

# FLAVOR VIOLATING AXIONS

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based on Calibbi, Goertz, Redigolo, Ziegler, JZ, 1612.08040  
Martin Camalich, Pospelov, Vuong, Ziegler, JZ, 2002.04623  
Calibbi, Redigolo, Ziegler, JZ, 2006.04795

Free Meson Seminar, TIFR, Mar 4 2021

# MOTIVATION

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- any spontaneously broken global symmetry  $\Rightarrow$  (p)NGB
  - if "light enough" can be DM
- in general couplings to gluons, photons, SM fermions

$$\mathcal{L}_{\text{eff}} = \frac{\alpha_s}{8\pi} \frac{a}{f_a} G \tilde{G} + \frac{E}{N} \frac{\alpha_{\text{em}}}{8\pi} \frac{a}{f_a} F \tilde{F} + \frac{\partial_\mu a}{2f_a} \bar{f}_i \gamma^\mu (C_{f_i f_j}^V + C_{f_i f_j}^A \gamma_5) f_j$$

- our goal: implications of flavor violating couplings
  - do FCNC experiments probe interesting parameter space?
  - possible improvements on search strategies?

# NAMING CONVENTION

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- a sidenote on the naming used in this talk
  - (QCD) axion - pNGB that obtains mass from (QCD) anomaly
  - any-other-on\* - explicit mass term for pNGB that breaks the global symmetry
  - flavon, majoron,...

\*almost always: axiflavin/ flaxion is a QCD axion

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axion-like particles  
= ALPs

\*almost always: axiflavin/ flaxion is a QCD axion

# MOTIVATION

- FV couplings of ALPs arise quite generically
- in mass basis ( $V_L^{f\dagger} y_f V_R^f = y_f^{\text{diag}}$ ) the couplings are

$$C_{f_i f_j}^{V,A} = \frac{1}{2N} \left( V_R^{f\dagger} X_{f_R} V_R^f \pm V_L^{f\dagger} X_{f_L} V_L^f \right)_{ij}$$

$$\mathcal{L}_{aff} = \frac{\partial_\mu a}{2f_a} \bar{f}_i \gamma^\mu (c_{f_i f_j}^V + c_{f_i f_j}^A \gamma_5) f_j ,$$

- FV unless PQ charge matrices  $X_{f_{L,R}}$  aligned with  $y_f y_f^\dagger, y_f^\dagger y_f$
- note: we will often use

$$F_{f_i f_j}^{V,A} \equiv \frac{2f_a}{c_{f_i f_j}^{V,A}}$$

$$F_{\ell_i \ell_j} = \frac{2f_a}{\sqrt{|C_{\ell_i \ell_j}^V|^2 + |C_{\ell_i \ell_j}^A|^2}}$$

# OUTLINE

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- bounds on ALPs from quark FCNCs
  - minimal axiflavor
- bounds on ALPs from lepton FV
  - proposal for MEGII-fwd
  - several models of LFV ALPs
    - LFV QCD axion, LFV axiflavor, leptonic flavon, majoron

# BOUNDS FROM QUARK FCNCs

# QCD AXION

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Martin Camalich, Pospelov, Vuong, Ziegler, JZ, 2002.04623

- in this part will focus on QCD axion with FV couplings to quarks
  - solves the strong CP problem
  - can be a cold DM candidate
  - effectively massless in FV transitions

# STRONG CP PROBLEM

- Lorentz and gauge invariance allow a CP violating term in QCD

$$\mathcal{L} = \theta \frac{\alpha_s}{8\pi} G_a^{\mu\nu} \tilde{G}_{a,\mu\nu} = \theta \frac{\alpha_s}{16\pi} \epsilon_{\mu\nu\rho\sigma} G_a^{\mu\nu} G_a^{\rho\sigma}$$

- physically observable is the combination

$$\bar{\theta} \equiv \theta + \arg \det(\mathcal{M}_u \mathcal{M}_d)$$

- experimentally :

$$d_n \approx 4 \times 10^{-16} \bar{\theta} \text{ e cm} \quad \longleftrightarrow \quad |d_n|_{\text{exp}} < 3 \times 10^{-26} \text{ e cm}$$

- why  $\bar{\theta}$  so small?

$$\bar{\theta} < 10^{-10}$$

- very puzzling given large CPV phase in the CKM

# AXION

- if  $\bar{\theta}(x)$  a dynamical field and couples only to  $\bar{\theta}G\tilde{G} \Rightarrow$  potential min. at  $\bar{\theta}(x) = 0$
- new ultra-light particle - axion

$$F_{f_i f_j}^{V,A} \equiv \frac{2f_a}{c_{f_i f_j}^{V,A}}$$

$$\mathcal{L}_{\text{eff}} = \frac{\alpha_s}{8\pi} \frac{a}{f_a} G\tilde{G} + \frac{E}{N} \frac{\alpha_{\text{em}}}{8\pi} \frac{a}{f_a} F\tilde{F} + \frac{\partial_\mu a}{2f_a} \bar{f}_i \gamma^\mu (C_{f_i f_j}^V + C_{f_i f_j}^A \gamma_5) f_j$$

- obtains mass from QCD anomaly

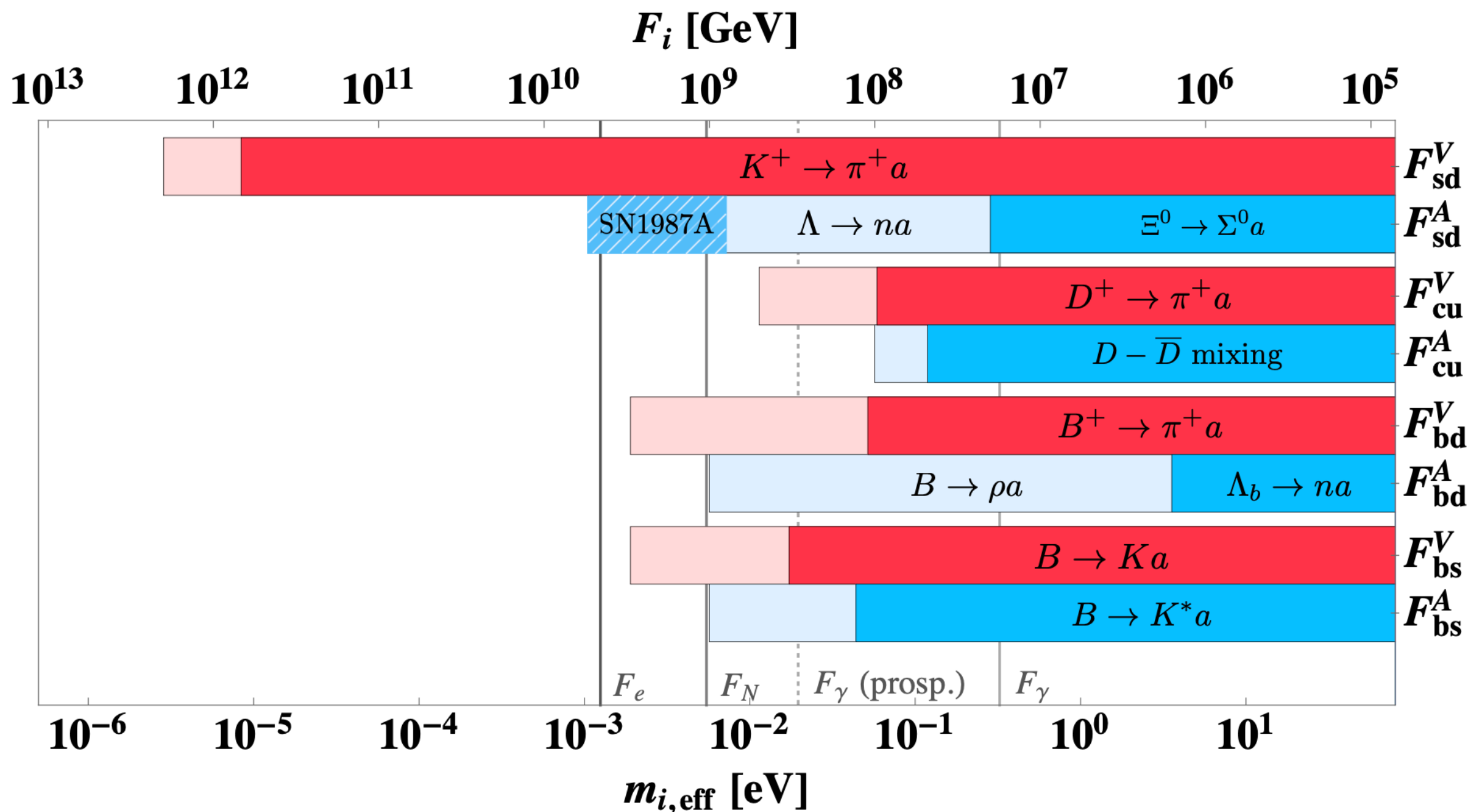
$$m_a = 5.70(7) \mu\text{eV} \left( \frac{10^{12} \text{ GeV}}{f_a} \right)$$

- viable cold dark matter candidate for

$$10^{-8} \text{ eV} \lesssim m_a \lesssim 10^{-3} \text{ eV}$$

# THE STRONGEST FV CONSTRAINTS

Martin Camalich, Pospelov, Vuong, Ziegler, JZ, 2002.04623



# FV DECAYS

- 2-body meson decays:

- $P_1 \rightarrow P_2 a$  sensitive to  $F_{ij}^V$

- use exp. searches for  $K^+ \rightarrow \pi^+ a$ ,  $B \rightarrow Ka$ ,  $B \rightarrow \pi a$   
(most stringent: recasts of  $B \rightarrow K\nu\bar{\nu}$ )

- for  $D^+ \rightarrow \pi^+ a$  need to recast  $D \rightarrow (\tau \rightarrow \pi\bar{\nu})\nu$

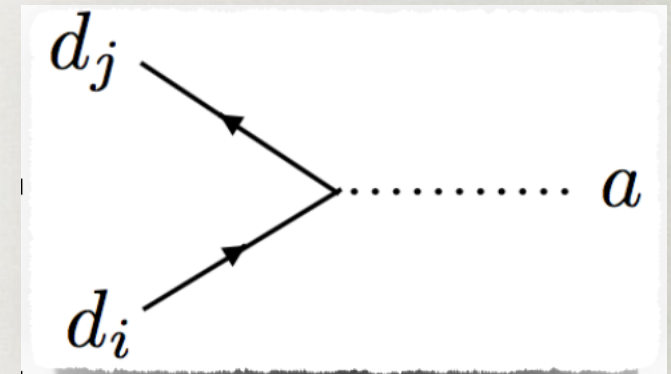
- $P_1 \rightarrow V_2 a$  sensitive to  $F_{ij}^A$ , no exp. searches

- 2-body hyperon decays, sensitive to  $F_{ij}^A$  and  $F_{ij}^V$

- most sensitive  $\Xi^0 \rightarrow \Sigma^0 a$  (now),  $\Lambda \rightarrow na$  (future)

- 3-body  $K \rightarrow \pi\pi a$  decays, sensitive to  $F_{ij}^A$

- 3-body decays of  $B$ ,  $D$ , could be interesting as well



E787&E949, 0709.1000

CLEO, hep-ex/0106038

Belle, 1702.03224\*

BaBar, 1303.7465

CLEO, 0806.2112

BESS-III, 1612.01775

E787, hep-ex/0009055

E391a, 1106.3404

# FV DEC

| Flavors           | Process                         | $F_{ij}^V$ [GeV]                               | $F_{ij}^A$ [GeV] |
|-------------------|---------------------------------|------------------------------------------------|------------------|
| $s \rightarrow d$ | $K^+ \rightarrow \pi^+ a$       | $6.8 \times 10^{11}$<br>( $2 \times 10^{12}$ ) | —<br>—           |
| $b \rightarrow s$ | $B^{+,0} \rightarrow K^{+,0} a$ | $3.3 \times 10^8$<br>( $3 \times 10^9$ )       | —<br>—           |
| $b \rightarrow d$ | $B^+ \rightarrow \pi^+ a$       | $1.1 \times 10^8$<br>( $3 \times 10^9$ )       | —<br>—           |
| $c \rightarrow u$ | $D^+ \rightarrow \pi^+ a$       | $9.7 \times 10^7$<br>( $5 \times 10^8$ )       | —<br>—           |

- 2-body meson decays:

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# FV DEC

| Flavors           | Process                           | $F_{ij}^V$ [GeV]                         | $F_{ij}^A$ [GeV]                                           |
|-------------------|-----------------------------------|------------------------------------------|------------------------------------------------------------|
|                   | $\Lambda \rightarrow n a$ (decay) | $6.9 \times 10^6$<br>( $1 \times 10^9$ ) | $5.0 \times 10^6$<br>( $8 \times 10^8$ )                   |
| $s \rightarrow d$ | $\Xi^0 \rightarrow \Sigma^0 a$    | $1.6 \times 10^7$<br>( $2 \times 10^8$ ) | <b><math>2.0 \times 10^7</math></b><br>( $3 \times 10^8$ ) |

- 2-body meson decays:

- $P_1 \rightarrow P_2 a$  sensitive to  $F_{ij}^V$

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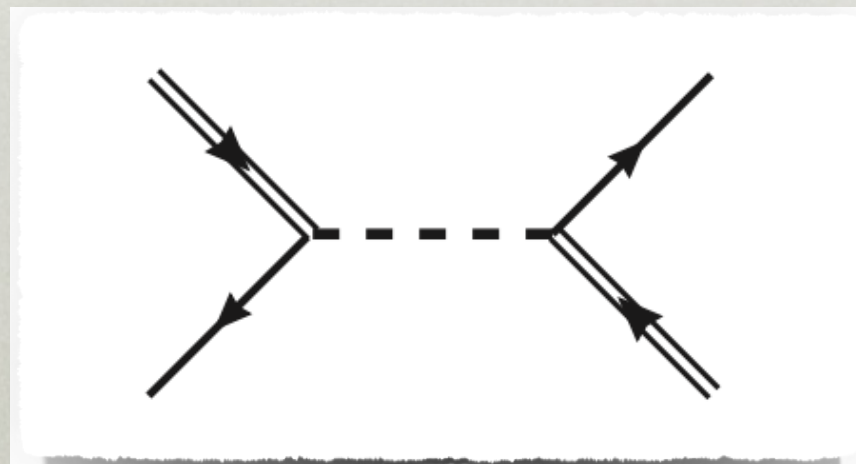
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# MESON MIXING

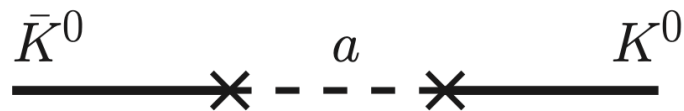
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- can reliably predict bounds from meson mixing
  - ChPT for  $K - \bar{K}$  mixing
  - OPE for  $B_q - \bar{B}_q$ ,  $D - \bar{D}$  mixing
- bounds do not depend on ALP decay mode
- but they are UV sensitive
  - there could be cancellations with other dim 6 NP ops.



