

Evaluating V_{ud} from neutron beta decays

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. . . when V_{ud} is so exceptionally well determined in superallowed $0^+ \rightarrow 0^+$ Fermi nuclear beta decays?



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Because measurements of neutron beta decay:

1. are free of nuclear structure and nuclear isospin corrections present in SAF nuclear beta decays, and
2. are part of a larger program of searches for evidence of physics beyond the standard model (“broad band” of new physics, including tensor interactions, MSSM and RH SM extensions),
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3. provide information of interest to astrophysics.

Items 2 and 3 will not be discussed in this presentation.



Outline

Neutron decays as a probe of CKM unitarity

- ▶ basics of neutron beta decay
- ▶ measurements of the neutron lifetime
- ▶ measurements of the relevant correlation parameters in neutron decay
- ▶ outlook



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Remarks on an alternative

- ▶ pion beta decay
- (prompted by Augusto Ceccucci in his talk on Monday)



Available neutron beta decay channels/final states

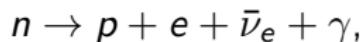
Continuum-state β^- decay



Bound-state β^- decay



Radiative β^- decay



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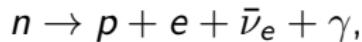
}

Focus of this presentation
(almost exclusively)

Bound-state β^- decay



Radiative β^- decay



Available neutron beta decay channels/final states

Continuum-state β^- decay

$$n \rightarrow p + e + \bar{\nu}_e$$

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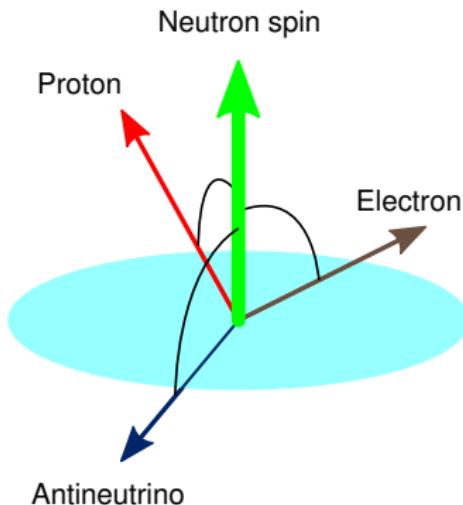
Bound-state β^- decay

$$n \rightarrow H + \bar{\nu}_e$$

Radiative β^- decay

$$n \rightarrow p + e + \bar{\nu}_e + \gamma,$$

$$n \rightarrow H + \bar{\nu}_e + \gamma$$

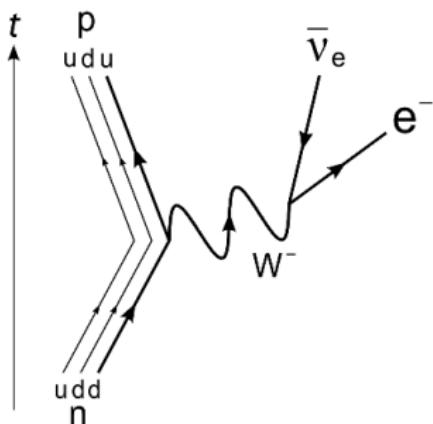


Dynamics and observables

Basic beta decay Lagrangian for a baryon

$$\begin{aligned}\mathcal{L}_W(x) &= -\frac{G_F}{\sqrt{2}} V_{ud} [\bar{\psi}_p(x)\gamma_\mu(1 + \lambda\gamma^5)\psi_n(x)] [\bar{\psi}_e(x)\gamma_\mu(1 + \gamma^5)\psi_\nu(x)] \\ &= -\frac{1}{\sqrt{2}} [\bar{\psi}_p(x)\gamma_\mu(g_V + g_A\gamma^5)\psi_n(x)] [\bar{\psi}_e(x)\gamma_\mu(1 + \gamma^5)\psi_\nu(x)]\end{aligned}$$

where $g_V = G_F V_{ud} = G_F G_V$ and $g_A = G_F V_{ud}\lambda = G_F G_A$.

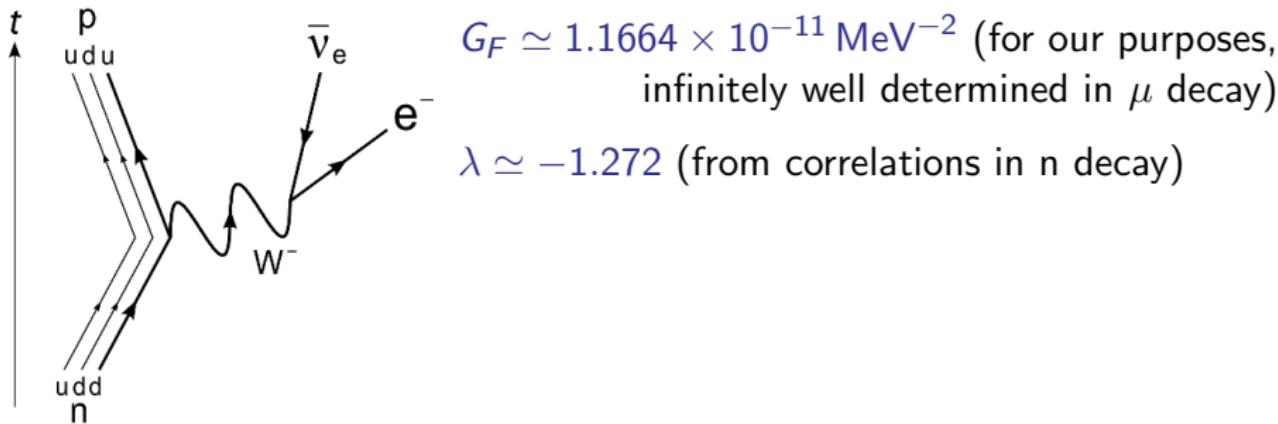


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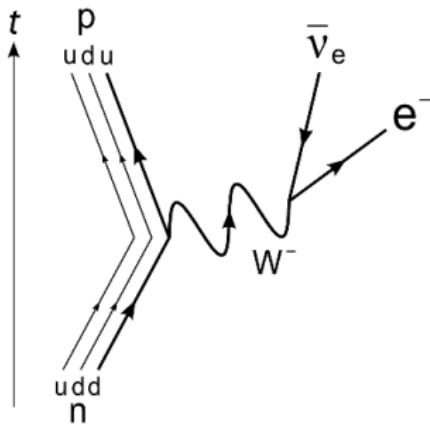


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$G_F \simeq 1.1664 \times 10^{-11} \text{ MeV}^{-2}$ (for our purposes,
infinitely well determined in μ decay)

$\lambda \simeq -1.272$ (from correlations in n decay)

