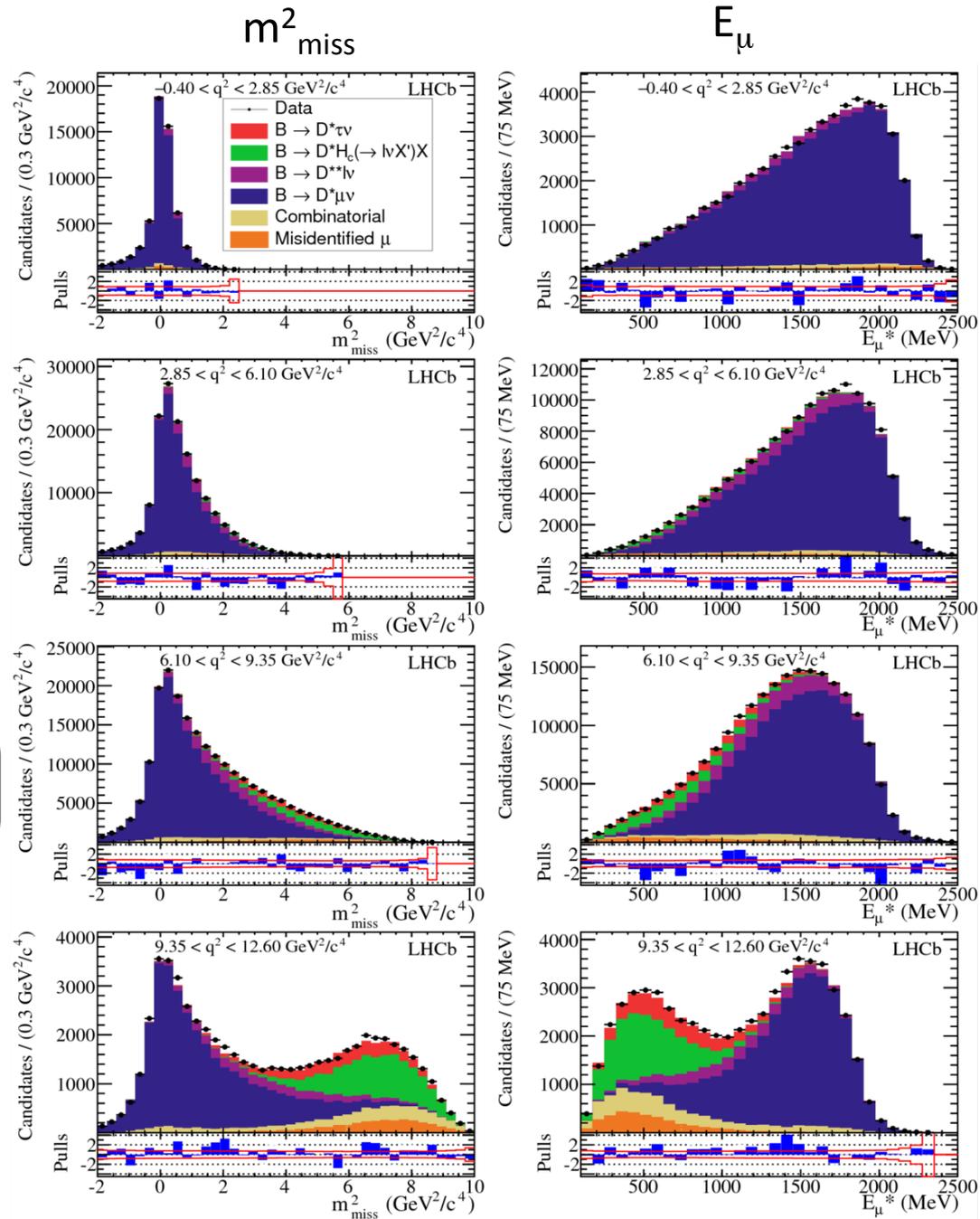


# Fit results

- No additional particles
- 3D fit to  $m_{\text{miss}}^2$ ,  $E_{\mu}$ , in 4 bins of  $q^2$ .
- Simultaneously fit 3 control regions defined by isolation criteria
- Signal yield: 16500 events