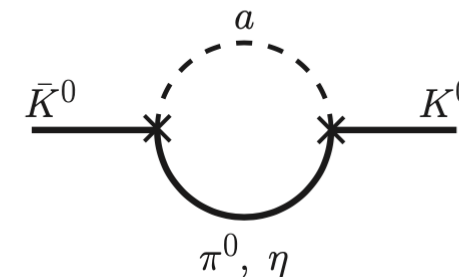
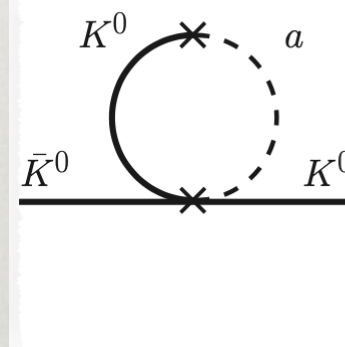
# KAON MIXING

- use ChPT, work to NLO
- at LO, sensitive to  $F_{ij}^V$ , at NLO to  $F_{ij}^A$ 
  - results applicable to other light scalar mediators



$\frac{5}{6}$  in vacuum insertion approx.

$$M_{12}^A = \left( \frac{f_K}{F_{ds}^A} \right)^2 \frac{m_K}{2} \left\{ 1 - \frac{2m_K^2}{f_K^2} (\alpha_0 + 2\alpha_1) + \frac{8}{3} \frac{m_K^2}{16\pi^2 f_K^2} \left( 1 - \log \left( \frac{m_K^2}{\mu^2} \right) \right) \right\}.$$

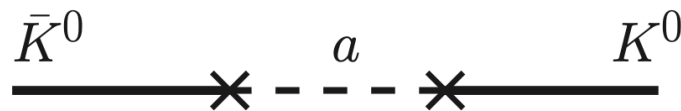


$$M_{12}^V - i \frac{\Gamma_{12}^V}{2} = \left( \frac{f_K}{F_{ds}^V} \right)^2 \frac{m_K}{2} \left( 1 - \frac{m_\pi^2}{m_K^2} \right)^2 \times \left\{ \frac{m_K^2}{32\pi^2 f_K^2} (I_0(z_\pi) + \frac{1}{3} I_0(z_\eta)) + \frac{2m_K^2}{f_K^2} (\alpha_0 - 2\alpha_1) \right\}.$$

# KAON MIXING

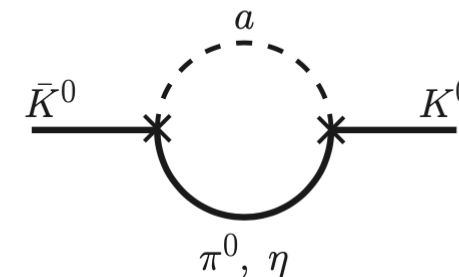
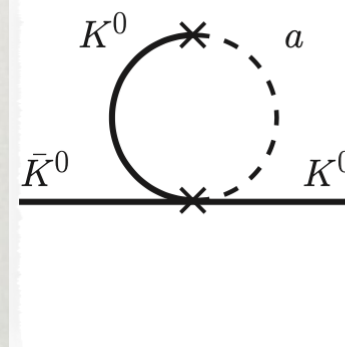
| Flavors           | Process                        | $F_{ij}^V$ [GeV]    | $F_{ij}^A$ [GeV]  |
|-------------------|--------------------------------|---------------------|-------------------|
| $s \rightarrow d$ | $K - \bar{K}$ ( $\Delta m_K$ ) | $5.1 \times 10^5$ † | $2.0 \times 10^6$ |
|                   | ( $\epsilon_K$ )               | $0.9 \times 10^6$ † | $4.4 \times 10^7$ |

- use ChPT, work to N<sup>2</sup>LO
- at LO, sensitive to  $F_{ij}^V$ , at NLO to  $F_{ij}^A$
- results applicable to other light scalar mediators



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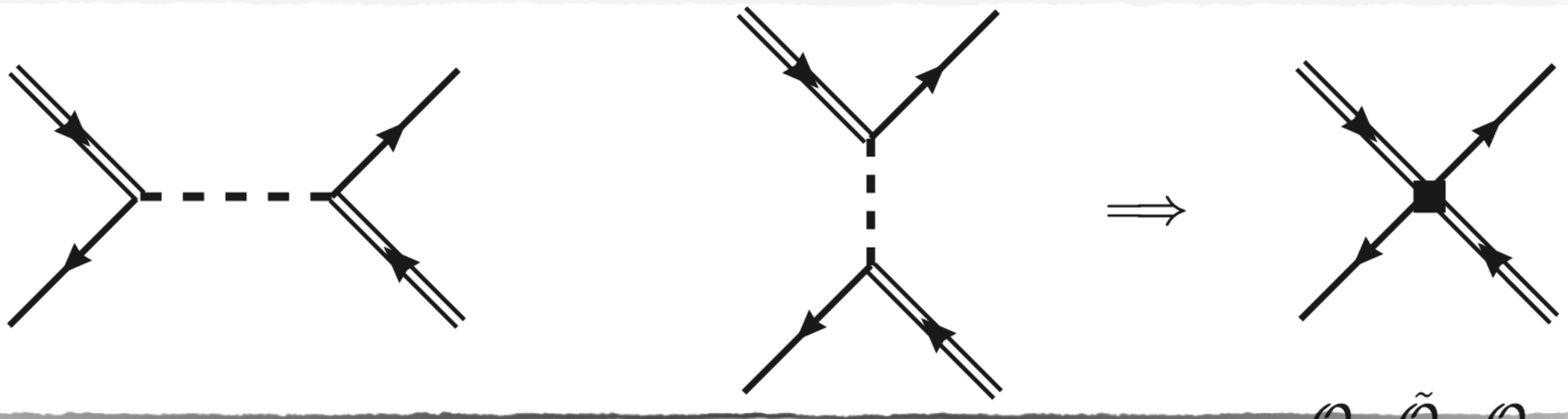
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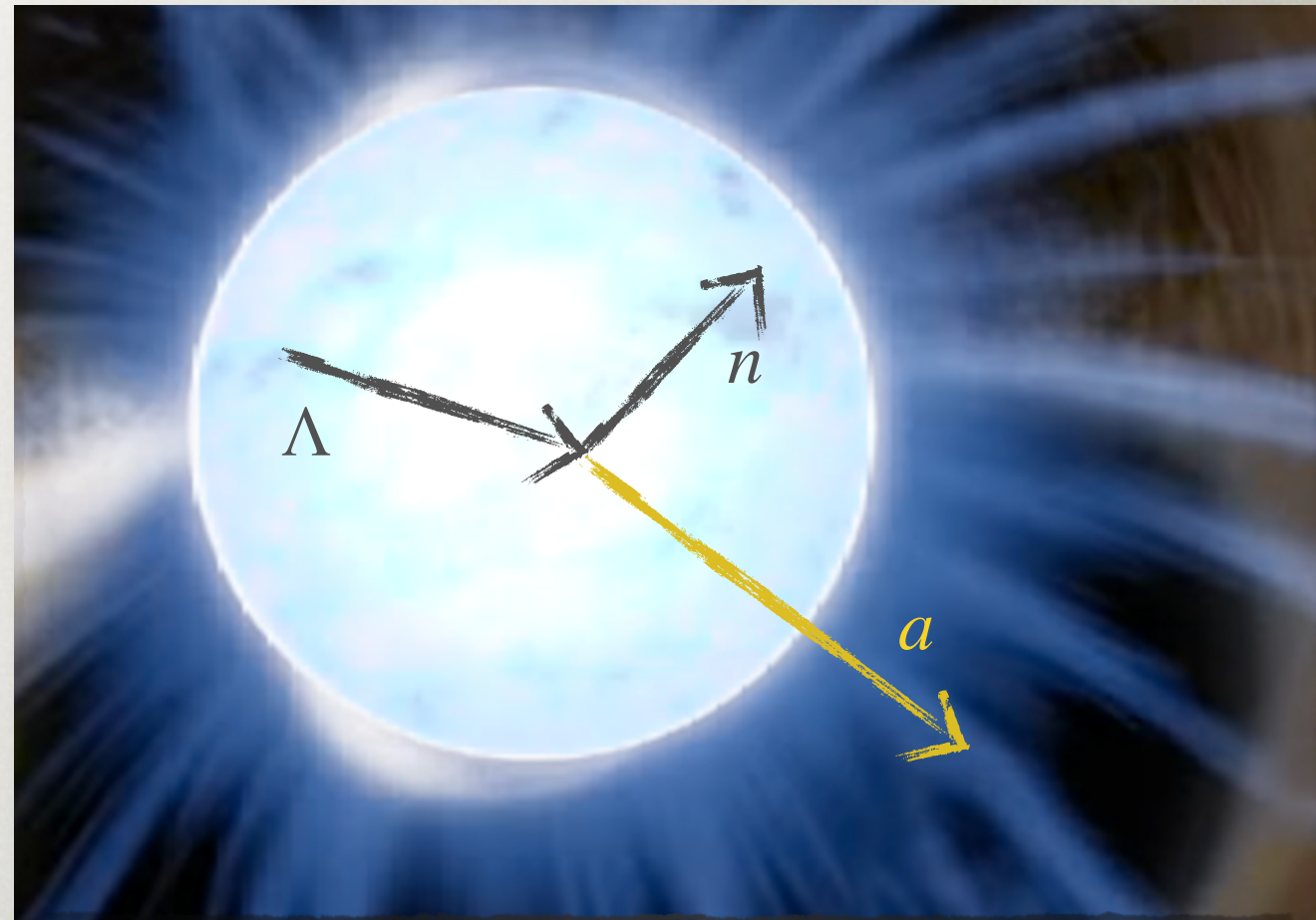
# HEAVY MESON MIXING

- since  $\Lambda_{\text{QCD}}, m_{u,d,s} \ll m_Q$  can use operator product expansion
- $s$ -channel and  $t$ -channel exchanges of the same order
- phenomenologically important for bounding  $cu$ - $a$  couplings, otherwise less stringent than decays
- expressions valid for other scalar light mediators



# SUPERNOVA BOUNDS

- in neutron star  $\Lambda$ ,  $n$ ,  $p$ ,  $e$  are in equilibrium
- $\Lambda \rightarrow na$  decays can cool the proto-neutron star
- $\Lambda$ ,  $n$  have the same Fermi energy  $\Rightarrow$  at  $T=0$  Pauli blocking forbids  $\Lambda \rightarrow na$  decays
- at finite temperature volume emission rate (in NR limit)

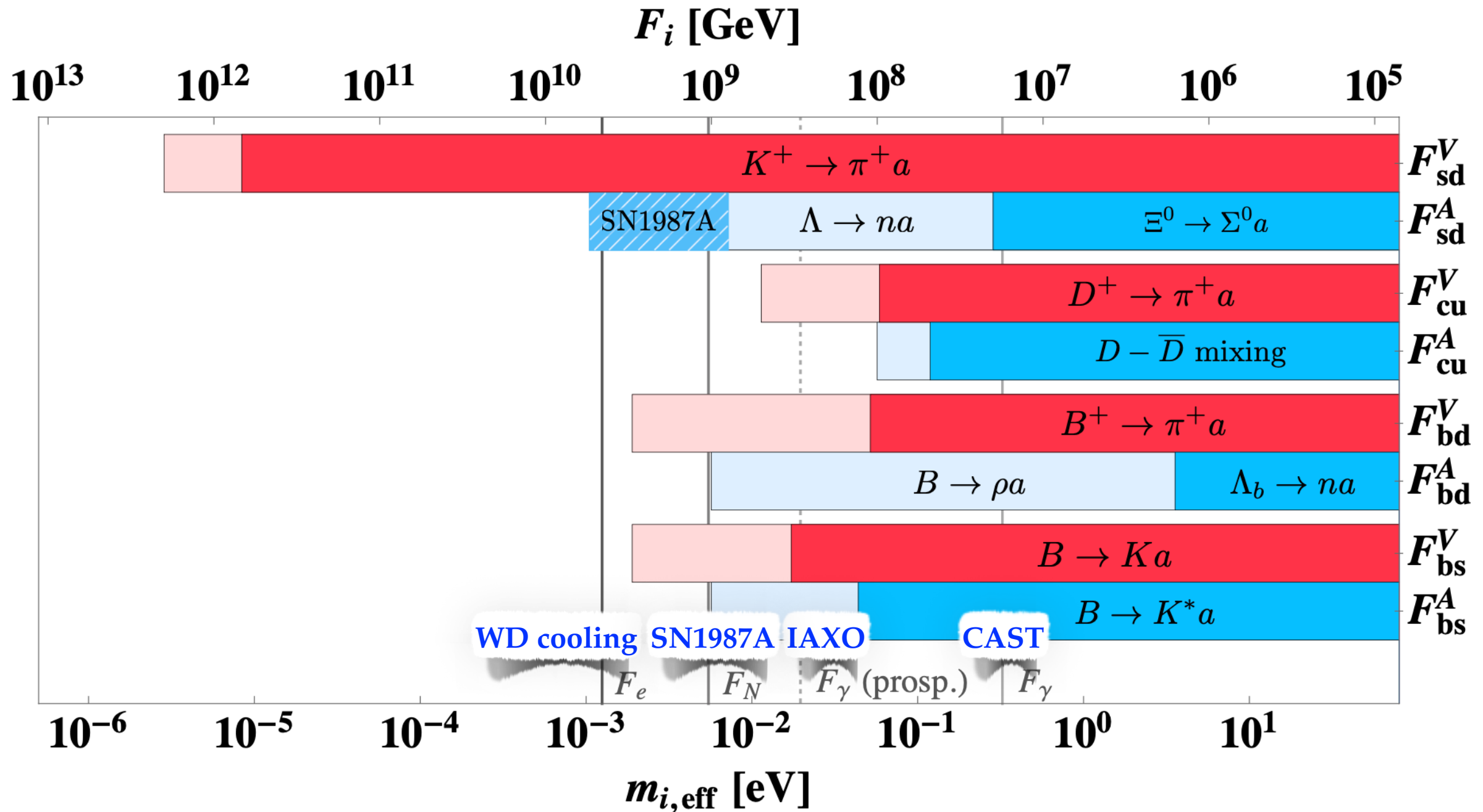


$$Q \simeq n_n (m_\Lambda - m_n) \Gamma(\Lambda \rightarrow na) e^{-\frac{m_\Lambda - m_n}{T}},$$

