

Spectral and Time Series Analyses of the Seyfert 1 AGN: Zw 229.015

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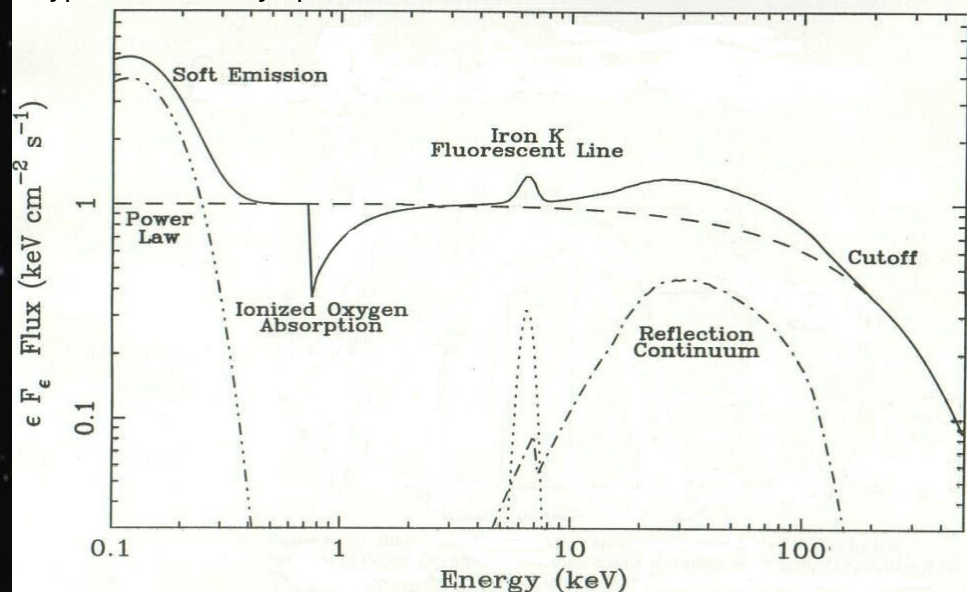
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Outline

- Motivation & Brief Introduction
- Spectral Analysis
 - ✓ XMM-Newton EPIC data
- Timing Analysis
 - ✓ Cross-Correlation Function
 - ✓ Nonlinear Timing Analysis
- Conclusion & Summary

Introduction & Motivation

Typical AGN X-ray spectra

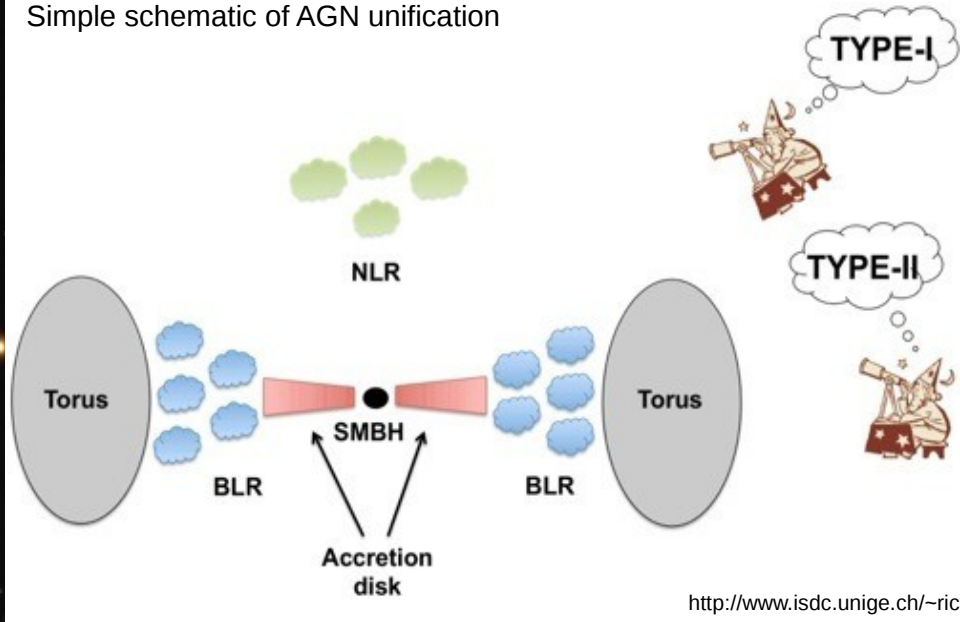


- Zw 229.015 is a Seyfert 1 AGN at a redshift of 0.0275

- Its mass has been estimated to be about 10^7 solar masses by Barth et al. (2011)