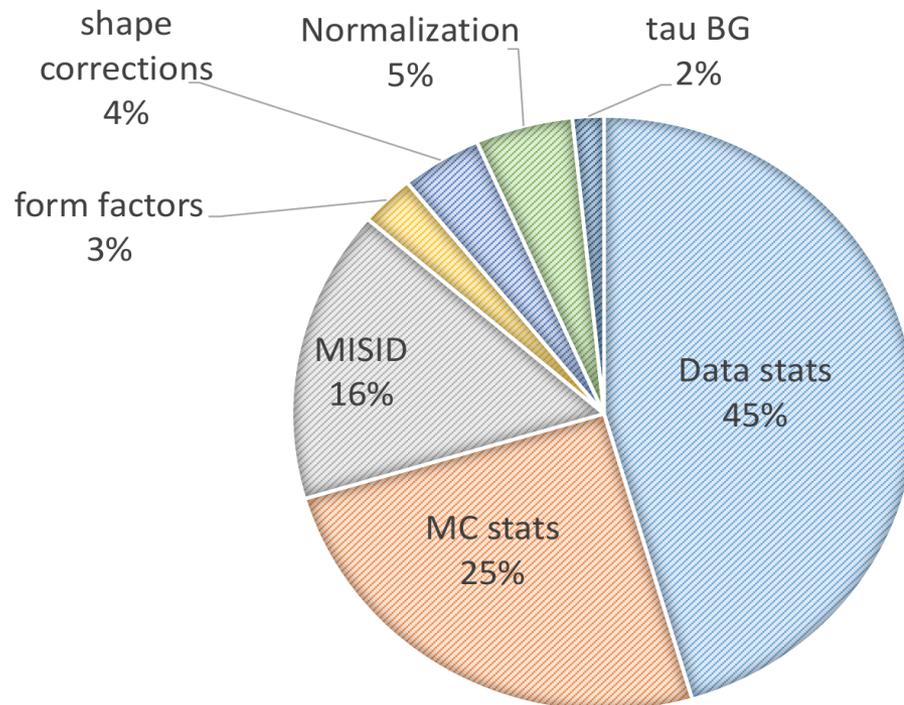
$$R(D^*) = 0.336 \pm 0.027 \pm 0.030$$

- In agreement with Babar and Belle
- $2.1\sigma$  higher than the SM



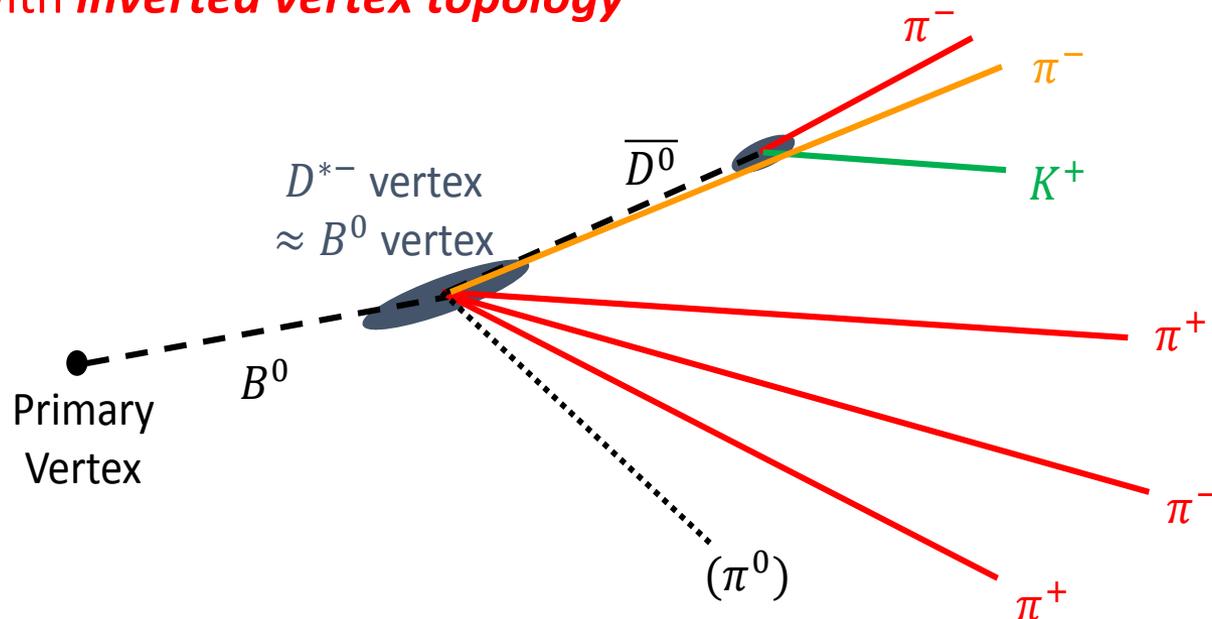
# R(D<sup>\*</sup>): Error budget

- Total uncertainty at the **10% level**
- Largest systematics from **MC statistics** and non-muon component
- They can both be reduced by
  - generating more MC samples