see also Camalich et al, 2012.11632

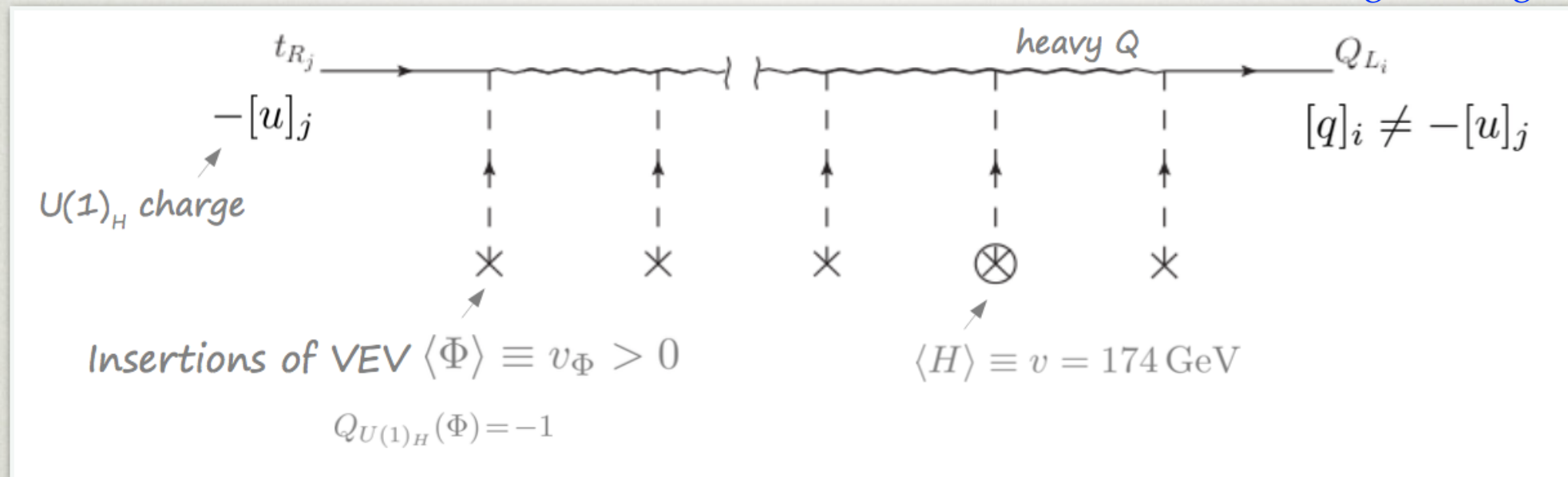
- assuming this is below neutrino emission rate 1sec after the collapse of SN1987A
  - bounds on  $|F_{sd}^A|$  and  $|F_{sd}^V|$  in the range  $10^9 - 10^{10}$  GeV

# PROSPECTS



# EXPLICIT MODEL - AXIFLAVON

Calibbi, Goertz, Redigolo, Ziegler, JZ, 1612.08040



- FN mechanism involves
  - vector-like fermions (no QCD anomaly)
  - scalar flavon fields
- effective Yukawas governed by flavon insertions (so that invariant under flavor symm.)

Froggatt, Nielsen, NPB 147, 277 (1979),...

$$\mathcal{L}_{eff} \sim \left( \frac{\phi}{\Lambda_F} \right)^{x_{ij}} h \bar{q}_i u_j$$

$$\epsilon \equiv \frac{\phi}{\Lambda_F}$$

- hierarchy from powers of small parameter  $\epsilon$

# AXIFLAVON

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- ingredients for axion mechanism
  - need a global PQ symmetry that is spontaneously broken  
 $\Rightarrow$  Goldstone boson is the axion
  - global symmetry needs to be anomalous under QCD
- flavor symmetries that explain Yukawa hierarchies have a QCD anomaly
- axiflavor mechanism: identify PQ symmetry with FN  $U(1)_H$ 
  - the phase of the flavon is the QCD axion = axiflavor

$$\Phi = \frac{f + \phi(x)}{\sqrt{2}} e^{ia(x)/f}$$

Wilczek, PRL 49, 1549 (1982)

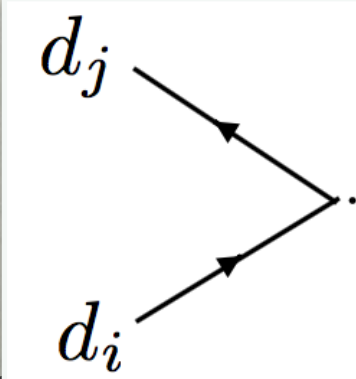
Calibbi, Goertz, Redigolo, Ziegler, JZ, 1612.08040

Ema, Hamaguchi, Moroi, Nakayama, 1612.05492

# SEARCHING FOR AXIONS/ AXIFLAVONS

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- axiflavor
  - flavor violating couplings to fermions
  - in addition to flavor diagonal couplings to electrons, nucleons, couplings to photons, gluons
  - in the minimal FN axiflavor model

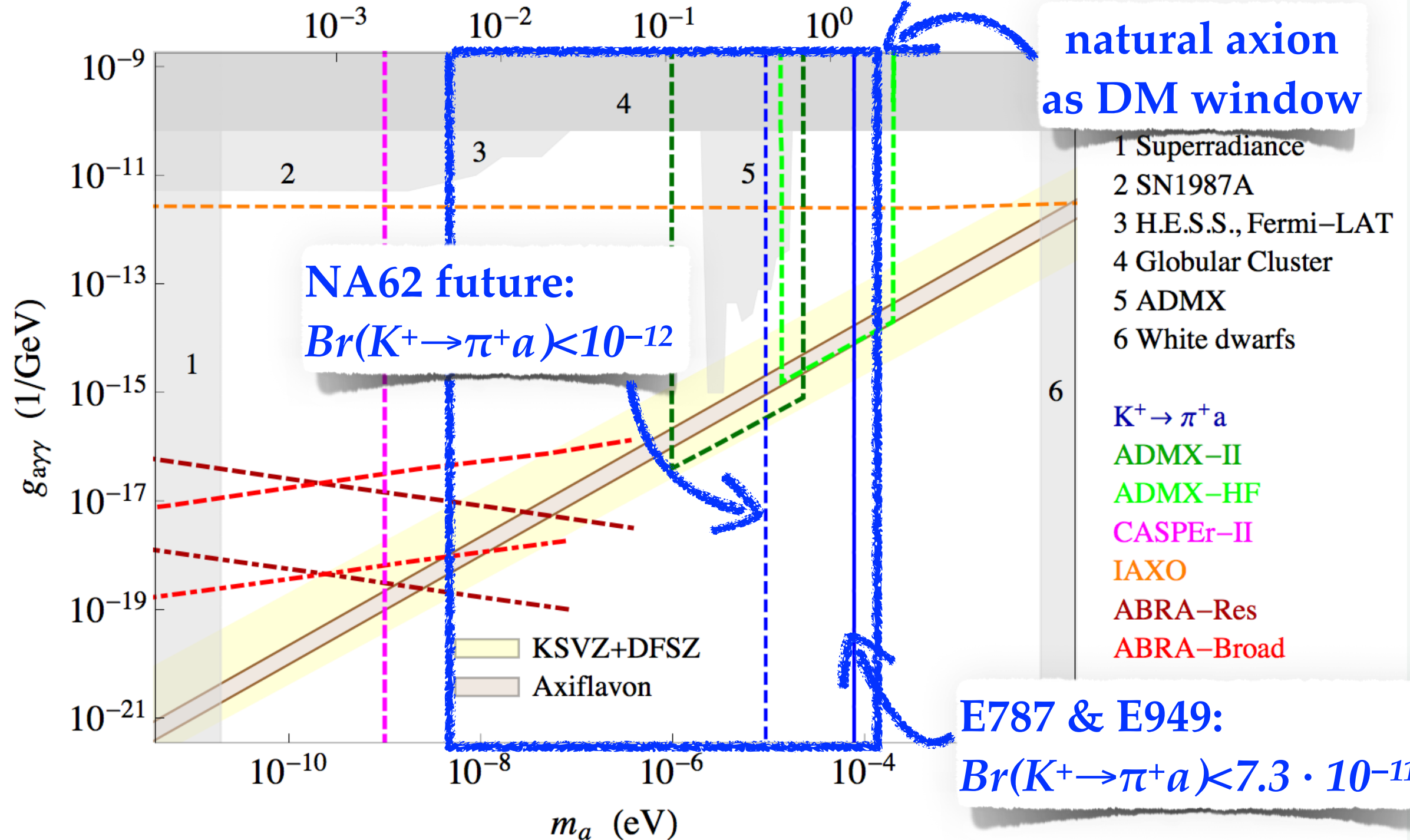

$$\sim \frac{\sqrt{m_i m_j}}{f_a} \sim \frac{m_a}{\mu\text{eV}} \frac{\sqrt{m_i m_j}}{10^{12}\text{GeV}}$$

# SEARCHING FOR AXIONS/ AXIFLAVONS

minimal axiflapon

Calibbi, Goertz, Redigolo, Ziegler, JZ, 1612.08040

natural axion  
as DM window



# LEPTONIC FCNCs

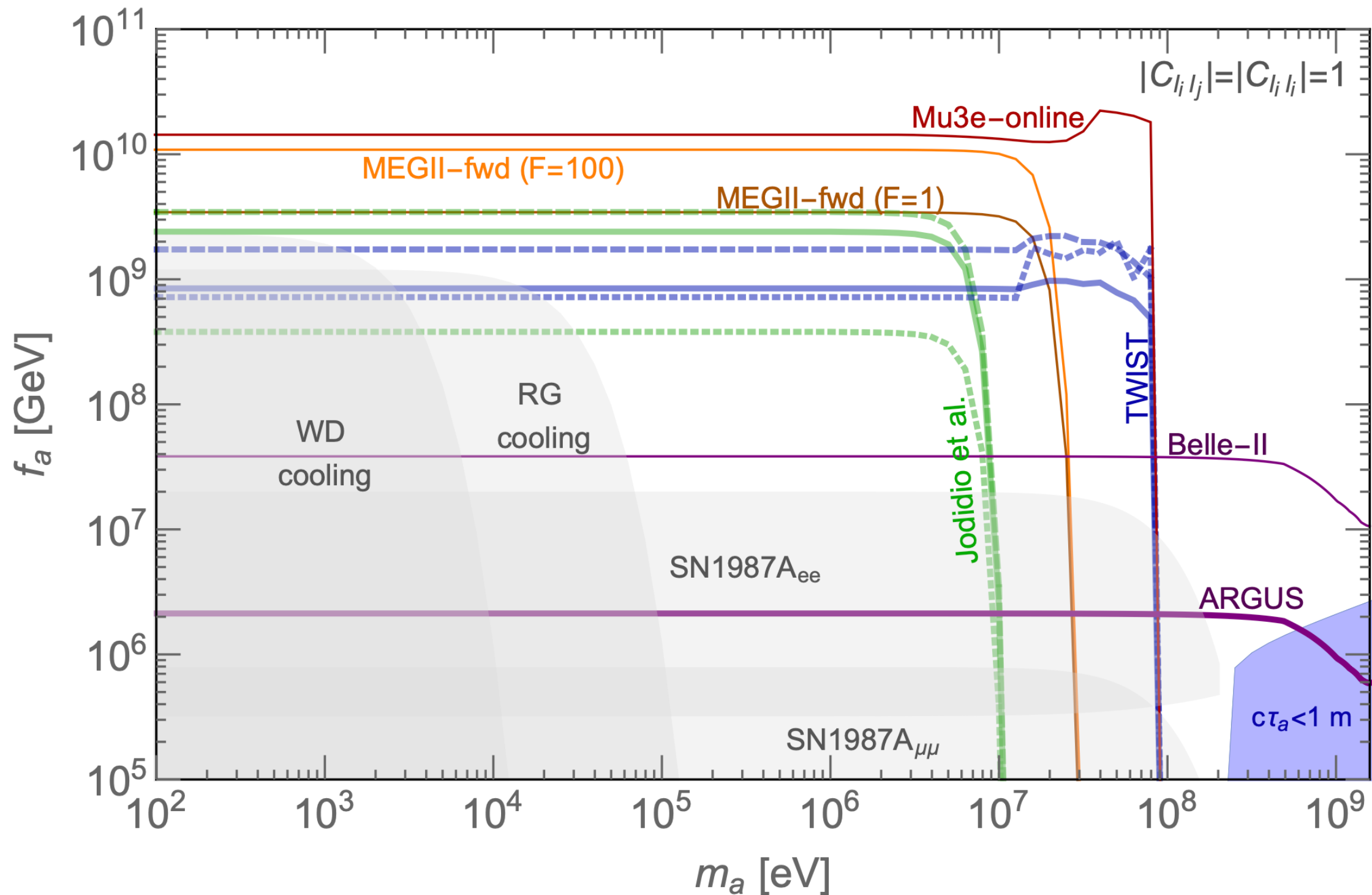
# LFV ALPs

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Calibbi, Redigolo, Ziegler, JZ, 2006.04795

- assume ALP with (predominantly) FV leptonic couplings
  - will allow for varying ALP masses
- main question
  - what does  $\mathcal{O}(10^{15} - 10^{17})$  muons at MEG-II, Mu3e, Mu2e buy us?
  - compare with  $2 \times 10^7 \mu$  @ Jodidio et al. (1986), and  $6 \times 10^8 \mu$  @ TWIST (2015)