- It was observed continuously by Kepler telescope from 2011 to 2014

Simple schematic of AGN unification



- Our aim is to carry out simultaneous X-ray and optical analysis for the source

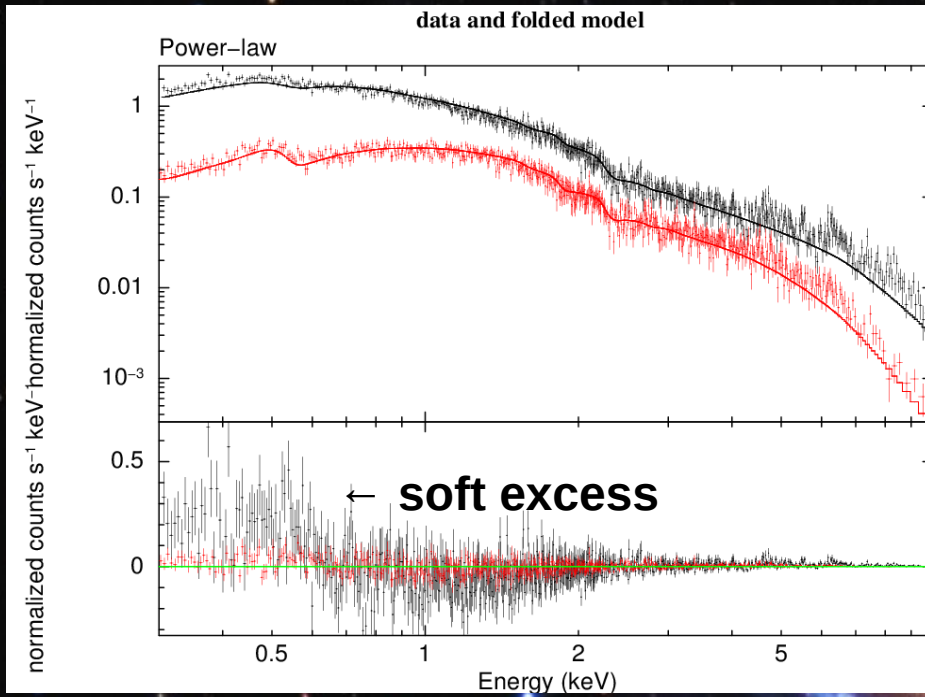
- This source has been well studied in the optical, thus X-ray analysis can further help in adequate modelling of such Seyfert 1 AGNs.

Spectral Analysis



- The data used in this analysis is the archival EPIC-PN and MOS data of the source obtained on June 5, 2011 on-board XMM-Newton.
- Data reduction followed standard procedure provided by the SAS software
- We fit the spectra in the range (0.3-10.0keV) with a simple powerlaw and observe the presence of some soft excess below 1.0keV (as shown below)

Plot of power-law spectral fit and its residue



Power-law fit parameters

Wabs nH (cm^{-2})	6.25×10^{20}
Photon index	2.04 ± 0.006
$\chi^2/\text{d.o.f}$	2050/1410

Fitted Spectral Models

- Multi-colour Disc Blackbody Model [diskbb] (Mitsuda et al. 1984, Makishima et al. 1986)
- Smeared Absorption Wind Model [swind1] (Gierlinski & Done 2004)
- Thermal Comptonisation Model [compTT] (Titarchuk 1994)
- Relativistically Blurred Reflection Model [relionx] (Ross & Fabian 2005)