Rate of neutron decay/lifetime is given by:

$$\Gamma = \frac{1}{\tau_n} = (1 + 3\lambda^2) \frac{G_F^2 V_{ud}^2}{2\pi^3} f_{\text{Fermi}}^{Z=1}(E_{\max})$$



Extracting V_{ud} from n decay

Evaluating the preceding relation we get:

$$|V_{ud}|^2 = \frac{4908.7(1.9) \text{ sec}}{\tau_n(1 + 3\lambda^2)}, \text{ or}$$
$$\tau_n^{-1} = \text{const.}(G_V^2 + 3G_A^2)$$



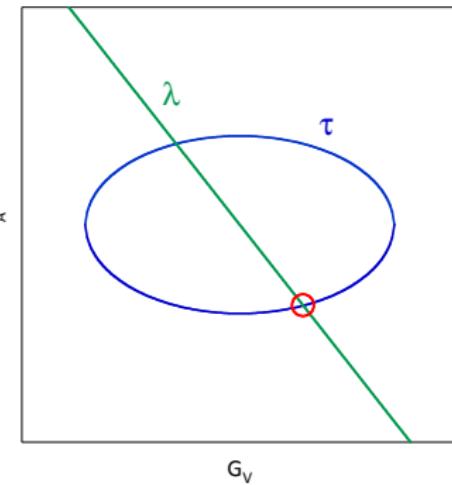
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We therefore need to measure:

- ▶ neutron lifetime τ_n (counting neutrons)
- ▶ ratio $\lambda = G_A/G_V$ (decay correlations)



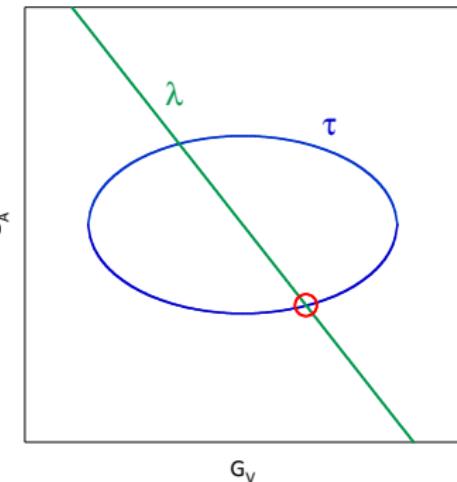
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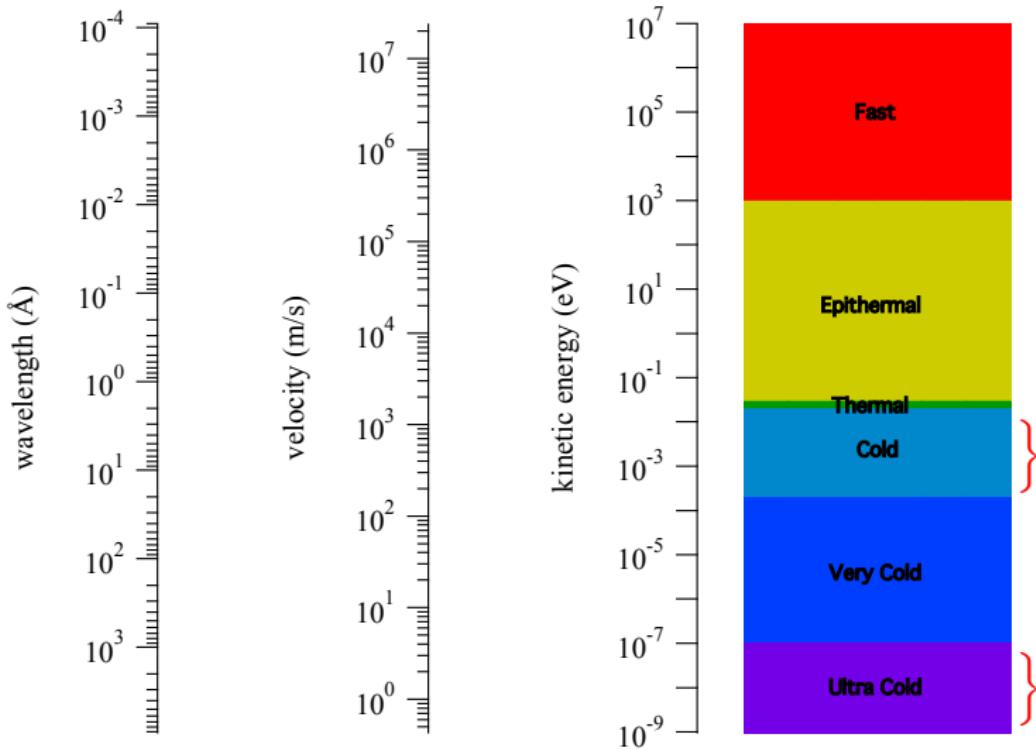


Key questions:

- ▶ How thick (uncertain) are the τ_n ellipse and the λ line?
- ▶ How reliable and consistent are the results from different methods of τ_n and λ evaluation?

Tools at our disposal:

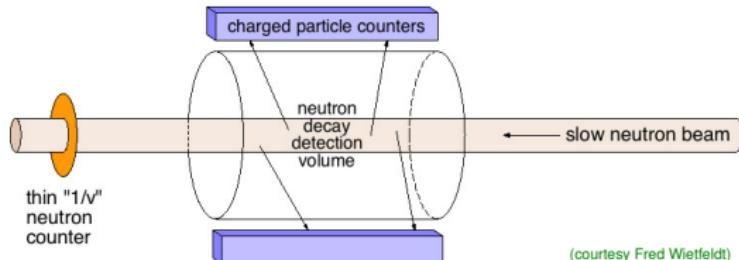
Cold neutrons



Neutron lifetime

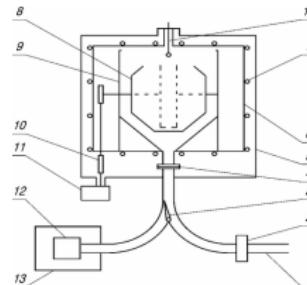
Neutron lifetime measurement methods:

Cold neutron decay in flight
(beam method):

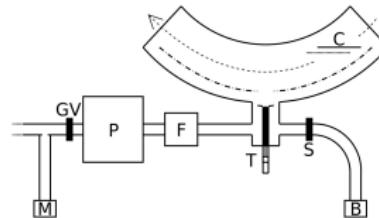


(courtesy Fred Wietfeldt)