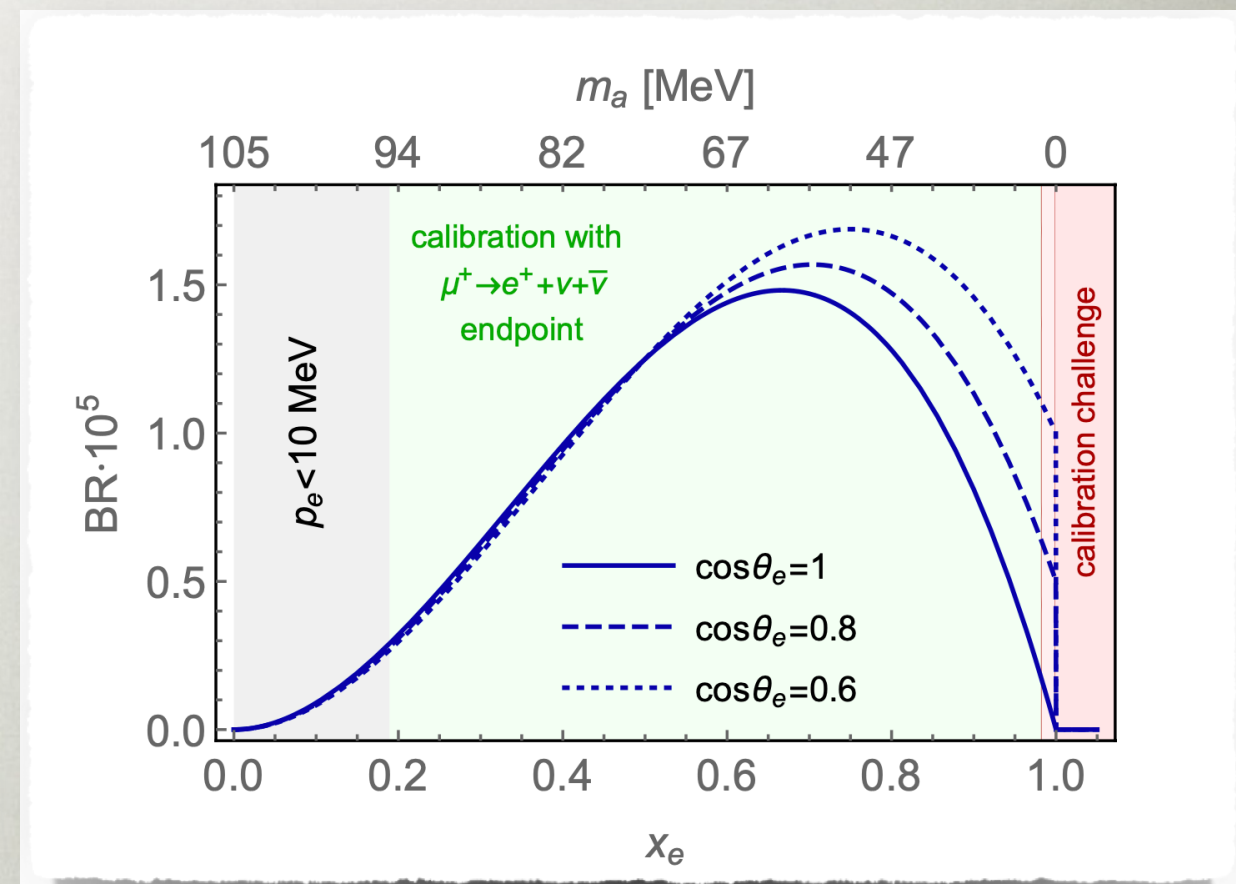
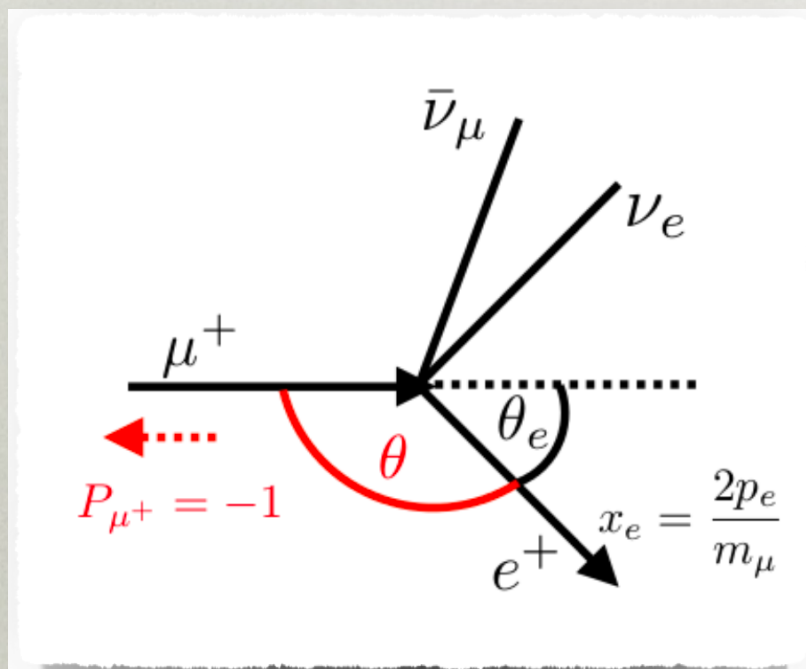
# THE UPSHOT



# $\mu^+ \rightarrow e^+ a$ SEARCHES

- two types of searches for  $\mu^+ \rightarrow e^+ a$  positron line
- suppress the SM bckg.,  $\mu \rightarrow e \nu \bar{\nu}$ 
  - use polarized muons  $\langle P_\mu \rangle \simeq -1$ , in the forward region  
SM suppressed
  - sensitive only to RH ALP

Jodidio et al. 1986

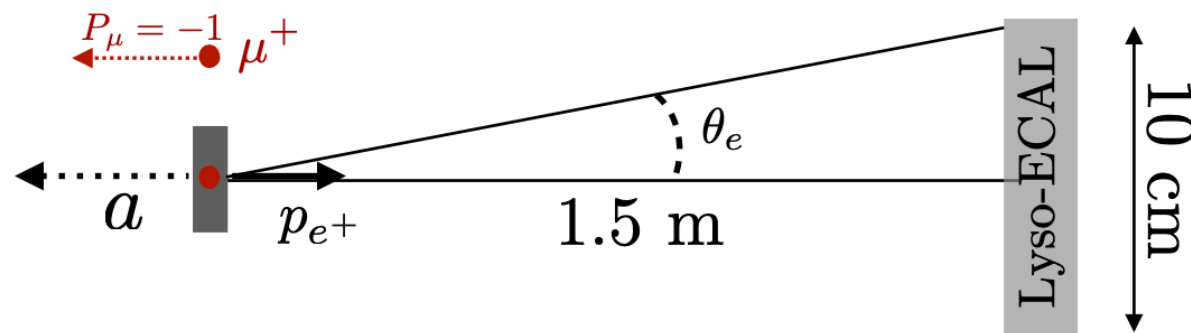


- do not suppress the SM, also sensitive to LH ALP, TWIST

TWIST, 2015

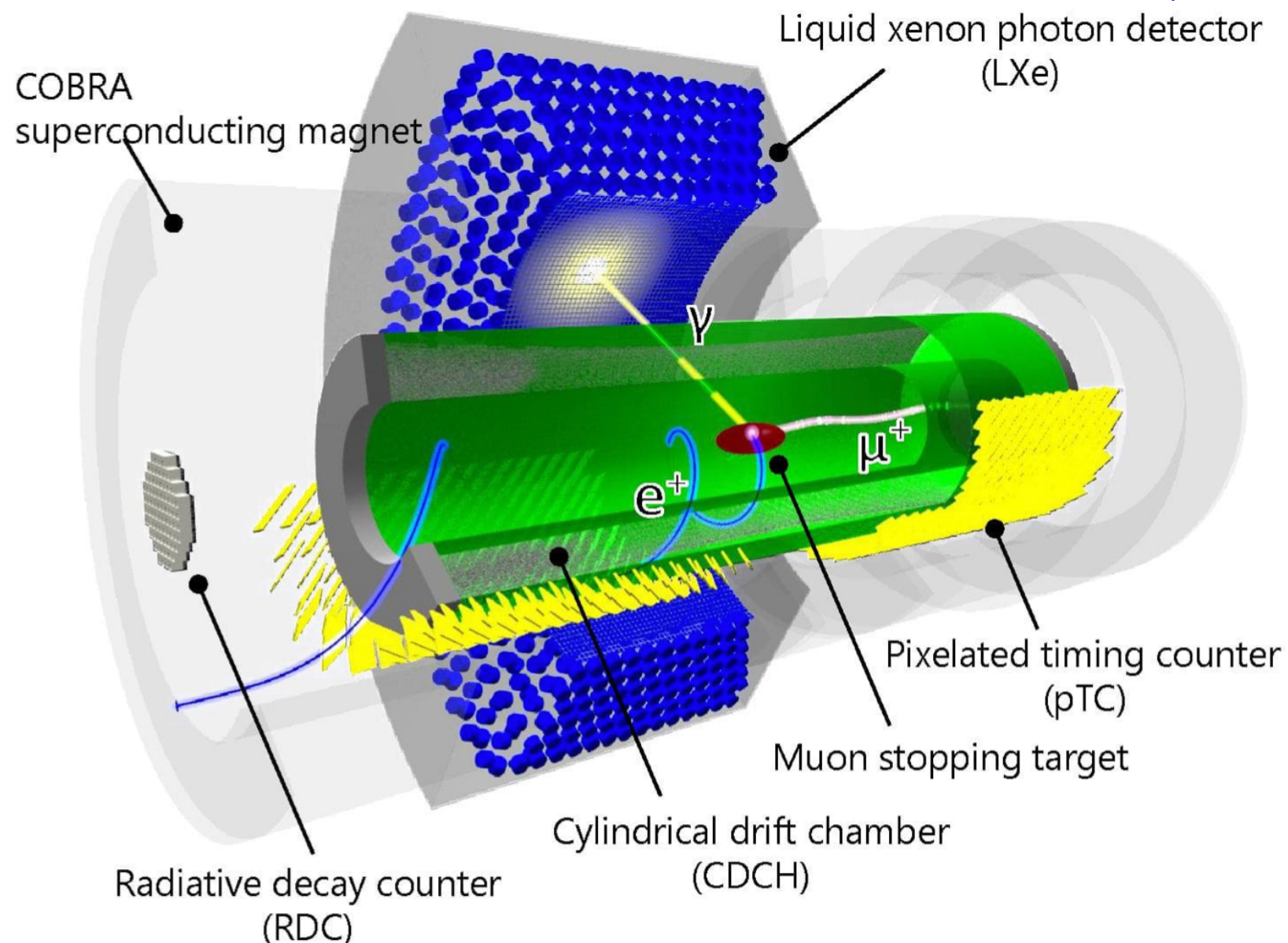
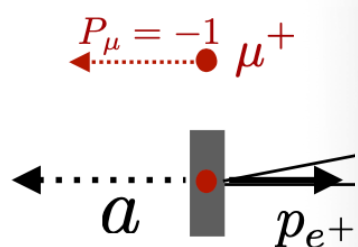
# MEGII-FWD

- MEGII could be repurposed for  $\mu^+ \rightarrow e^+ a$  search  
 $\Rightarrow$  MEGII-fwd
- already has polarized muons
- place a Lyso ECAL downstream



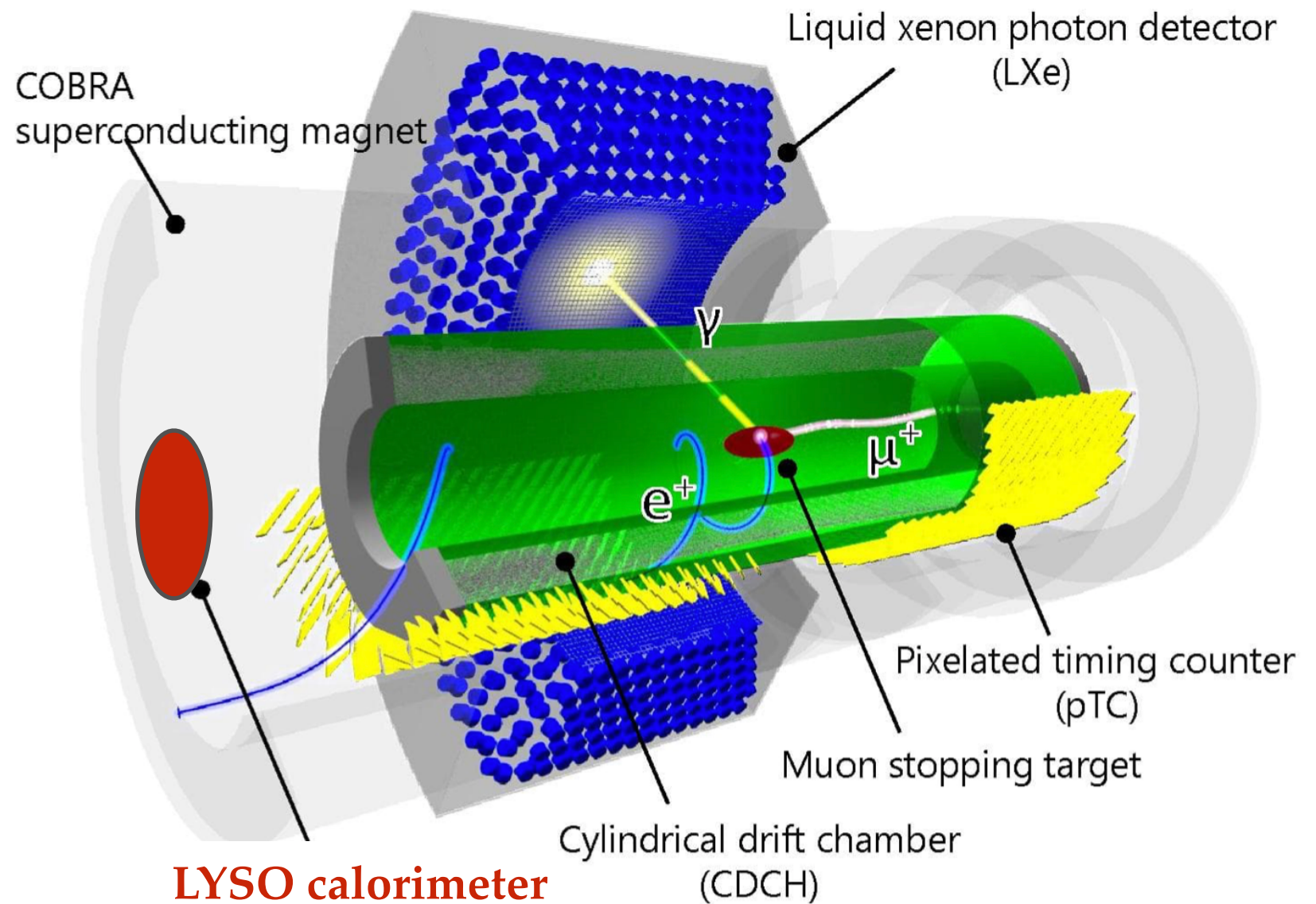
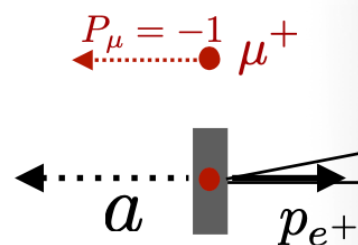
- need to reconfigure the magnetic field
  - most conservative no focusing,  $F=1$
  - possibly more realistic  $F=100$
- interesting reach already with 2 weeks of running