Spectral plots for all four models

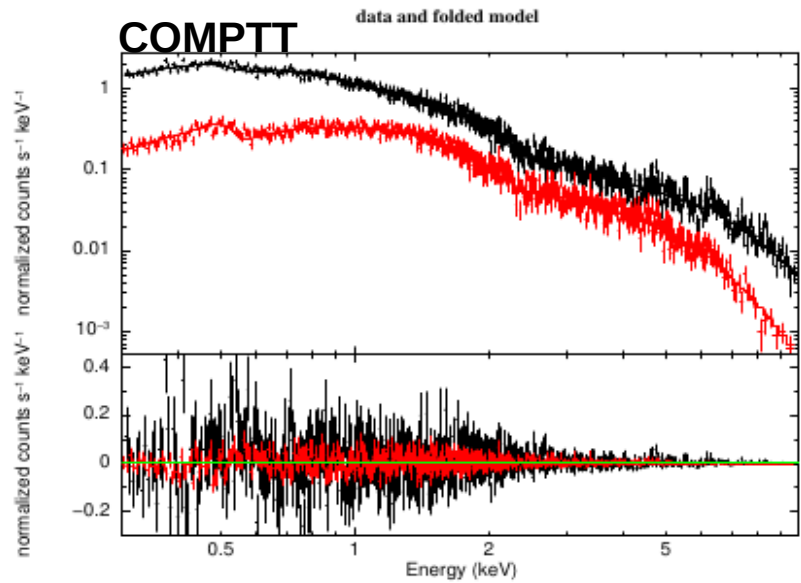
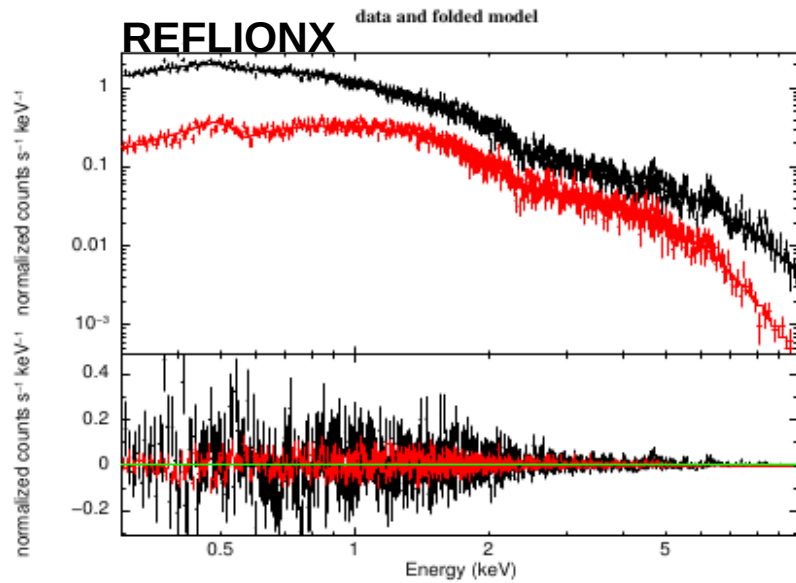
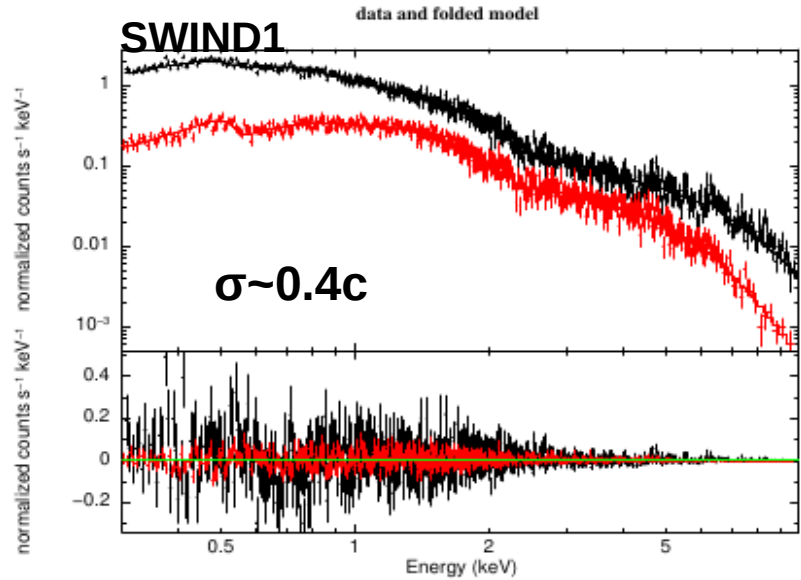
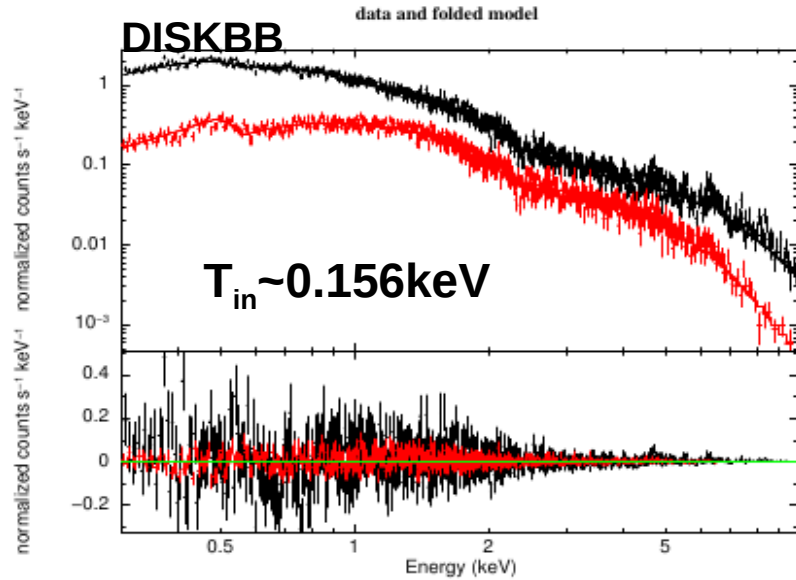
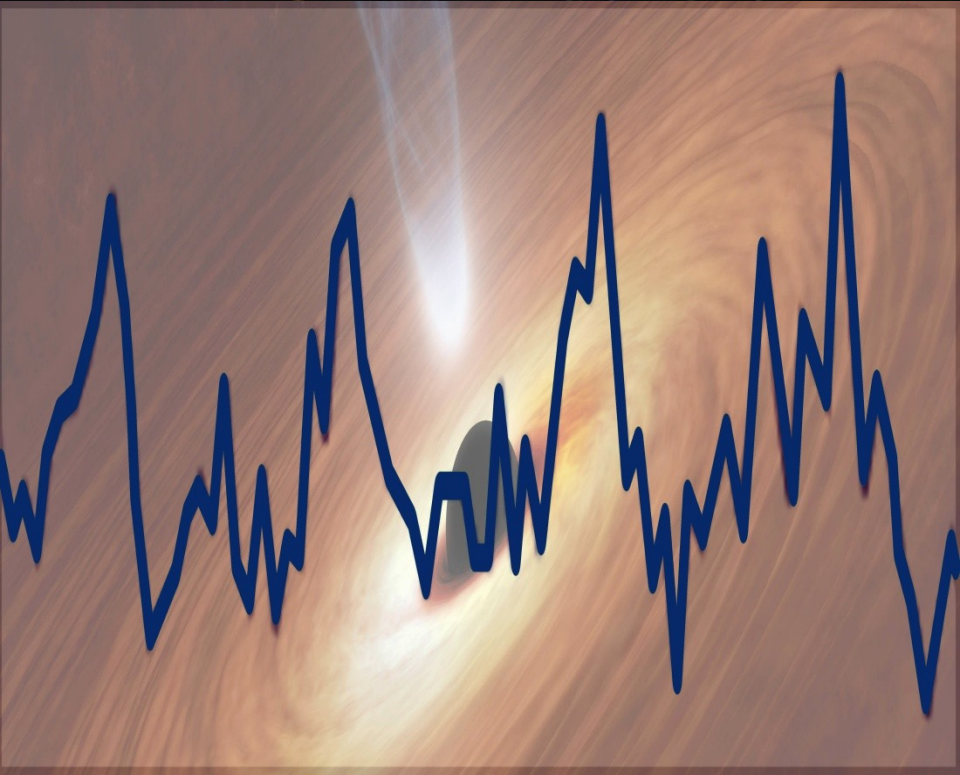