  - improved methods, smarter use of PID
- **Expect to reduce the total uncertainty to the levels of**
  - 4% with the addition of **Run2 data** and the  $\tau \rightarrow 3\pi(\pi^0)$  decay
  - 2% by using also **Run3 data** and the **upgraded LHCb detector**



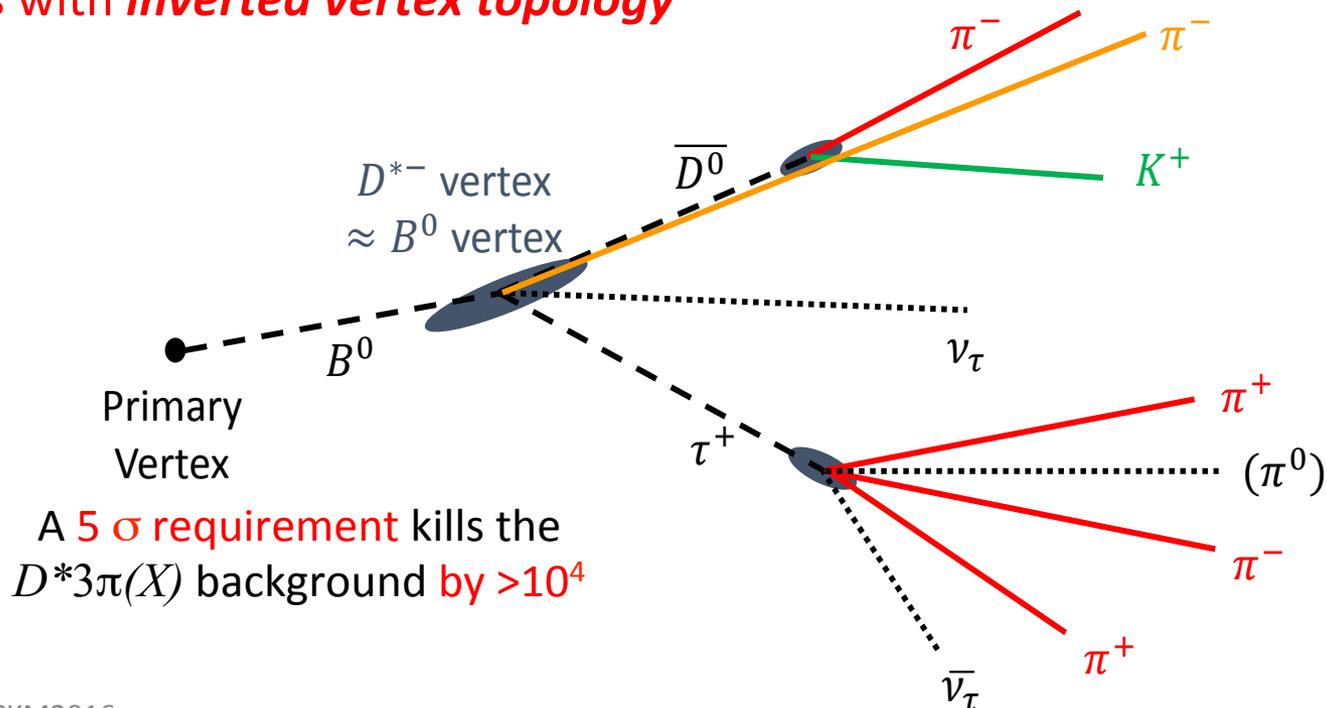
# $B \rightarrow D^* \tau \nu$ , with $\tau \rightarrow 3\pi(\pi^0)$