- MEGII co  
⇒ MEGII
- already h
- place a Ly

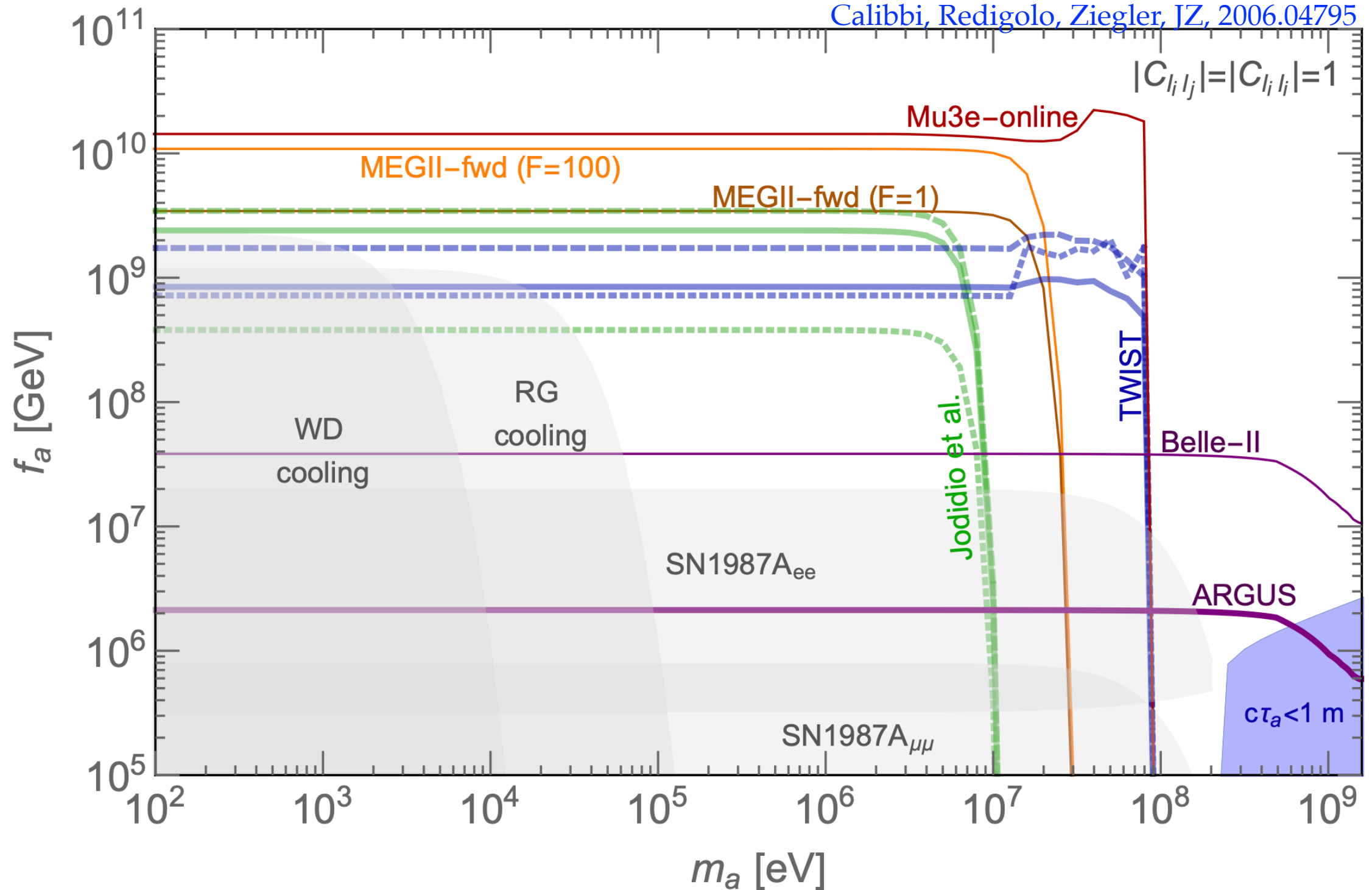


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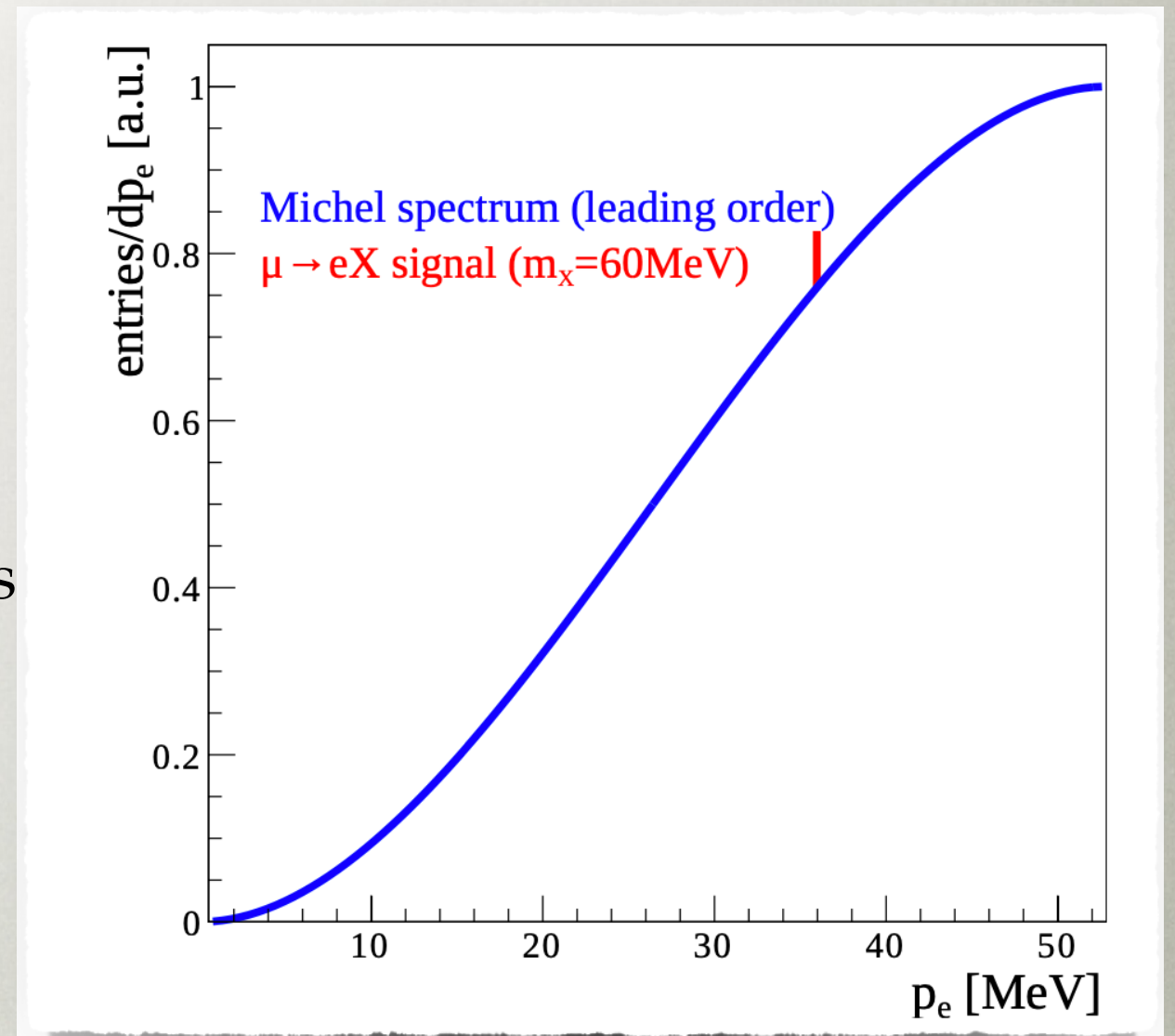
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# Mu3e-online

A.-K. Perrevoort, PhD thesis

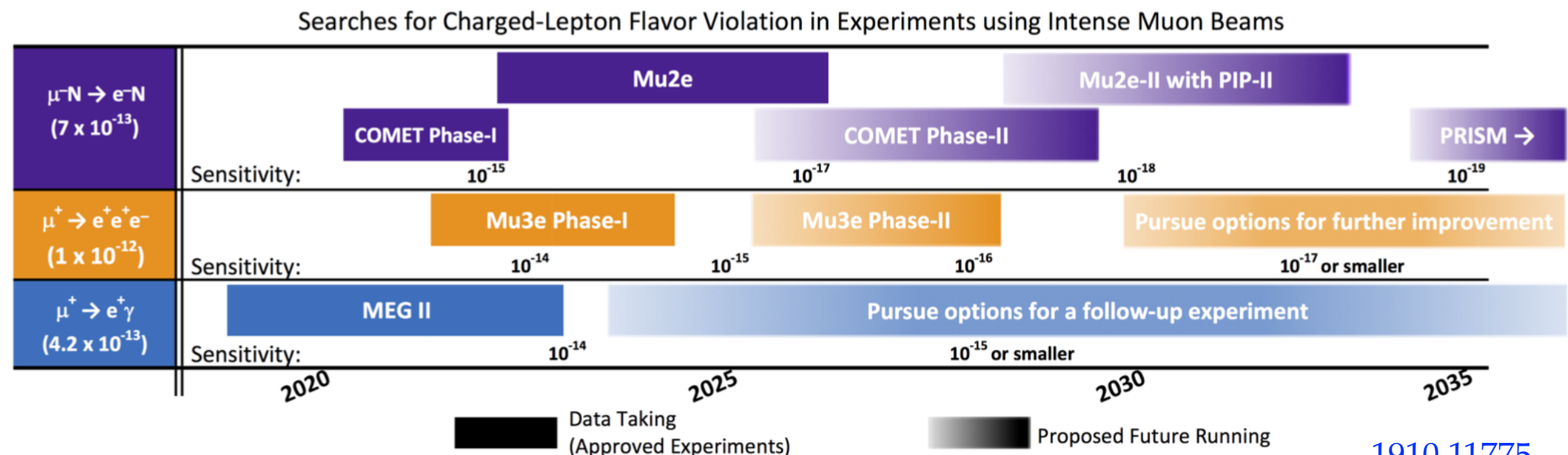
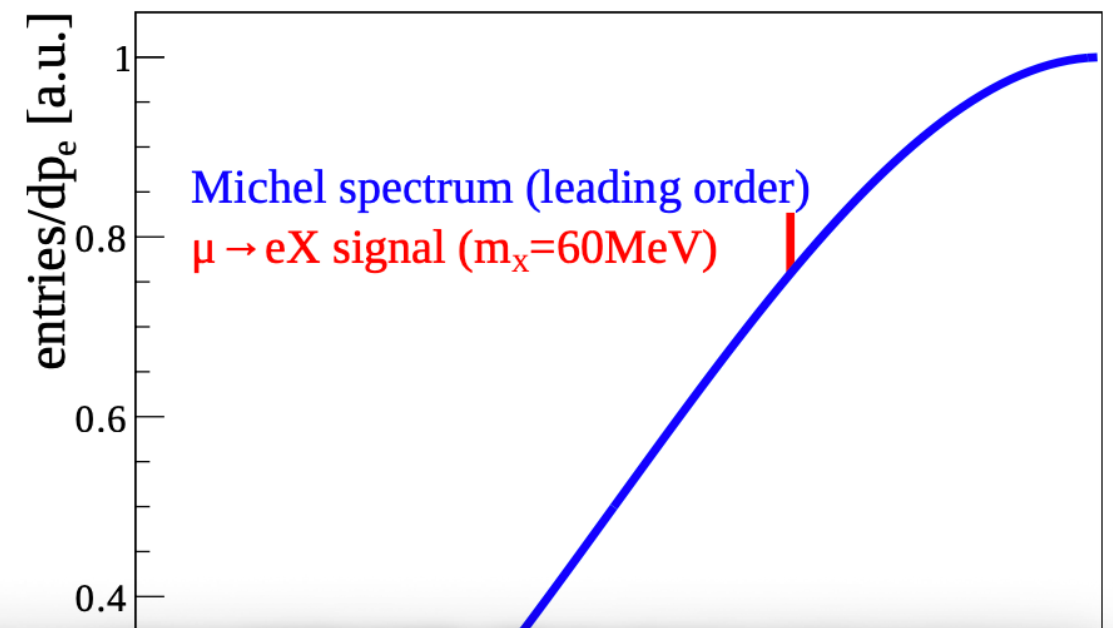
- Mu3e-online: a dedicated search strategy at Mu3e
- online event reconstruction with fgpa's
  - $p_e^\mu$  on tape from reduced info ("short tracks"=4 hits in 4 layers)
- bump hunt on Michel spectrum
  - sensitive to both LH and RH ALPs



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  - $p_e^\mu$  on tape from reduced info ("short tracks"=4 hits in 4 layers)
- bump hunt on Michel spectrum
  - sensitive to both LH and RH ALPs



1910.11775

# ALPs IN TAU DECAYS

- for  $\tau \rightarrow \ell a$  the challenge is the extra missing energy
  - $e^+e^- \rightarrow \tau^+(\rightarrow \ell^+a)\tau^-(\rightarrow \rho^-\nu_\tau)$
- can only boost to pseudo-rest frame of tau
- current bound from ARGUS 1995

$$\text{BR}(\tau \rightarrow \mu a) < 4.5 \times 10^{-3} \quad (95\% \text{ C.L.}) \quad \Rightarrow \quad F_{\tau\mu} \gtrsim 3.3 \times 10^6 \text{ GeV}.$$

ARGUS, 1995

$$\text{Belle (1/ab) prospect: } \text{BR}(\tau \rightarrow \mu a) < 1.1 \times 10^{-4} \quad \Rightarrow \quad F_{\tau\mu} \gtrsim 2.1 \times 10^7 \text{ GeV}.$$