Table showing best-fit parameters

Model/Parameter & Best-fit values	
Model	constant*wabs*(diskbb+zpo)
Calibration factor (CF)	0.993 ± 0.008
T_{in} (keV)	0.156 ± 0.004
Photon index Γ	1.80 ± 0.013
χ^2/dof	1491/1408
Flux (erg cm ⁻² s ⁻¹)	6.655 × 10 ⁻¹²
L (erg s ⁻¹)	1.14 × 10 ⁴³
Model	constant*wabs*(swind1*zpo)
Calibration factor (CF)	0.993 ± 0.008
Col. density (×10 ²² cm ⁻²)	13.80 ± 2.27
Log(ξ /erg cm s ⁻¹)	3.11 ± 0.07
σ (in units of v/c)	0.38 ± 0.04
Photon index Γ	1.96 ± 0.01
χ^2/dof	1439/1406
Flux (erg cm ⁻² s ⁻¹)	6.72 × 10 ⁻¹²
L (erg s ⁻¹)	1.15 × 10 ⁴³
Model	constant*wabs*kdblur(atable{reflionx.mod}+zpo)
Calibration factor (CF)	0.991 ± 0.008
kdblur index	4.22 ± 1.45
R_{in} ($\frac{GM}{c^2}$)	3.999 ± 0.491
Inclination(deg)	30
Photon index Γ	1.52 ± 0.082
Fe/Solar	0.469 ± 0.095
Reflionx Xi (erg cm s ⁻¹)	2308.32 ± 658.28
χ^2/dof	1436/1404
Flux (erg cm ⁻² s ⁻¹)	6.676 × 10 ⁻¹²
L (erg s ⁻¹)	1.15 × 10 ⁴³
Model	constant*wabs*(comptt+zpo) <i>disc approximation</i>
Calibration factor (CF)	0.993 ± 0.008
T_0 (keV)	0.03
KT_e (keV)	0.632 ± 0.232
Optical depth τ_p	8.72 ± 1.63
Photon index Γ	1.52 ± 0.10
χ^2/dof	1435/1413
Flux (erg cm ⁻² s ⁻¹)	6.83 × 10 ⁻¹²
L (erg s ⁻¹)	1.18 × 10 ⁴³