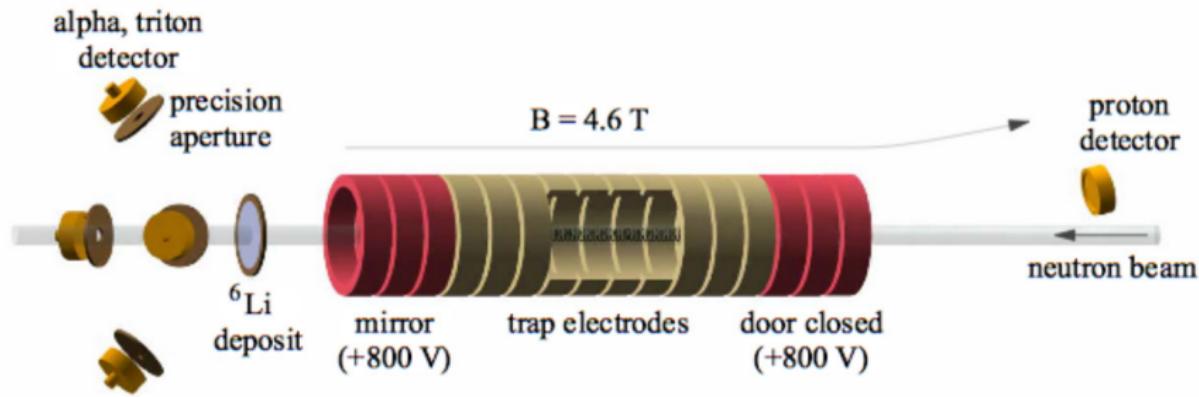
Ultracold neutron (UCN)
decay in a material bottle:



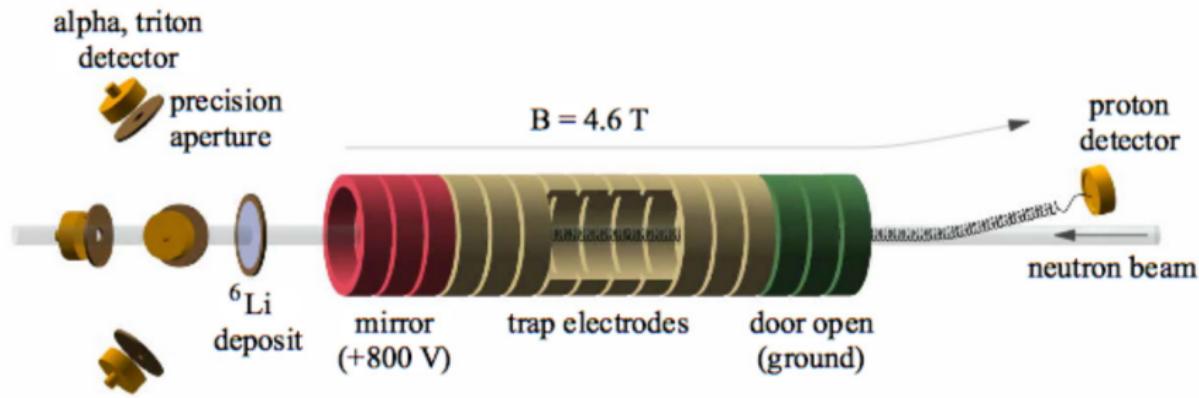
UCN decay in a magneto-
gravitational trap:



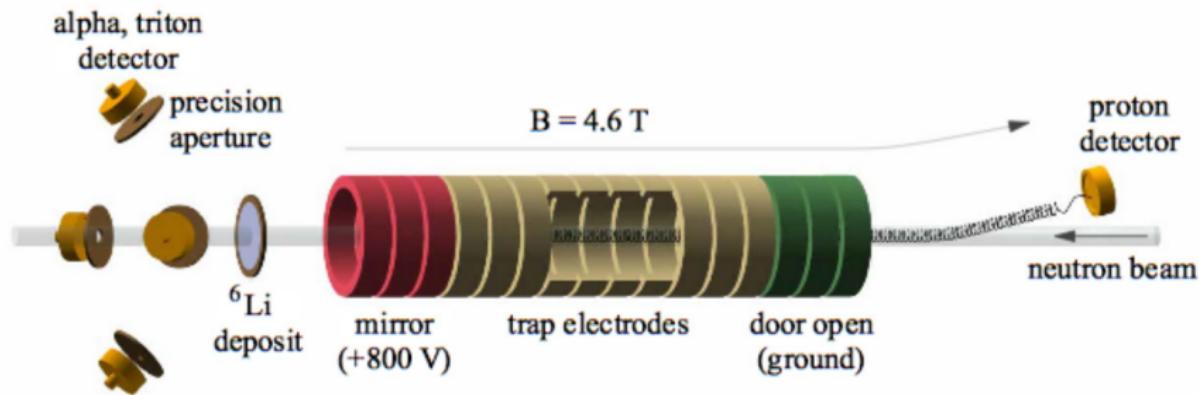
Beam method: example NIST BL experiment



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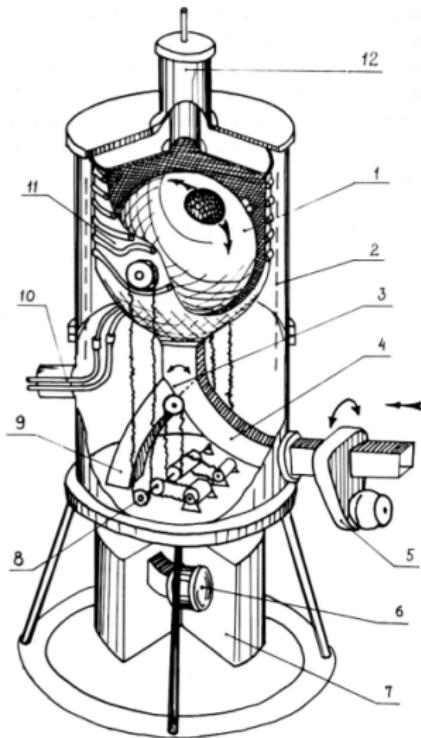


Beam method: example NIST BL experiment



- ▶ Number of trap electrodes can be varied, and the fiducial volume shifted. N_p is fitted against the number of trap electrodes to reduce effects of finite fiducial volume; also fitted against backscatter fraction.
- ▶ Neutron beam normalization presents a key systematics challenge; recent breakthrough in calibration [Yue et al., PRL 111 (2013) 222501].