Belle, 2017

$$\text{Belle-II (50/ab) prospect: } \text{BR}(\tau \rightarrow \mu a) < 1.4 \times 10^{-5} \quad \Rightarrow \quad F_{\tau\mu} \gtrsim 5.6 \times 10^7 \text{ GeV}.$$

our naive rescaling

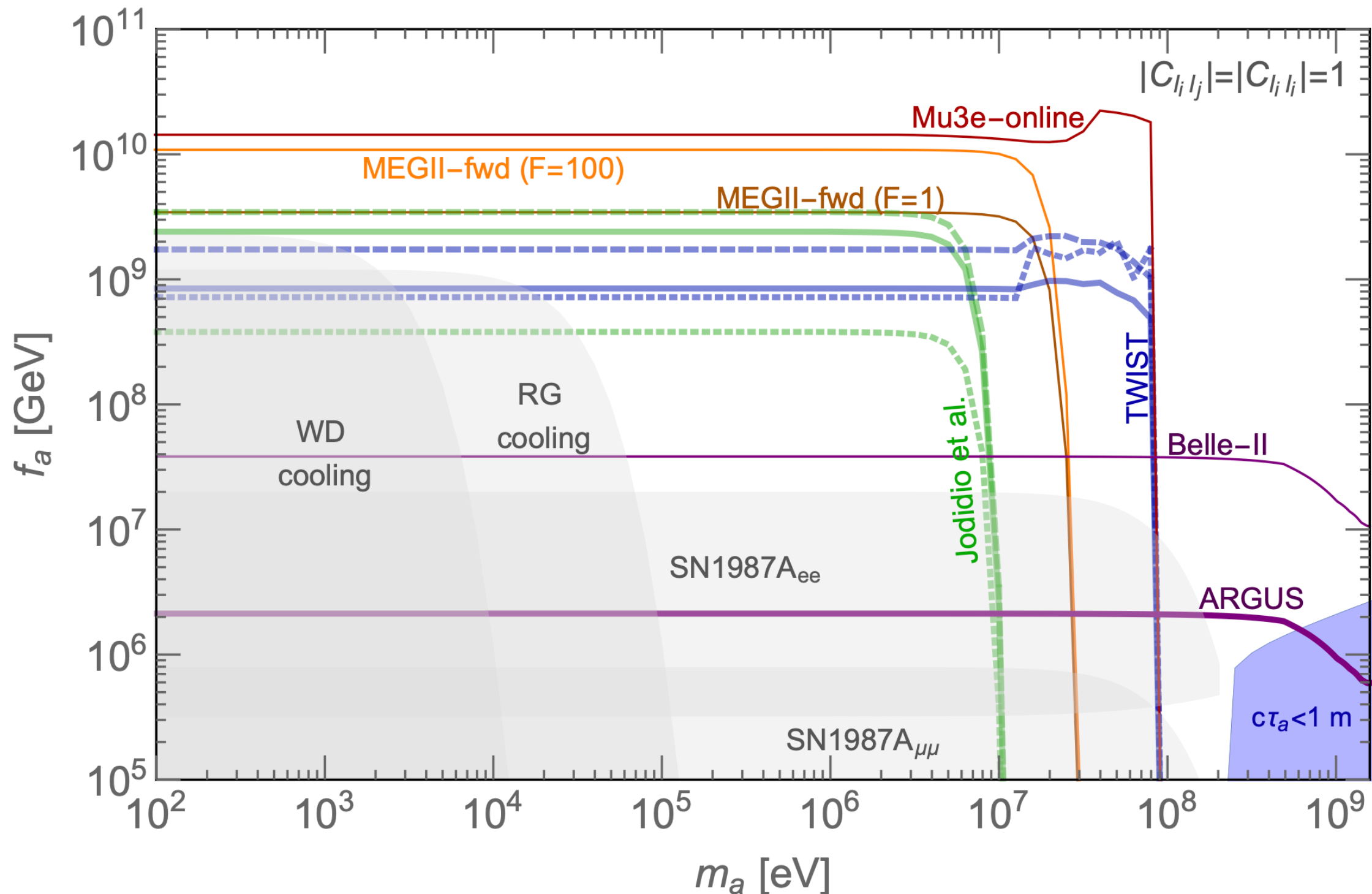
# ASTROPHYSICS BOUNDS

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Raffelt, Weiss , [hep-ph/9410205](#)

- bounds on massless ALP-electron from red giants and white-dwarf cooling well known
  - due to  $e^- + N \rightarrow e^- + N + a$
  - we rescale to nonzero ALP masses
- above  $m_a \gtrsim 0.1$  MeV SN bounds become important (new!)
- also bounds on couplings to muons, but less severe

# ASTROPHYSICS BOUNDS



10205

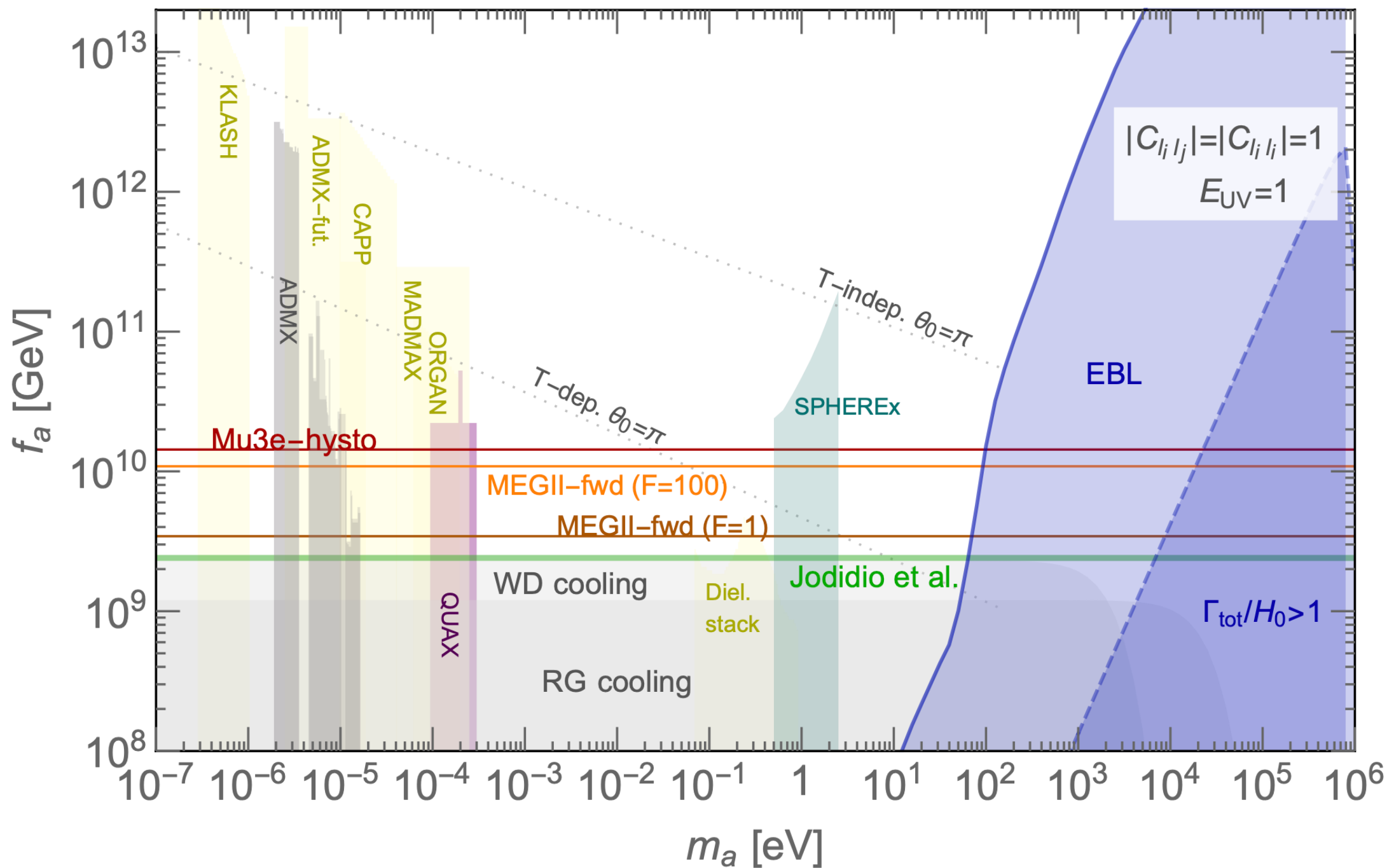
# LFV ALP DARK MATTER

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- 0-th order condition for ALP to be a DM: be stable on Hubble time
- assume  $a \rightarrow \gamma\gamma$  dominates

$$\frac{H_0}{\Gamma_{\text{tot}}} = H_0\tau_a > 1, \quad \text{where} \quad H_0\tau_a \simeq 5.4 \left( \frac{1}{E_{\text{eff}}^2} \right)^2 \left( \frac{10 \text{ keV}}{m_a} \right)^3 \left( \frac{f_a}{10^{10} \text{ GeV}} \right)^2.$$

- if ALP is observed in a LFV process  $\Rightarrow m_a \lesssim 10 \text{ keV}$ 
  - LFV experiments most sensitive for some  $m_a$
  - need other experiments to confirm it is DM



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# SAMPLE LFV ALP MODELS

- 
- show several examples of LFV ALP
    - LFV QCD axion
    - LFV axiflavor
    - leptonic familon
    - majoron

# LFV QCD AXION

- DFSZ-like model: 2HDM+S:  $X_S = 1, X_{H_2} = 2 + X_{H_1}$
- flavor universal  $U(1)_{PQ}$  charges in quark sector, non-universal in leptonic

Yukawa coupl. to  $H_1$

$$y_e = \begin{pmatrix} 0 & x & x \\ x & 0 & 0 \\ x & 0 & 0 \end{pmatrix},$$

Yukawa coupl. to  $H_2$

$$y'_e = \begin{pmatrix} 0 & 0 & 0 \\ 0 & x & x \\ 0 & x & x \end{pmatrix}$$

$\Rightarrow$  gives lepton FV coupl.s of axion

$$y_u = \begin{pmatrix} x & x & x \\ x & x & x \\ x & x & x \end{pmatrix},$$

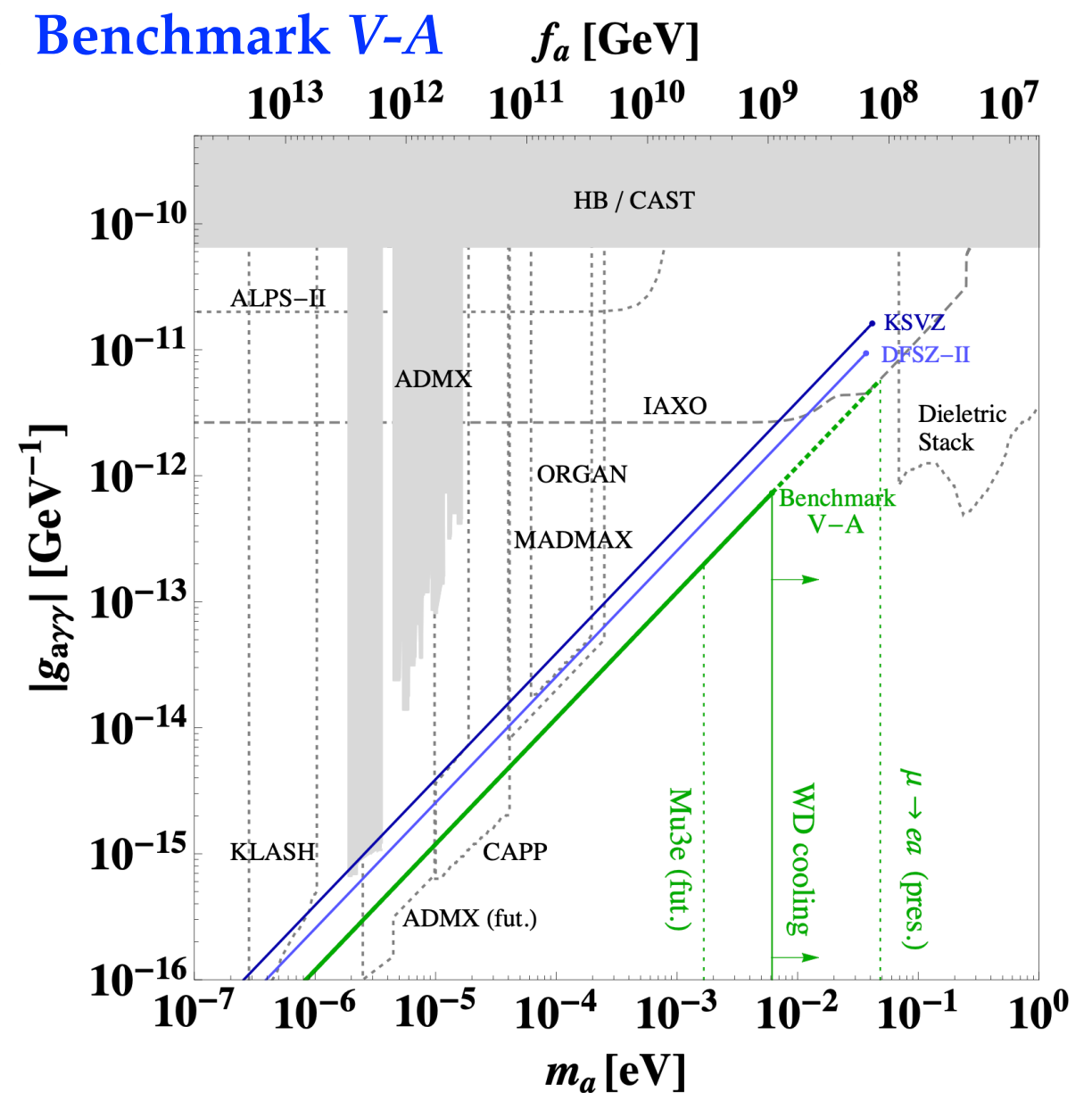
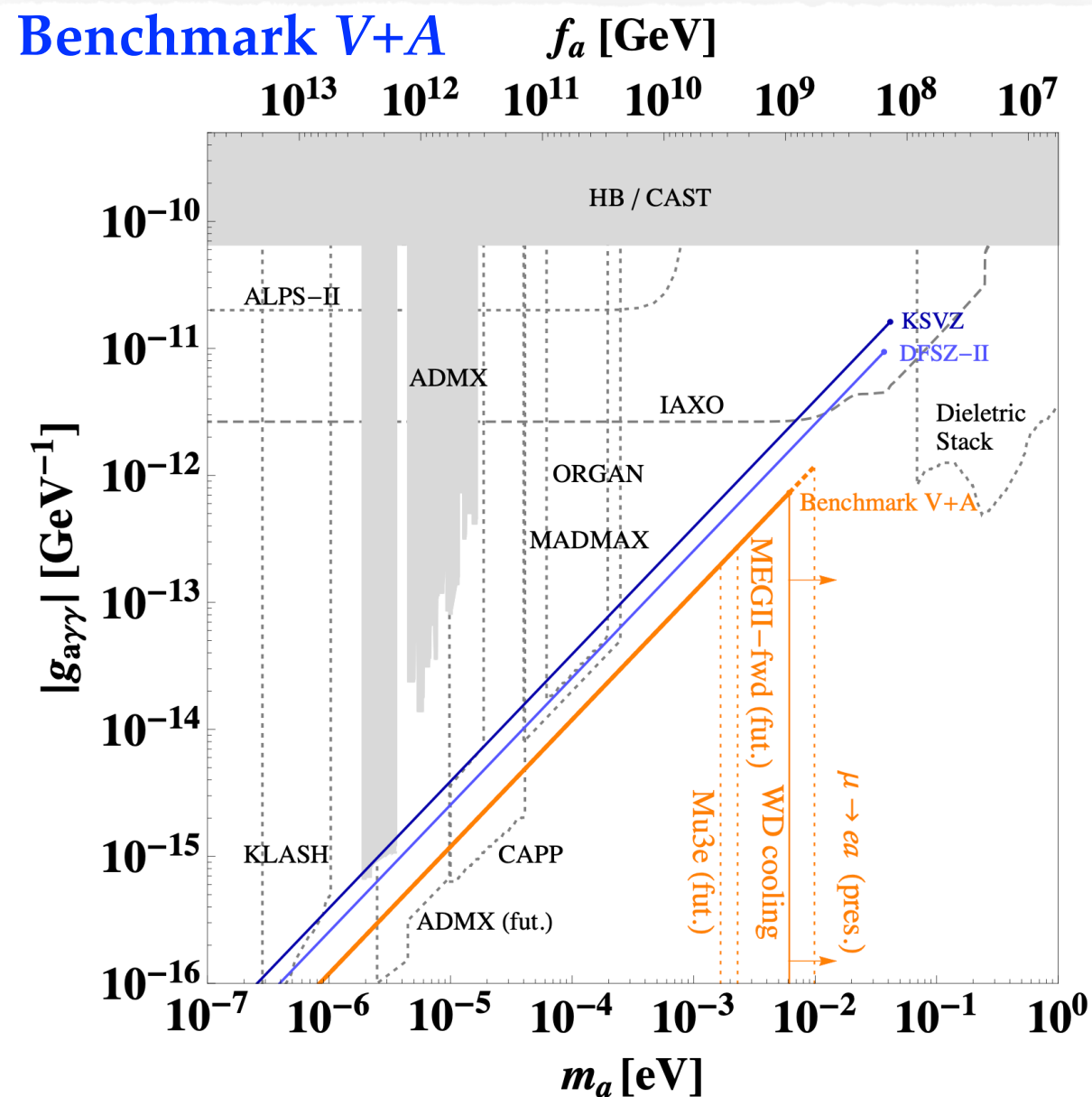
$$y_d = \begin{pmatrix} x & x & x \\ x & x & x \\ x & x & x \end{pmatrix}$$