Timing Analysis

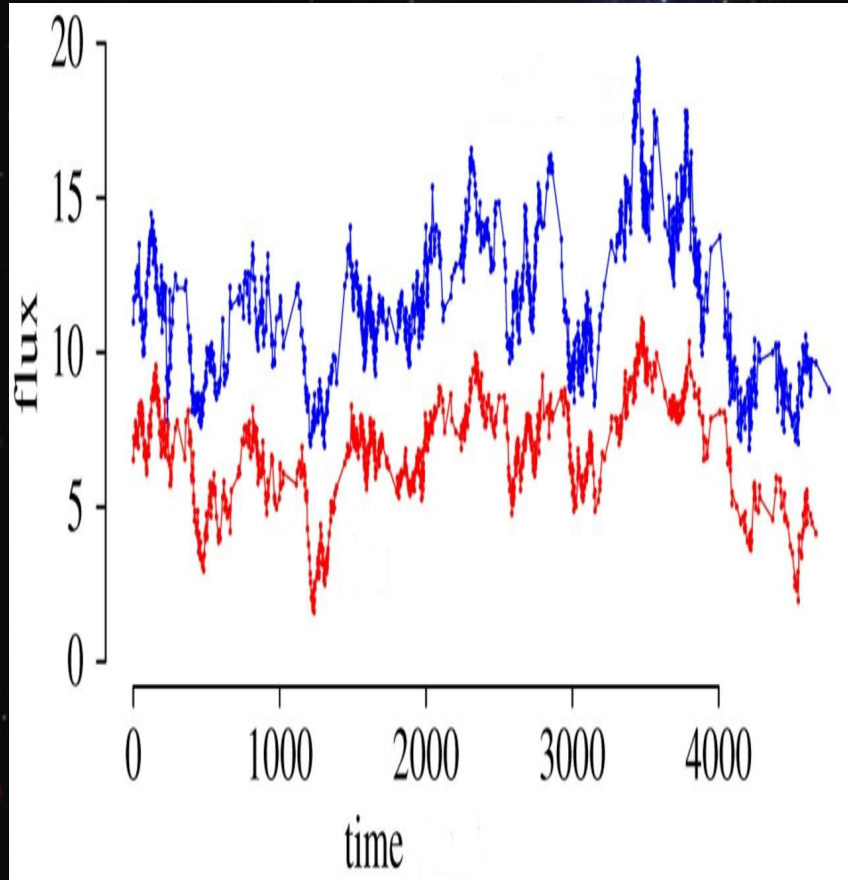


- ✓ Cross-Correlation Analysis
- ✓ Nonlinear Timing Analysis

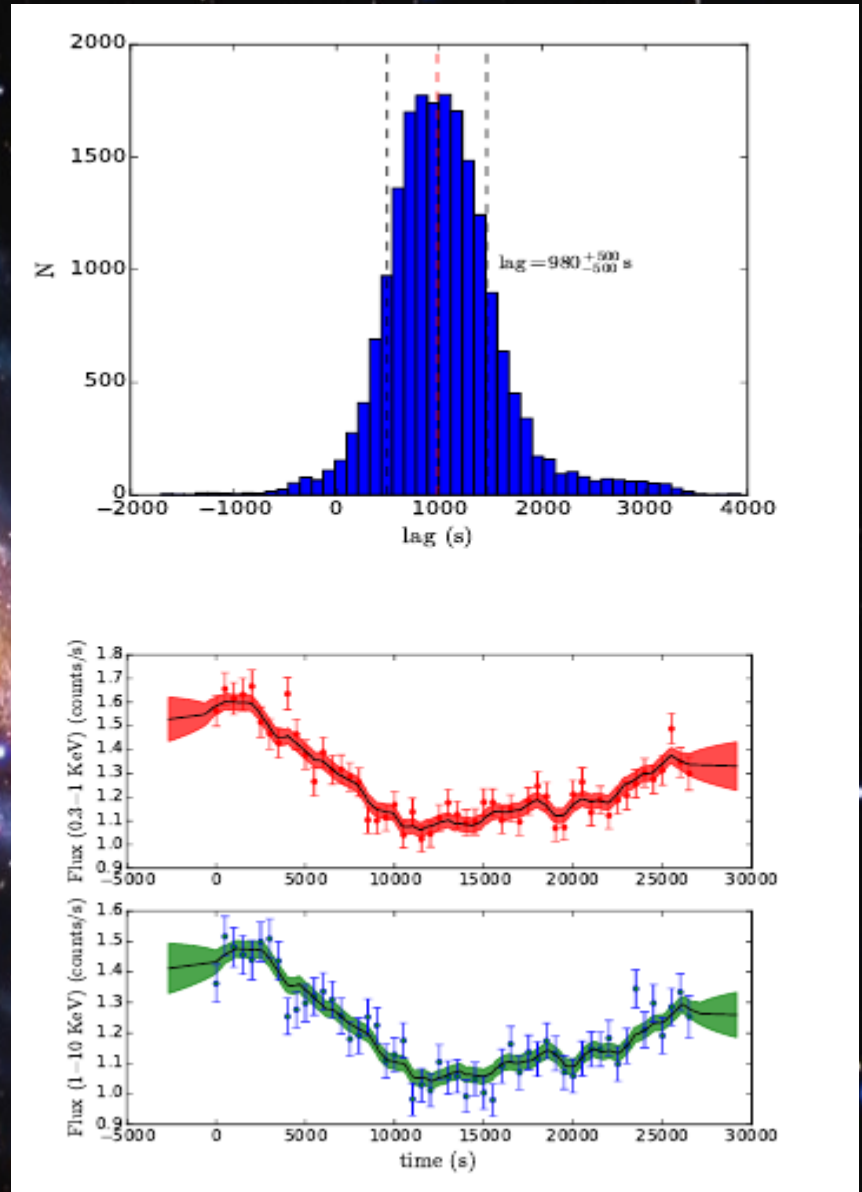
Cross-Correlation Analysis

Soft band: 0.3-1keV

Hard band: 1-10keV



Time lag estimate using JAVELIN code

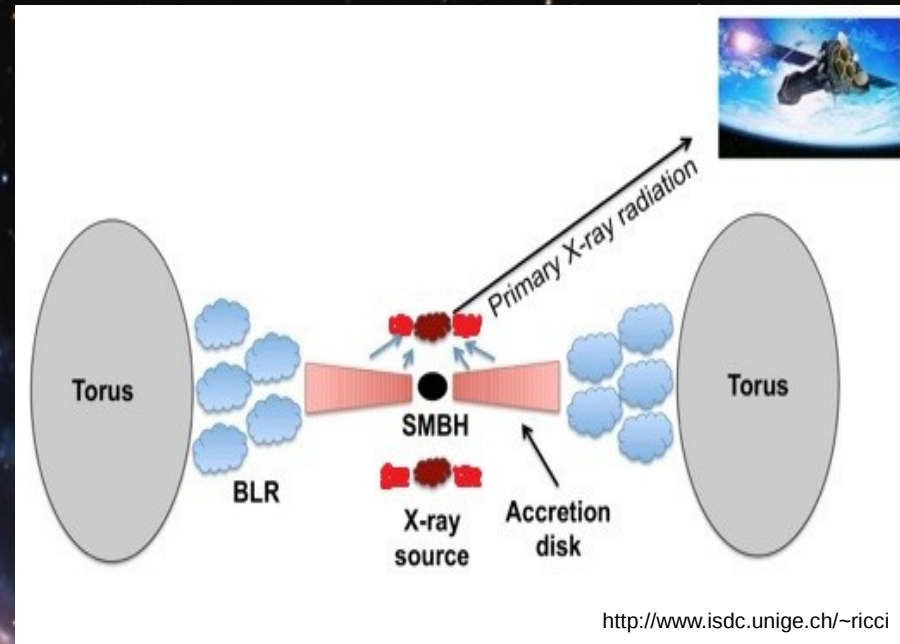


Estimation of corona size from time lag