Neutron lifetime: material bottle method

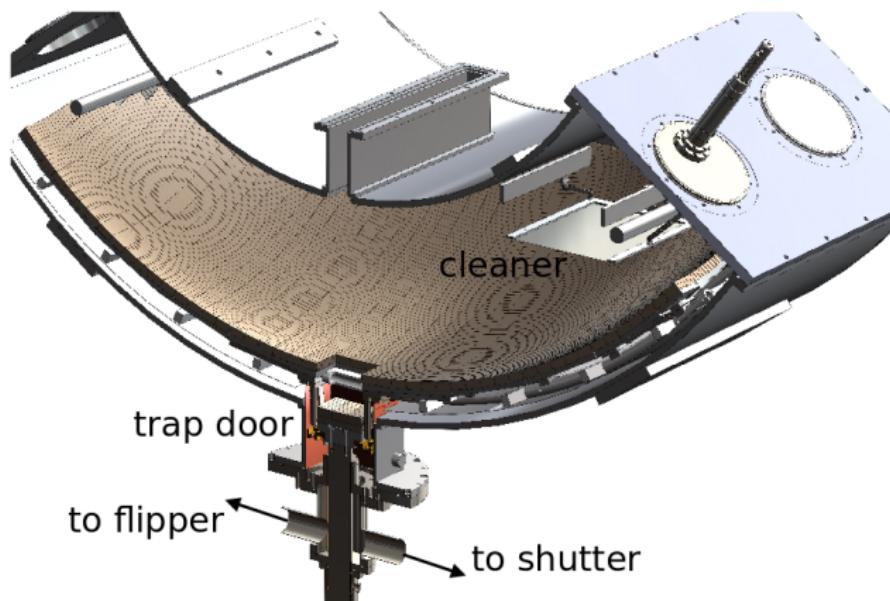


Example: ILL – PNPI UCN bottle experiment

[Serebrov et al., PR C 78 (2008) 035505]

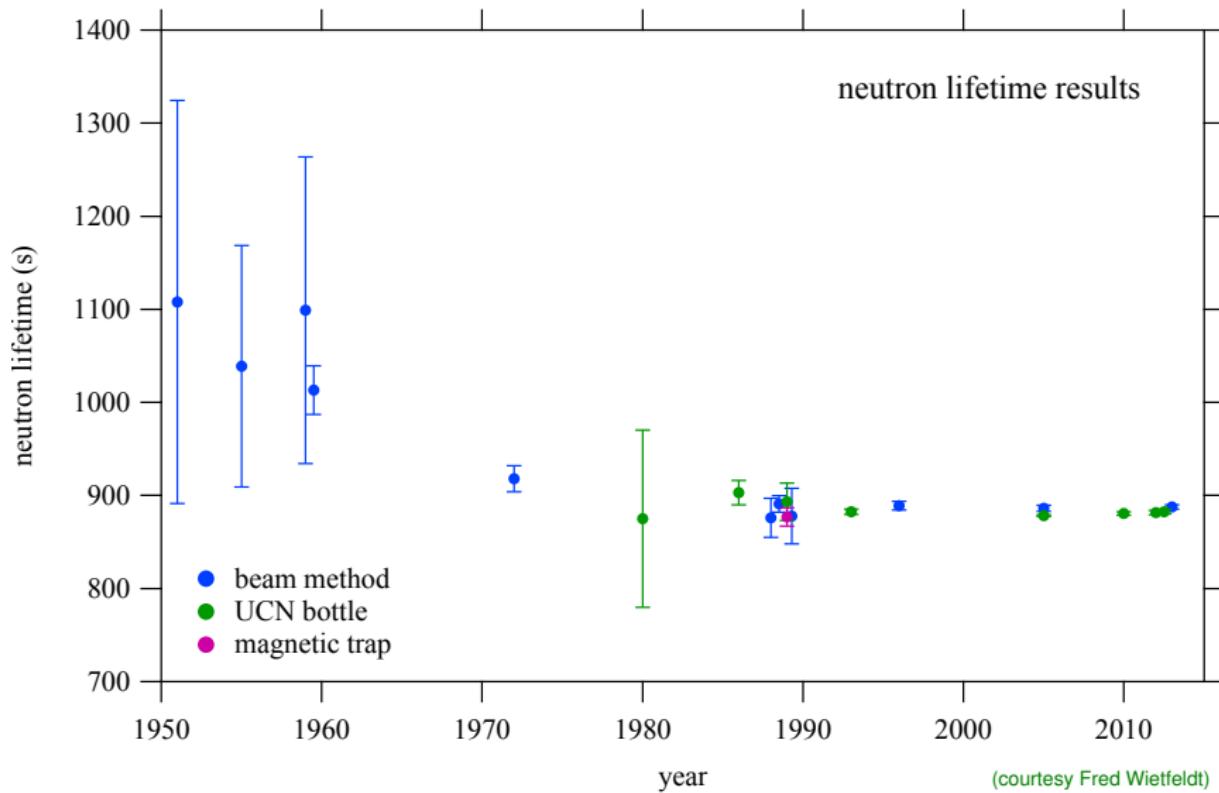
- ▶ cryogenic perfluoropolyether (fluoropolymer) oil wall coating to minimize wall losses
- ▶ rotate bottle to allow high energy UCNs to escape, to vary neutron velocity spectrum
- ▶ two storage bottles: one large spherical, second one smaller and cylindrical, to vary surface/volume ratio.

τ_n magnetic bottle method: example UCN τ exp./LANSCE



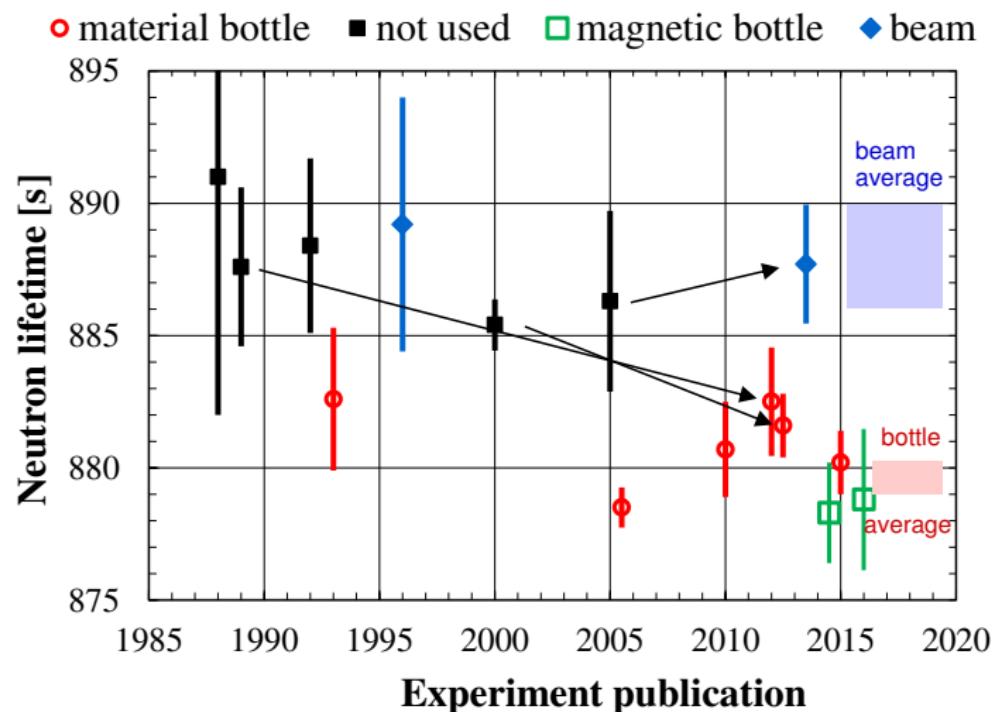
- ▶ magnetic storage to reduce corrections due to losses;
- ▶ improved systematics;
- ▶ must ensure that UCN energy distribution is truly stochastic;
- ▶ still no picnic!