$\Rightarrow$  axion-quark couplings flavor diagonal

- hierarchy of entries external input

# LFV QCD AXION

- two benchmarks, assume just 1-2 mixing



# LFV AXIFLAVON

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Calibbi, Redigolo, Ziegler, JZ, 2006.04795

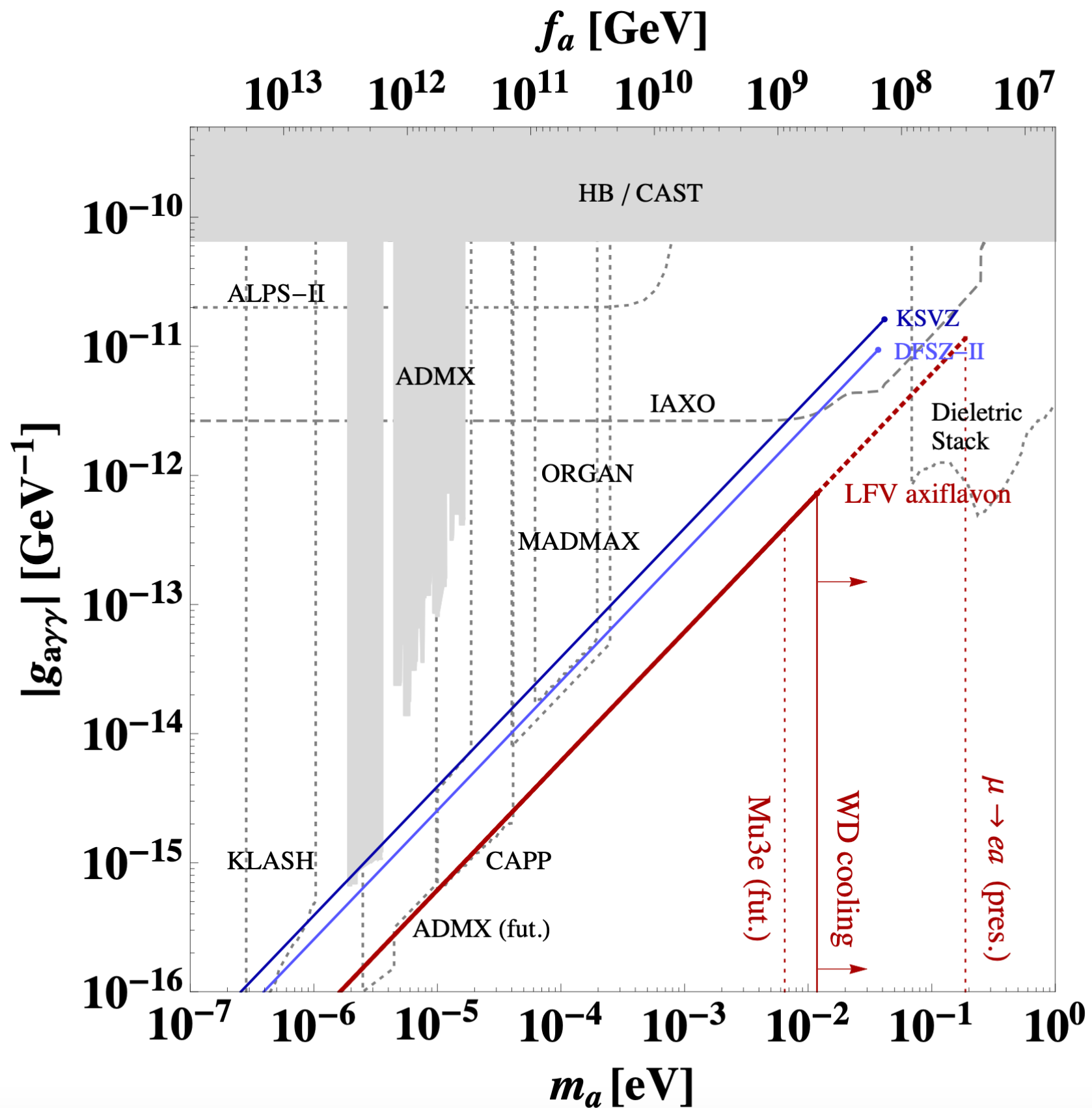
see also, Linster, Ziegler, 1805.07341

- the PQ symmetry is part of  $SU(2)_F \times U(1)_F$  flavor group
  - all FV couplings need to go through 3rd generation
  - for leptons 1-2 and 1-3 mixings are larger (in LH sector to reproduce PMNS matrix)
- $\Rightarrow$  unlike minimal axiflavor,  $K \rightarrow \pi a$  suppr.
  - the observation mode is  $\mu \rightarrow ea$

- the  
fla



- ⇒



JZ, 2006.04795  
ler, 1805.07341

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er  
(x)

Dr.

# LEPTONIC FAMILON

---

- separate Froggatt-Nielsen U(1) for quarks and leptons
  - leptonic  $f_a$  scale assumed lighter  $\Rightarrow$  these couplings dominate
  - familon mass a free parameter
- two benchmark charge assignments