- If $T_{\text{lag}} \approx 1000 \text{ s}$ is the time it takes the soft photons from the cold corona to reach the hot corona where they are comptonised to higher energies, the separation d between the two coronae system can be roughly estimated to be:

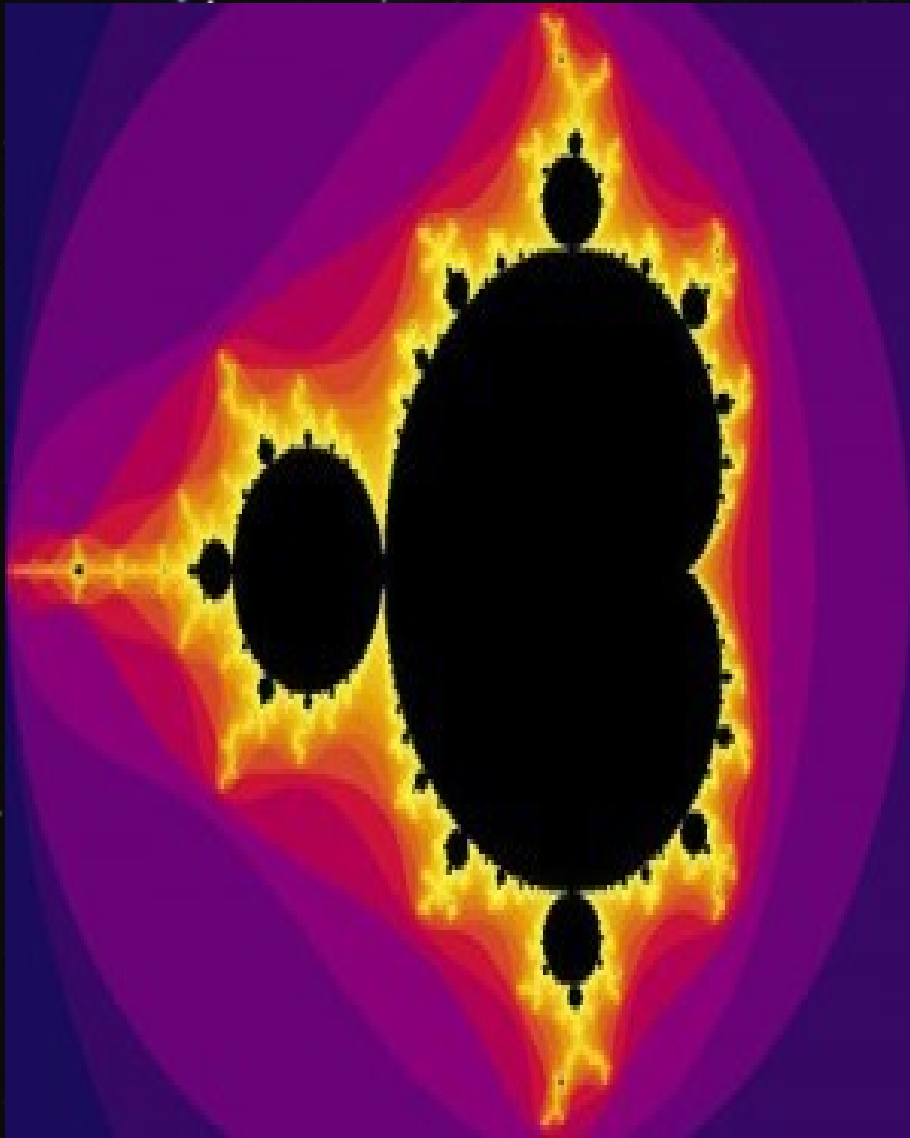
$$\begin{aligned}d &= c \times T_{\text{lag}} \\ &\approx 3 \times 10^{13} \text{ cm} \\ &= 20R_g\end{aligned}$$