History of neutron lifetime results



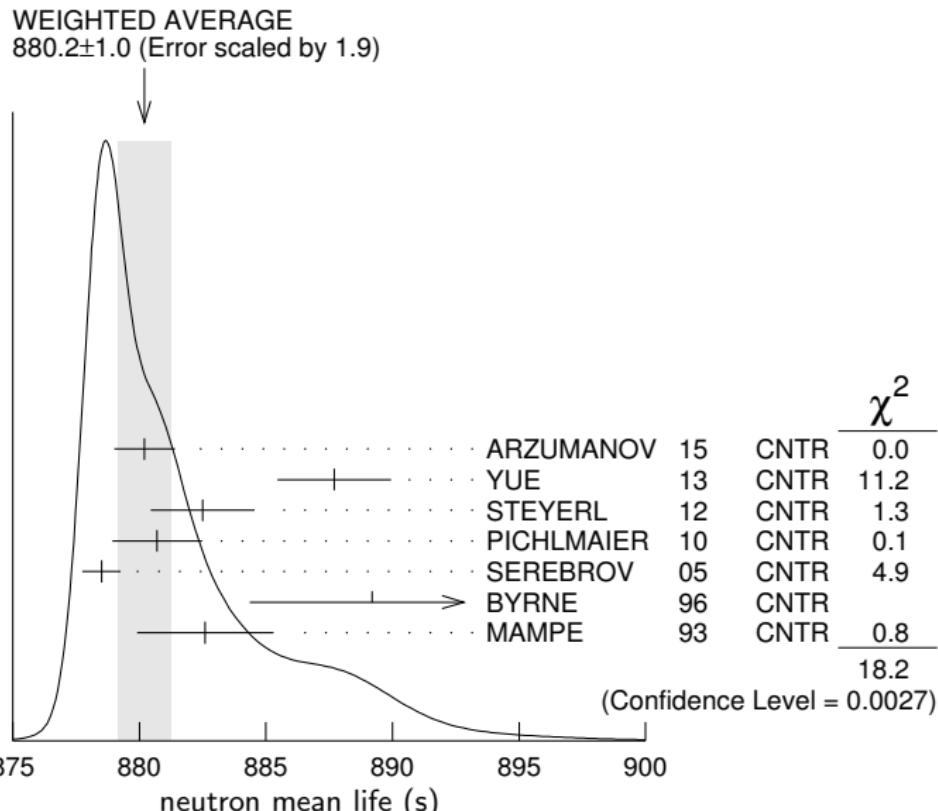
(courtesy Fred Wietfeldt)

Current status of the neutron lifetime



Neutron lifetime: PDG view

Citation: C. Patrignani *et al.* (Particle Data Group), Chin. Phys. C, **40**, 100001 (2016)

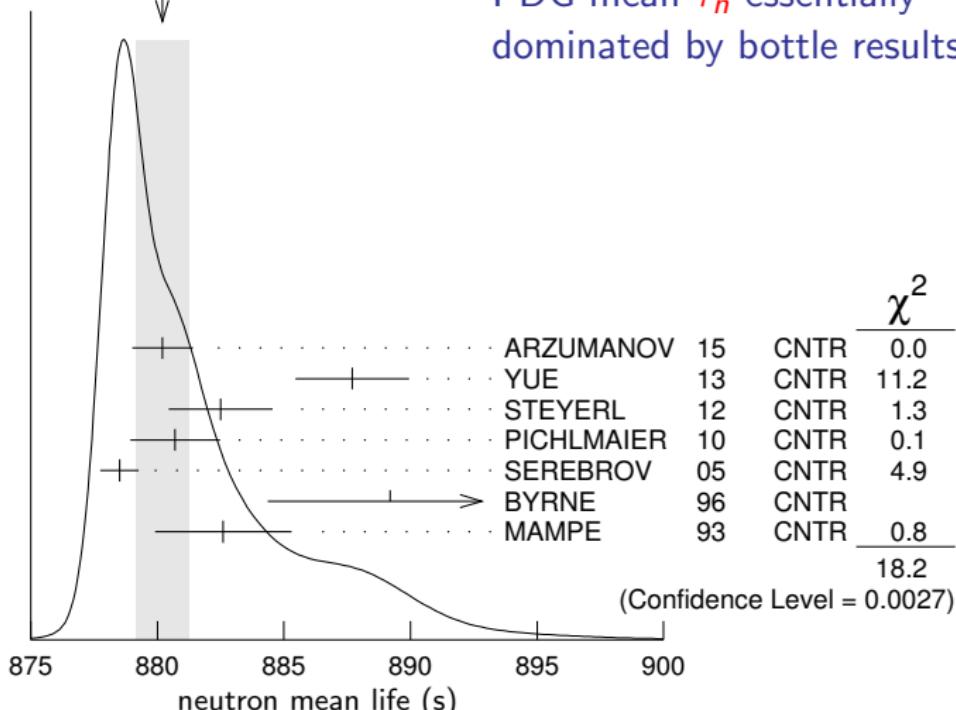


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WEIGHTED AVERAGE
880.2±1.0 (Error scaled by 1.9)

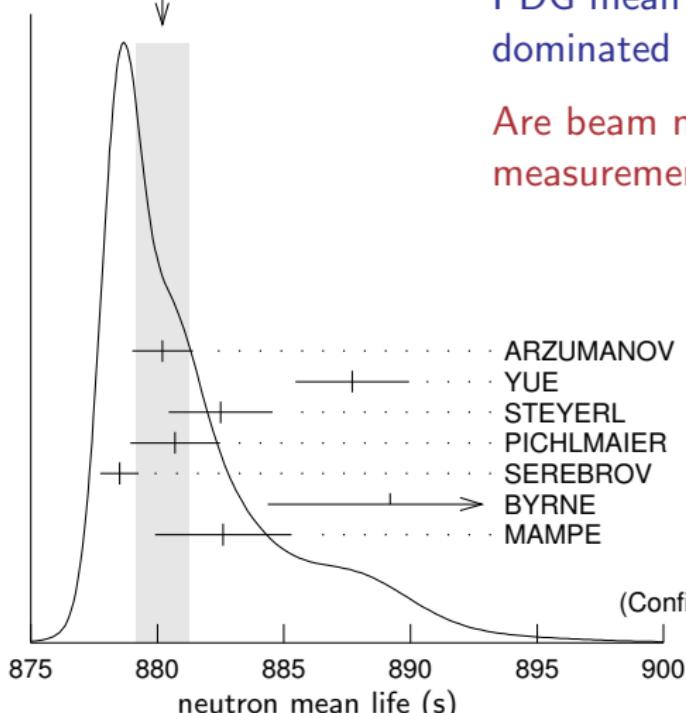
PDG mean τ_n essentially
dominated by bottle results!