- Doing semileptonic physics **without leptons in the final state!**
- The  $B \rightarrow D^* \tau \nu$  decay, with  $\tau \rightarrow 3\pi(\pi^0)$  leads to a  **$D^* 3\pi(X)$  final state**
- Nothing is more common than this final state in a typical B decay
- $Br(B \rightarrow D^* 3\pi(X)) / Br(B \rightarrow D^* \tau \nu; \tau \rightarrow 3\pi(\pi^0) \nu)_{SM} \sim 100$
- Suppress with ***inverted vertex topology***



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- A  **$5 \sigma$  requirement** kills the  $D^* 3\pi(X)$  background **by  $>10^4$**
- Remaining background from  $B^0$  decays where the  $3\pi$  vertex is transported away by a **charm carrier**:  $D_s, D^+$  or  $D^0$  (in order of importance)
- $Br(B \rightarrow D^* 'D'; 'D' \rightarrow 3\pi) / Br(B \rightarrow D^* \tau \nu; \tau \rightarrow 3\pi(\pi^0) \nu)_{SM} \sim \mathbf{10}$
- LHCb has **good 'weapons'** to suppress this background: Partial background reconstruction, dynamics of  $2\pi, 3\pi$  system, track and neutral isolation

# Other decays?

- $R(D^{*+})$  measurement chosen as **proof-of-concept** due to **simpler feed-downs and structure**, not any limitations in purity or technique
- $R(D^0)$  requires **statistical separation of  $D^*$  feed-down**; expect **x5 more events**
- $O(10^{4-5})$  semileptonic decays into **exclusive narrow p-wave  $D$  mesons** would make  $R(D_1)$ ,  $R(D_2^*)$  also possible
- LHCb has **unique access to  $B_s$ ,  $B_c$ , and  $\Lambda_b$**  production
  - $R(D_s)$ :  $B_s \rightarrow D_s \tau \nu$  is **challenging**, many excited states with feed-down emitting **unreconstructed neutrals**
  - $R(J/\psi)$ :  $B_c \rightarrow J/\psi \tau \nu$  has **spectacular signature**, and “high”  $BF(J/\psi \rightarrow \mu\mu)$  could compensate lower  $B_c$  production rate
  - $R(\Lambda_c^{(*)})$ :  $\Lambda_b \rightarrow \Lambda_c^{(*)} \tau \nu$  has a **different spin structure**  $\rightarrow$  **different physics sensitivity**, would help discriminate **tensor contributions**
- What about charmless decays? E.g.  $B \rightarrow p p \tau \nu$ ,  $\Lambda_b \rightarrow p \tau \nu$  ...

# Conclusion

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- First ever measurement of a  $b \rightarrow \tau$  decay at a hadron collider
- $R(D^*)$  is the beginning of a vast exploration
  - Several channels
  - Two  $\tau$  decay modes
- The addition of Run2 and Run3 data will eventually lead to samples of  $O(10^5-10^6)$  events
  - Not only  $R$ , but also angles, polarizations, form factors...
  - ...and charmless semi-tauonic decays!
- LHCb will compete with final Belle-II measurements