- This indicates that the coronae system is very compact and outside this region, the disc emission will be dominated plausibly by Optical/UV photons.



Nonlinear Timing Analysis

A search for signatures of Chaos



- Vectors of dimension M are created from the time series $s(t_i)$ using a delay time τ such that:

$$x(t_i) = [s(t_i), s(t_i + \tau), s(t_i + 2\tau), \dots, s(t_i + (M-1)\tau)]$$

- The correlation integral is given by

$$C_M(R) = \frac{1}{N(N_c - 1)} \sum_{i=1}^N \sum_{j \neq i}^{N_c} H(R - |x_i - x_j|),$$

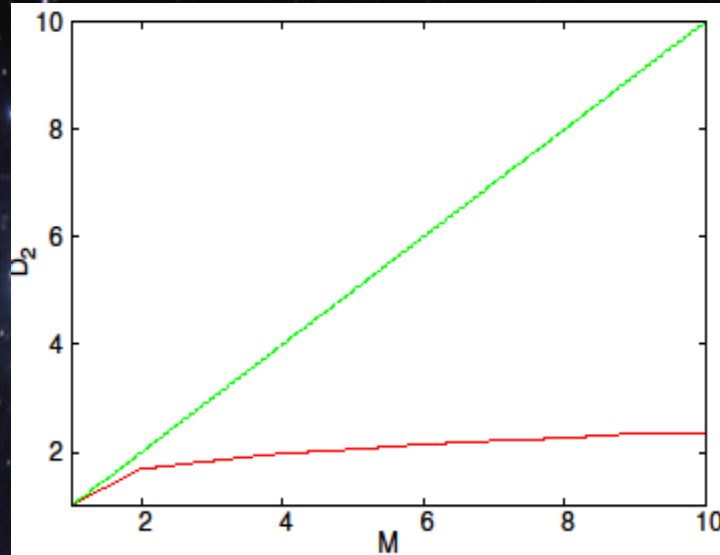
and the corresponding correlation dimension by

$$D_2 = \lim_{R \rightarrow 0} \left(\frac{d \log C_M(R)}{d \log R} \right).$$

- The plot of D_2 against M reveals the nonlinear dynamical properties of the system