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			χ^2
ARZUMANOV	15	CNTR	0.0
YUE	13	CNTR	11.2
STEYERL	12	CNTR	1.3
PICHLMAIER	10	CNTR	0.1
SERE BROV	05	CNTR	4.9
BYRNE	96	CNTR	
MAMPE	93	CNTR	0.8
			18.2
(Confidence Level = 0.0027)			

Neutron decay correlations



Neutron beta decay correlation observables (SM)

$$\frac{d^5\Gamma}{dE_e d^2\Omega_e d^2\Omega_\nu} = \xi(E_e) \left[1 + \color{red}{a} \frac{\vec{p}_e \cdot \vec{p}_\nu}{E_e E_\nu} + \color{red}{b} \frac{m}{E_e} + \langle \vec{\sigma}_n \rangle \cdot \left(\color{red}{A} \frac{\vec{p}_e}{E_e} + \color{red}{B} \frac{\vec{p}_\nu}{E_\nu} \right) + \dots \right]$$

where

$$\xi(E_e) = \frac{\color{blue}{G_F^2 V_{ud}^2}}{32\pi^5} p_e E_e (E_0 - E_e) (1 + 3\lambda^2) f_{\text{Fermi}}^{Z=1}(E_e)$$



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In SM:

$$\color{red}{a} = \frac{1 - |\lambda|^2}{1 + 3|\lambda|^2} \quad \color{red}{A} = -2 \frac{|\lambda|^2 + \text{Re}(\lambda)}{1 + 3|\lambda|^2}$$

$$\color{red}{B} = 2 \frac{|\lambda|^2 - \text{Re}(\lambda)}{1 + 3|\lambda|^2} \quad \lambda = \frac{G_A}{G_V} \quad (\text{with } \tau_n \Rightarrow \text{CKM } V_{ud})$$

also proton asymmetry: $\color{red}{C} = \kappa(\color{red}{A} + \color{red}{B})$ where $\kappa \simeq 0.275$.



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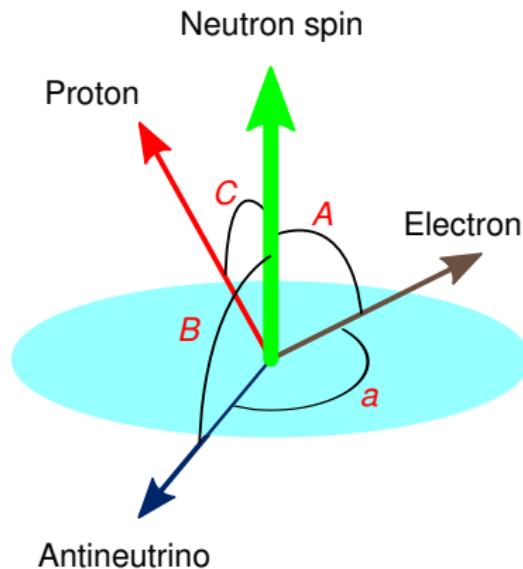
$$\color{red}B = 2 \frac{|\lambda|^2 - \text{Re}(\lambda)}{1 + 3|\lambda|^2} \quad \lambda = \frac{G_A}{G_V} \text{ (with } \tau_n \Rightarrow \text{CKM } V_{ud})$$

also proton asymmetry: $\color{red}C = \kappa(A + B)$ where $\kappa \simeq 0.275$.

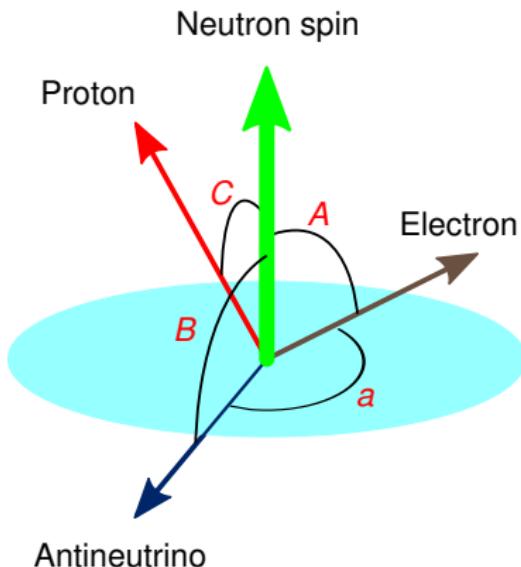
\Rightarrow SM overconstrains a, A, B observables in n β decay!
Fierz interf. term b brings add'l. sensitivity to non-SM processes!



Neutron decay correlation parameters visualized



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In unpolarized neutron decay:

a ... electron–neutrino correlation

In polarized neutron decay:

A ... beta (electron) asymmetry

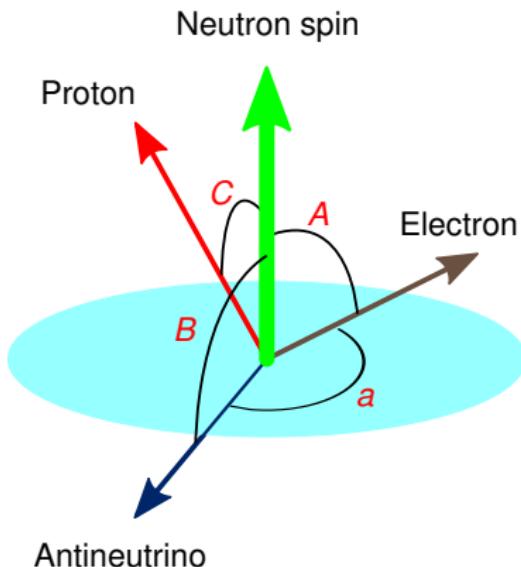
B ... (anti)neutrino asymmetry

C ... proton asymmetry

Parameters **a** , **A** , **B** are all independent functions of $\lambda = G_A/G_V$.

[**C** is a superposition of **A** and **B** .]

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In polarized neutron decay:

A ... beta (electron) asymmetry

B ... (anti)neutrino asymmetry

C ... proton asymmetry

Parameters a , A , B are all independent functions of $\lambda = G_A/G_V$.