$$([L]_1, [L]_2, [L]_3) = (L, L, L), \quad [\text{Pure Anarchy}].$$

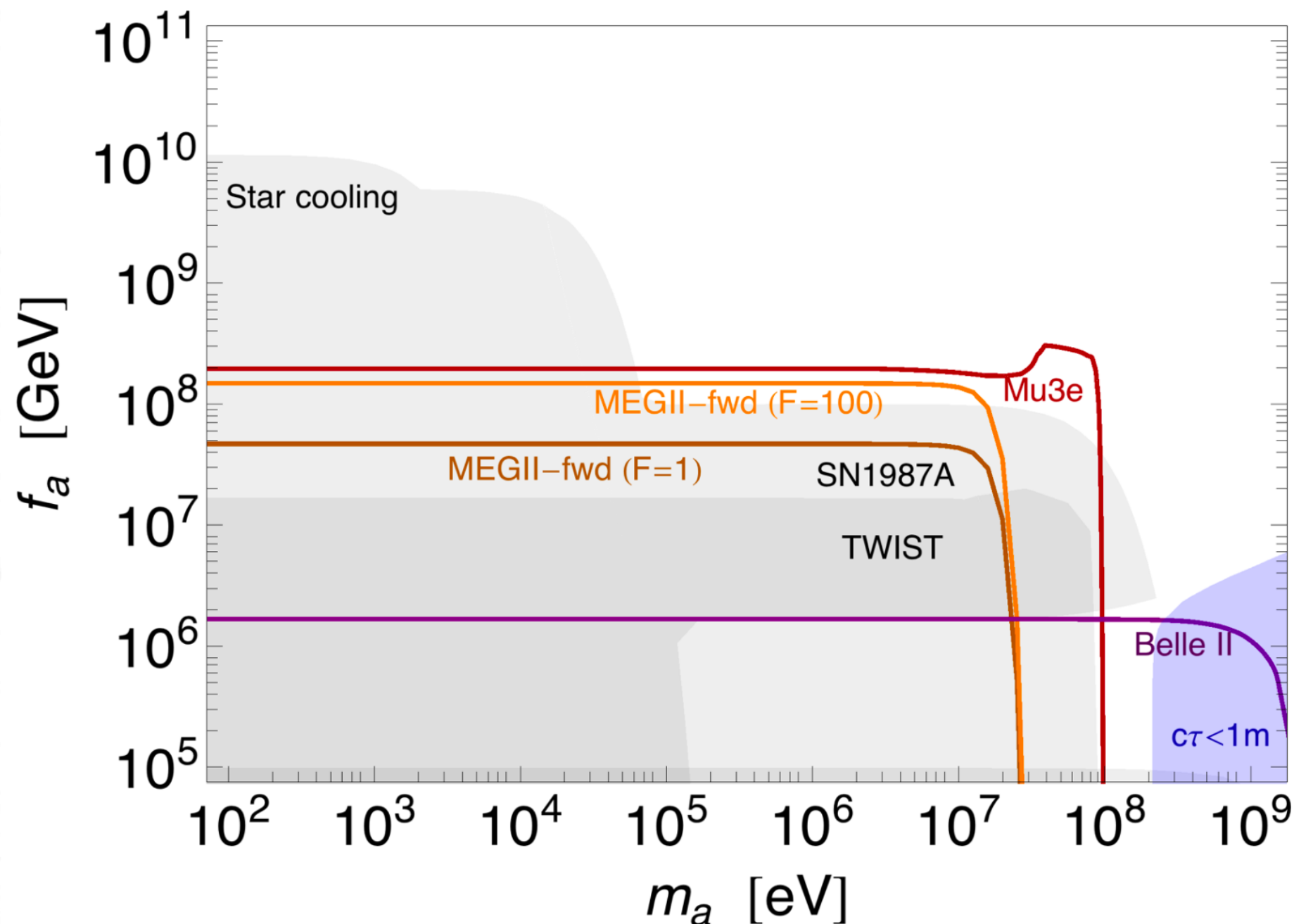
$\Rightarrow$  RH ALP

$$([L]_1, [L]_2, [L]_3) = (L + 2, L + 1, L), \quad [\text{Hierarchy}].$$

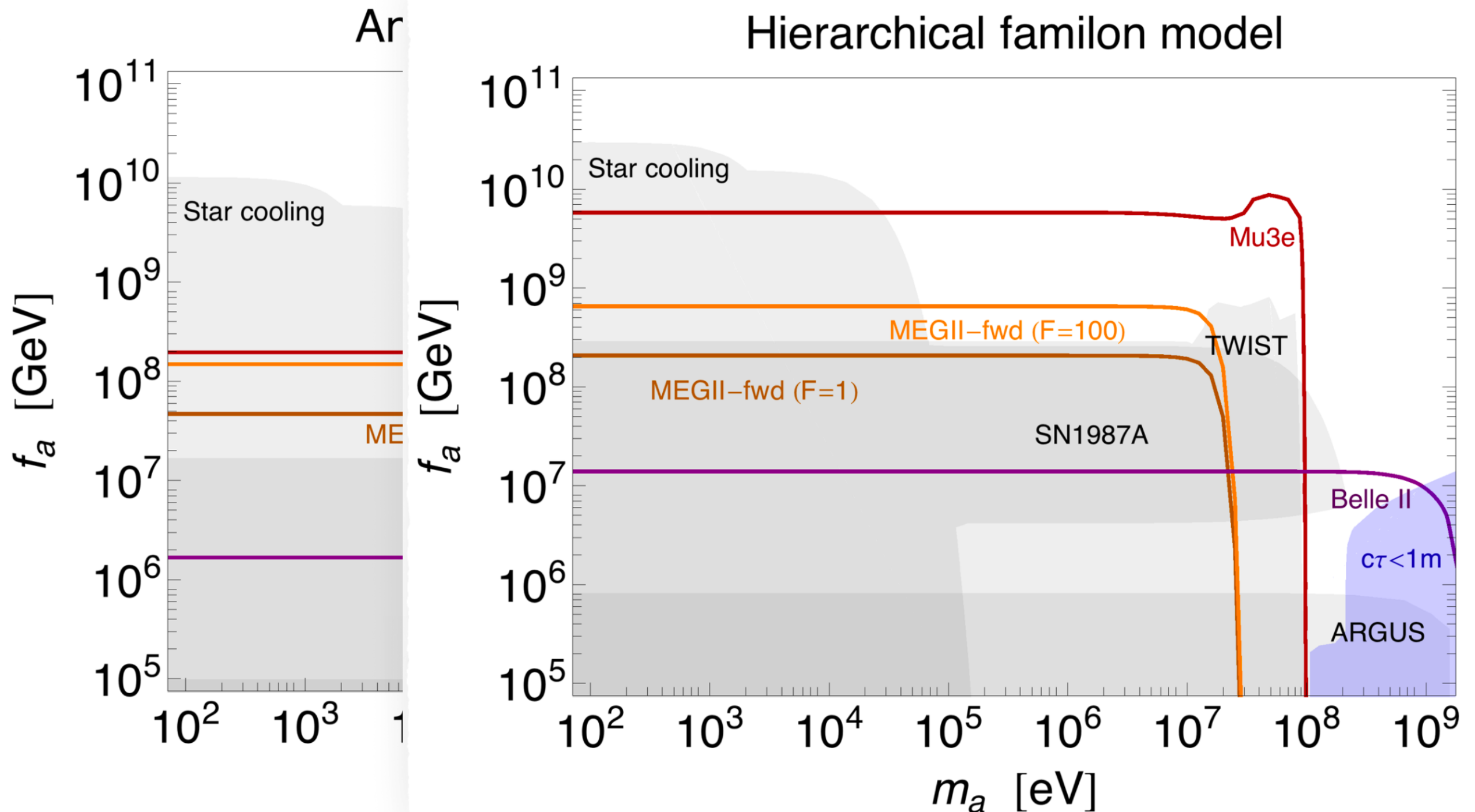
$\Rightarrow$  LH and  
RH couplings

# LEPTONIC FAMILON

## Anarchical familon model



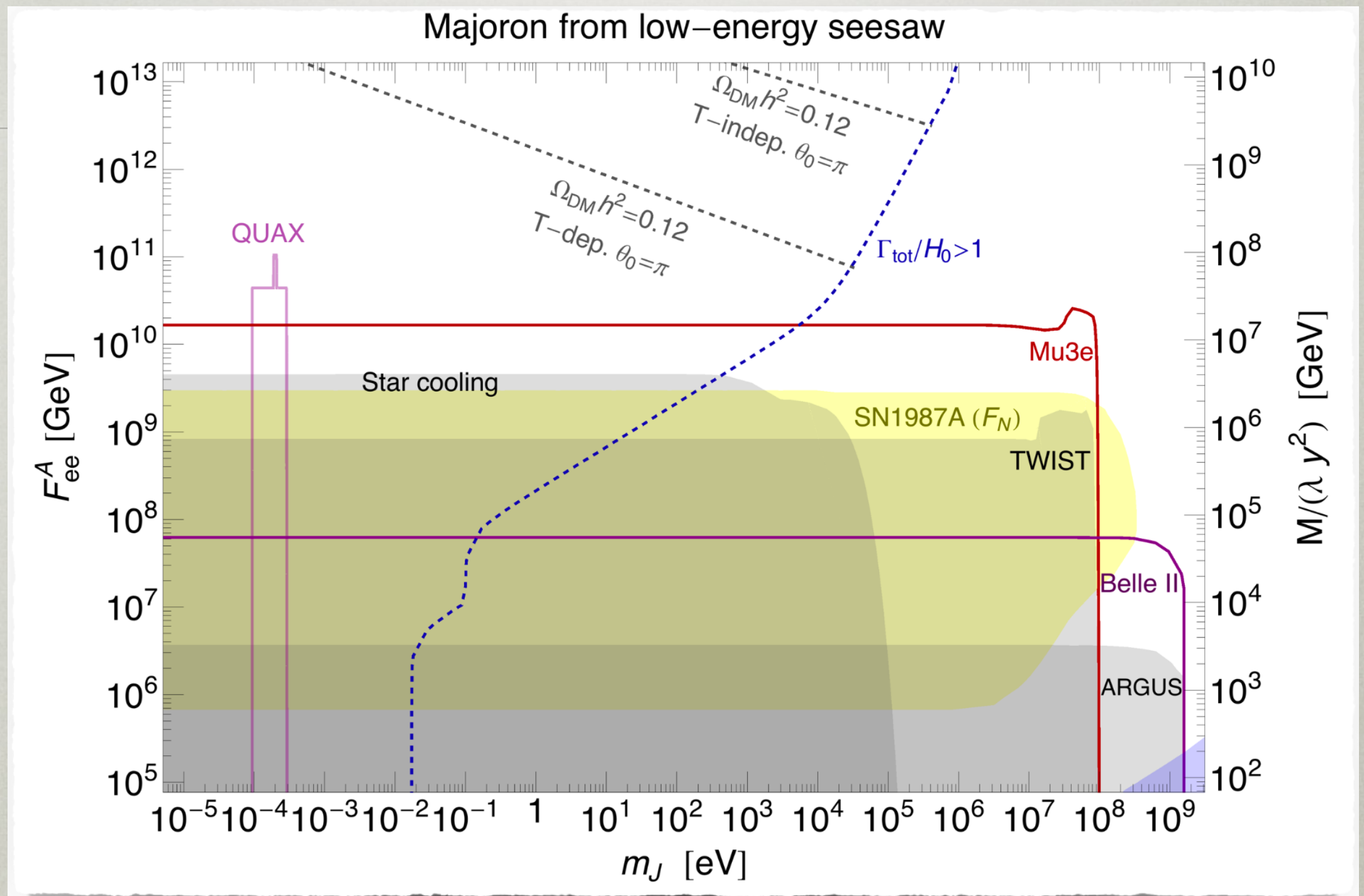
# LEPTONIC FAMILON



# MAJORON

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- majoron- PNGB due to spontaneous breaking of the lepton number
- neutrino masses  $m_\nu \propto y_\nu y_\nu^T v^2 / m_N$
- majoron couplings,  $C_{ij} \propto y_\nu y_\nu^\dagger$
- if  $m_\nu$  suppressed by global U(1)
  - $\Rightarrow$  majoron observable
  - "low energy see-saw"



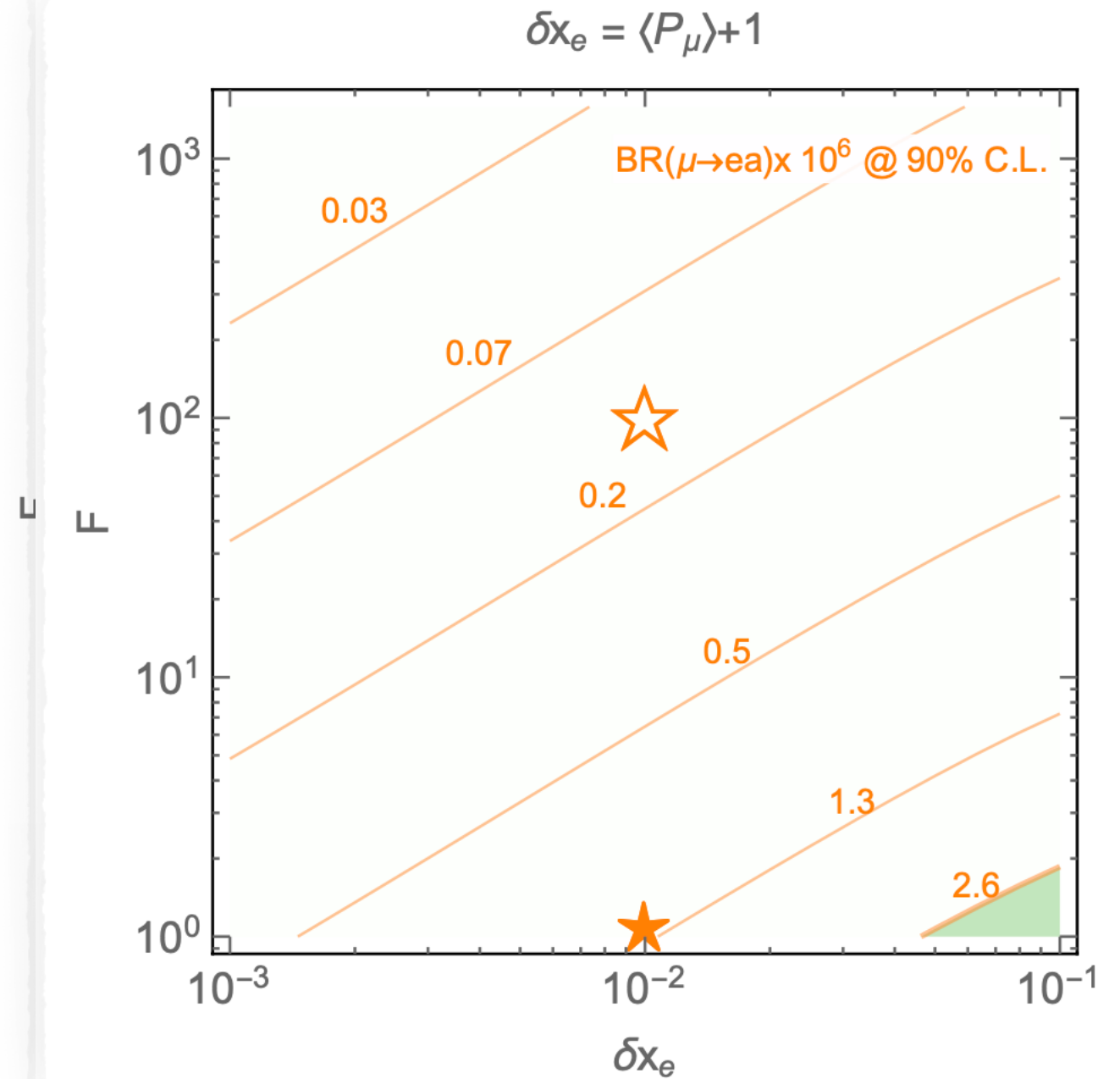
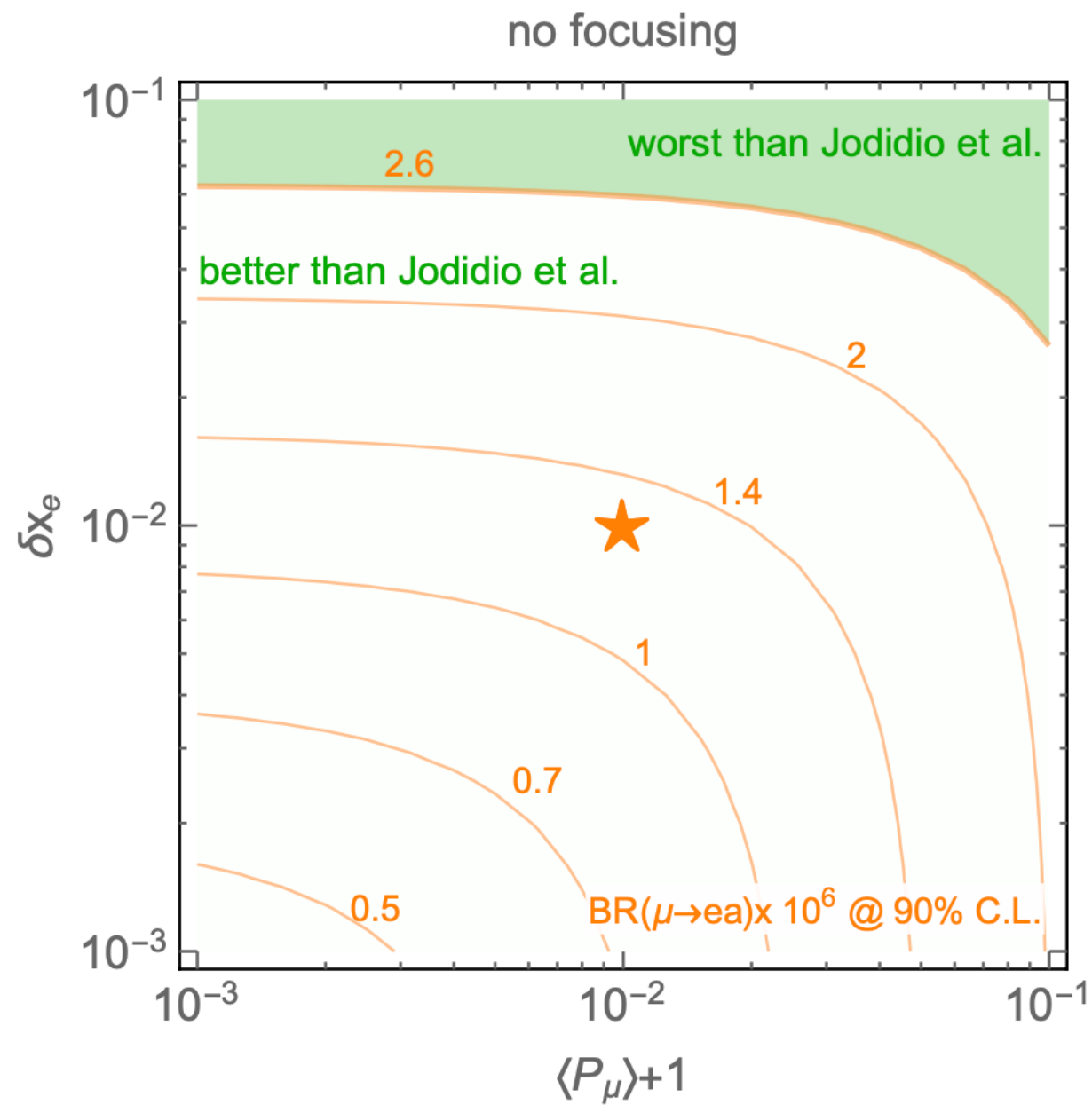
- "low energy see-saw"

# CONCLUSIONS

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- FCNCs a powerful tool to search for axion like particles
- many transitions were not systematically included in BSM searches
  - $B \rightarrow K^{(*)}a, D \rightarrow \pi a, \Lambda \rightarrow na, \dots$
- advocated for MEGII-fwd phase of MEG-II experiment
  - reach well above previous experiments and above astrophysics bounds

# BACKUP SLIDES



# EXPLICIT MODEL - AXIFLAVON

Froggatt, Nielsen, NPB 147, 277 (1979),...

- Large hierarchies in quark + lepton masses and in CKM matrix
  - can be addressed via horizontal  $U(1)_H$  symmetry
  - SM LH and RH fermions have different  $U(1)_H$  charges
  - hierarchical Higgs Yukawas after  $U(1)_H$  broken via vev of scalar field, the flavon  $\Phi$

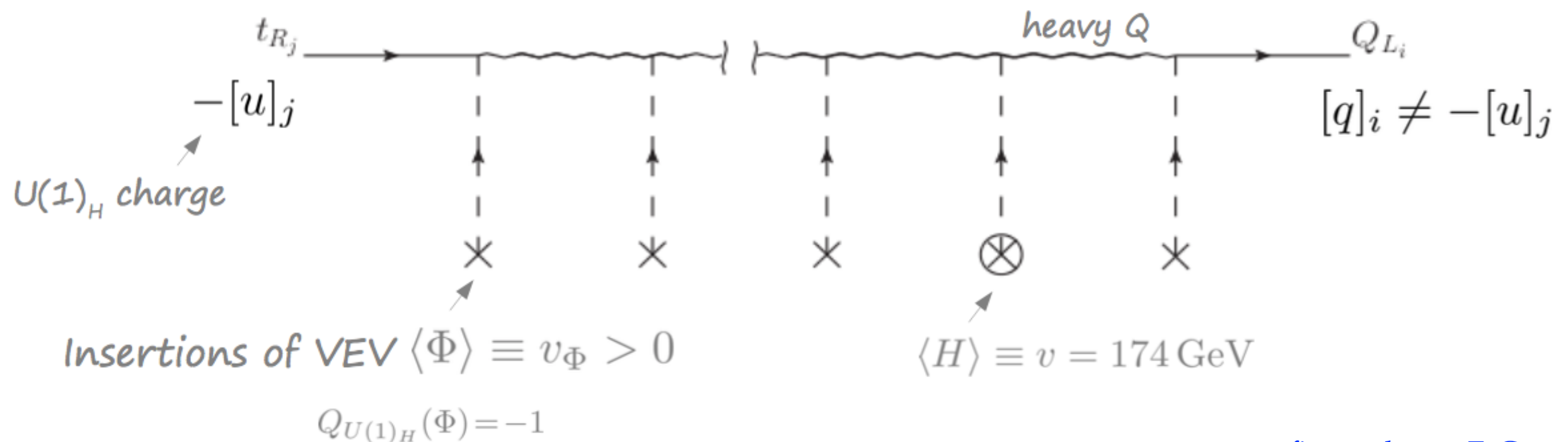


figure due to F. Goertz