Plots of D_2 as a function of M

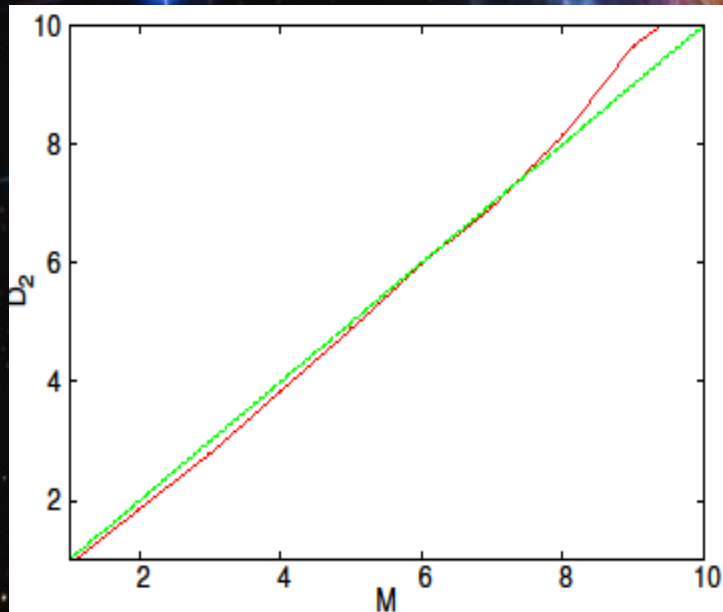
Lorentz data



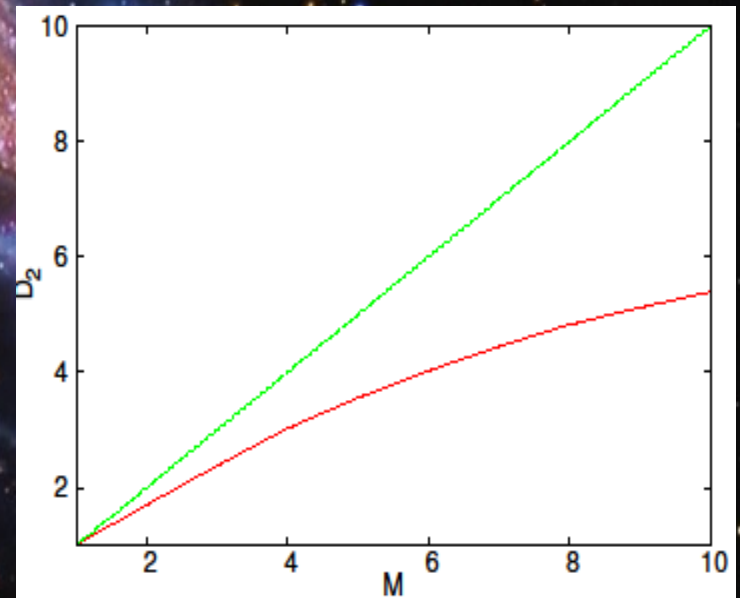
Unsaturated $D_2(M)$ implies stochasticity

Saturated $D_2(M)$ implies fractal behaviour

XMM-Newton data



Kepler data



Conclusion & Summary

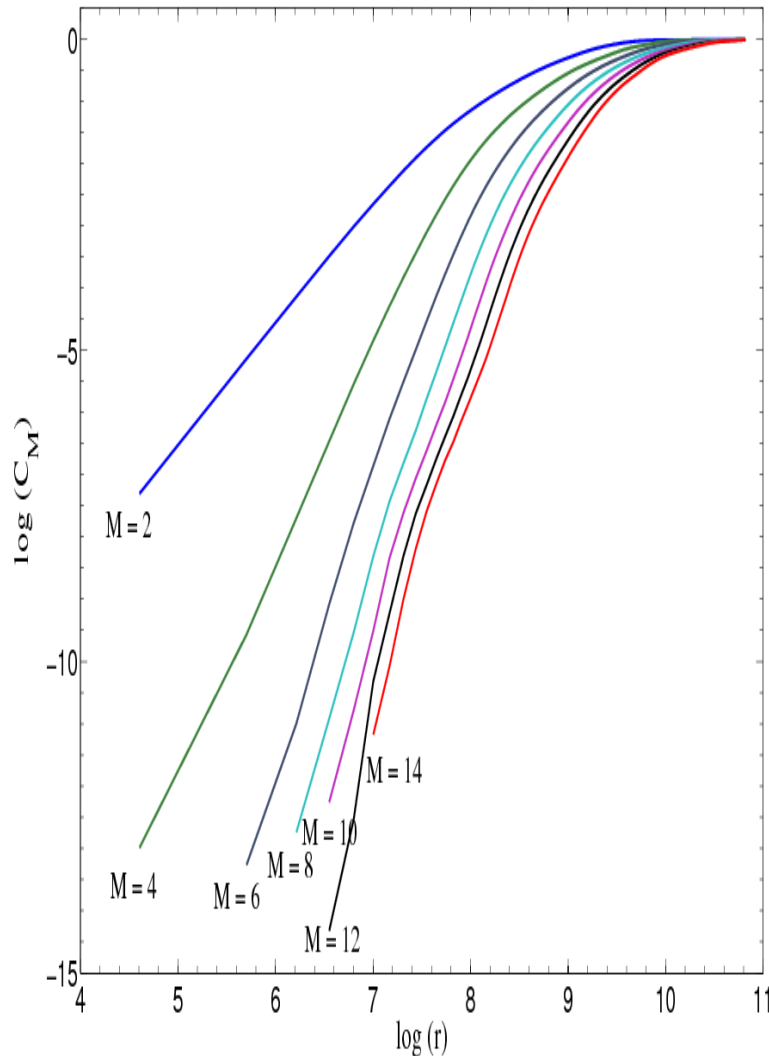
- ❖ The presence of weak soft excess emission has been observed below 1.0 keV
- ❖ The **thermal comptonization** and **relativistically blurred reflection** models give the most acceptable explanations to the possible origin of the soft excess as supported by cross correlation analysis of the lightcurves in two energy bands.
- ❖ From the observed positive lag between the soft and hard energy bands, we inferred that they are plausibly emitted from different regions extending only up to $20R_g$
- ❖ We have not found signatures of low dimensional chaos in both the optical and X-ray lightcurves of the source which may have important implications for the flow dynamics
- ❖ Multi wavelength studies of the spectral and timing properties of such sources by ASTROSAT and self-consistent MHD simulations will put further constraints on the above models.



Thank you!!!

A search for signatures of Chaos

Typical plot of $\log(C_M)$ vs $\log(R)$



- We use XMM-Newton and Kepler lightcurves for the nonlinear time series analysis
- We apply the nonlinear time series analysis method involving the delay embedding technique (Grassberger & Procaccia 1983).
- Vectors of dimension M are created from the time series $s(t_i)$ using a delay time τ such that:

$$x(t_i) = [s(t_i), s(t_i + \tau), s(t_i + 2\tau), \dots, s(t_i + (M-1)\tau)]$$

where M is the embedding dimension and τ is suitably chosen such that the vectors are not correlated