[C is a superposition of A and B].

Note: If n , p were not hadrons (e.g., if they were leptons), we'd have $G_V = 1$ and $G_A = -1$; the deviations reflect the hadronic nature of the nucleons.

Sensitivity to λ

The current world averages are approximately:

$$a = -0.103(4) \quad A = -0.118(1) \quad B \simeq 0.981(3)$$



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Sensitivity to $\lambda = G + A/G_V$:

$$\frac{da}{d\lambda} \simeq -0.30 \quad \frac{dA}{d\lambda} \simeq -0.37 \quad \frac{dB}{d\lambda} \simeq -0.076$$



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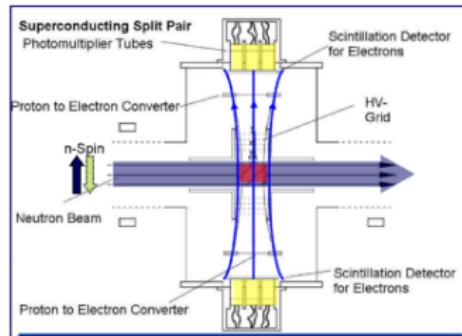
In fact, majority of information on λ comes from A , the **beta asymmetry**.

The recent decade has witnessed a strong push on measurements of a .



On the measurements of A (the two most recently published results)

PERKEO II (2013) $d\lambda/\lambda = 0.11\%$



Cold Neutron Beam (at ILL)

Decay rate: $\sim 375 \text{ s}^{-1}$

Polarization: 99.7(1)

(Crossed SM polarizer, AFP flipper, 3He analyzer)

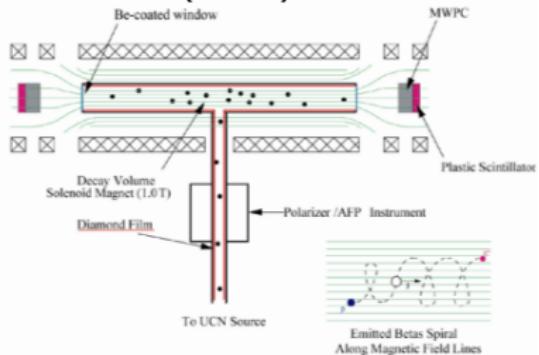
→ Background Corr: 0.09(9)%

Scattering Corr.: 0.08(8)%

→ Mirror Effect: 0.6(2)%

$A\beta = -0.11972(+63,-55)$

UCNA (2013) $d\lambda/\lambda = 0.24\%$



Ultracold Neutrons (at LANL)

→ Decay rate: $\sim 30 - 60 \text{ s}^{-1}$

→ Polarization: 99.33(56)

(Magnetic retarding pot. Polarizer/analyzer, AFP flipper)

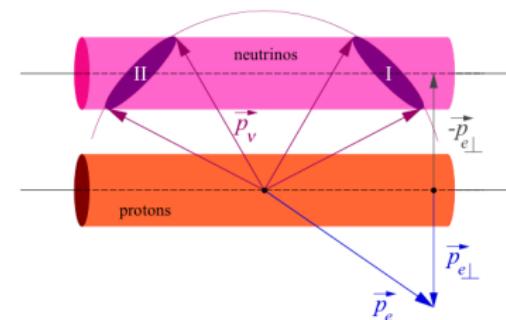
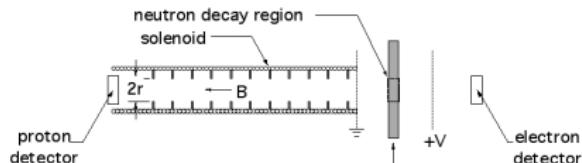
→ Background Corr: 0.01(2)

→ Scattering Corr.: 0.15(43)

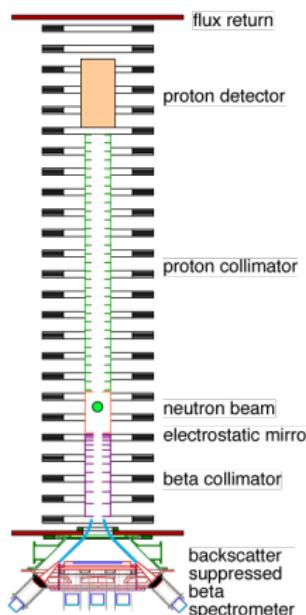
→ Energy Recon: 0.00(31)

$A\beta = -0.11954(55)_{\text{stat}}(98)_{\text{sys}}$

Example of *a* measurement: aCORN at NIST

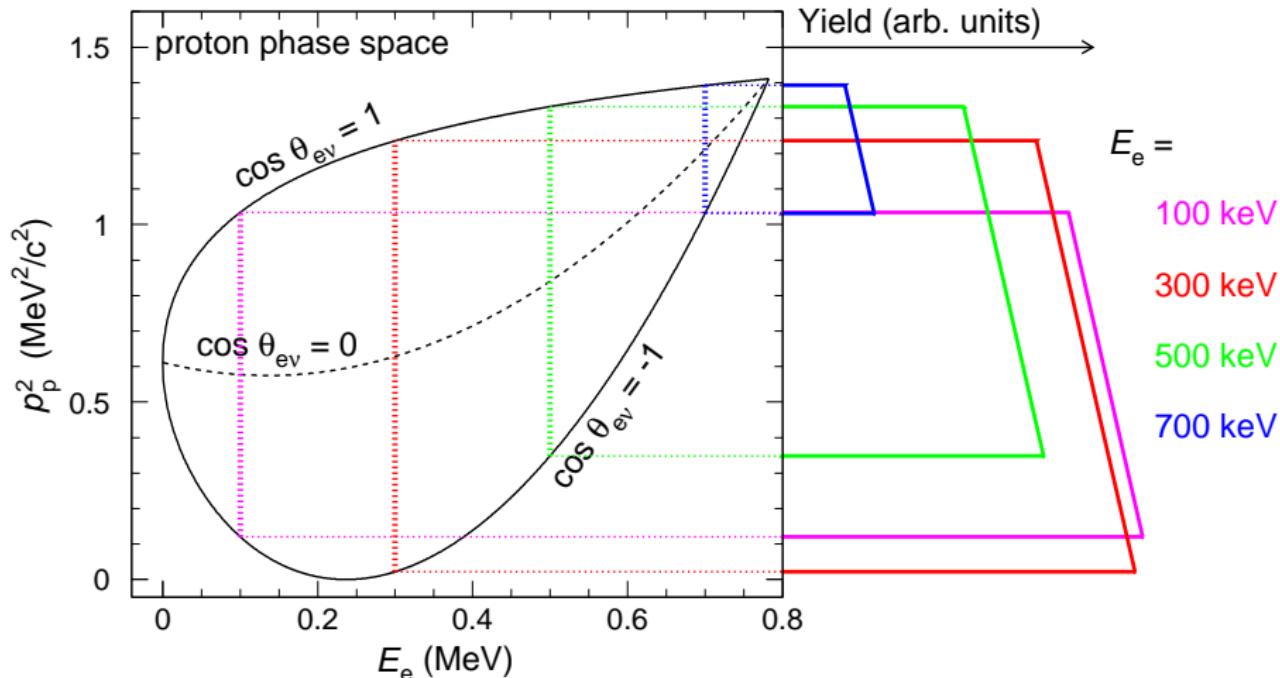


actual design:



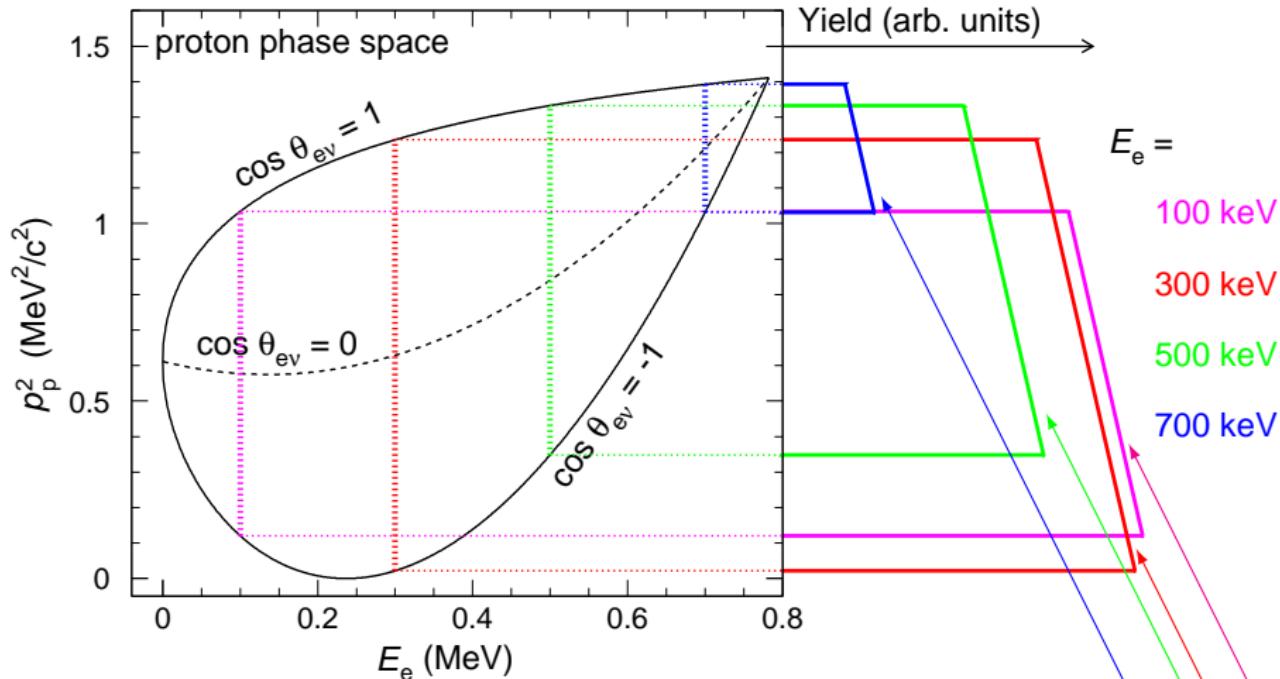
- ▶ uses a portion of the full p - e phase space (only the region with $|\cos \theta_{ev}| \simeq 1$; see Nab slides),
- ▶ demanding systematics,
- ▶ being moved to new NG-C beamline.

Future of a measurement: Nab at SNS



NB: For a given E_e , $\cos \theta_{e\nu}$ is a function of p_p^2 only.

Future of a measurement: Nab at SNS



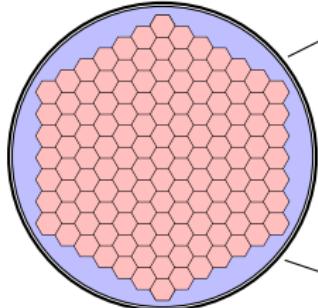
NB: For a given E_e , $\cos \theta_{e\nu}$ is a function of p_p^2 only.

Slope $\propto a$

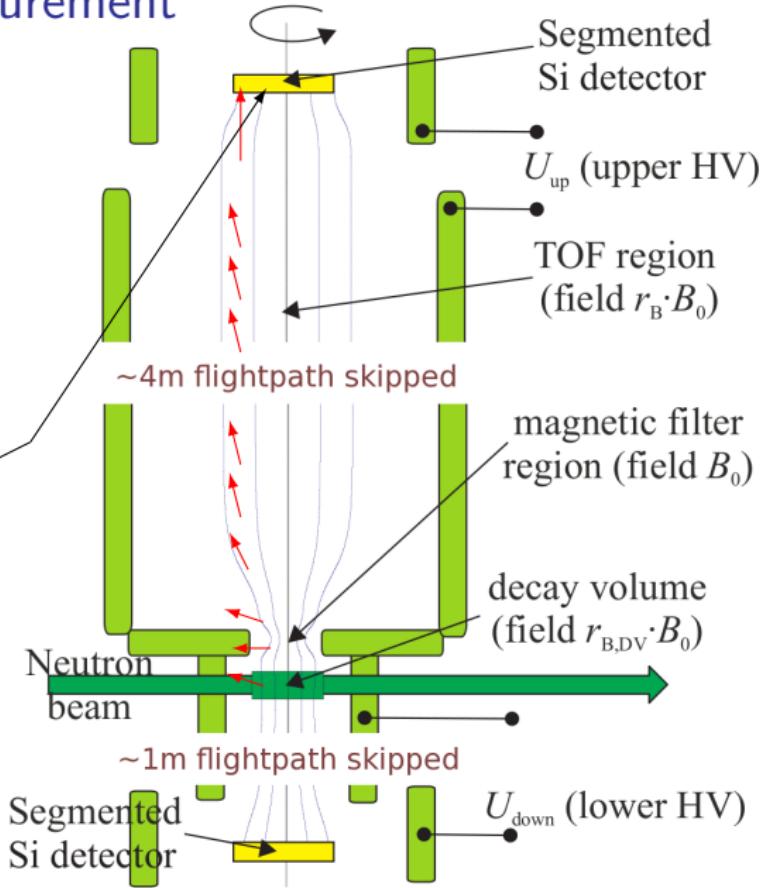
Numerous consistency checks are built-in!

Nab principles of measurement

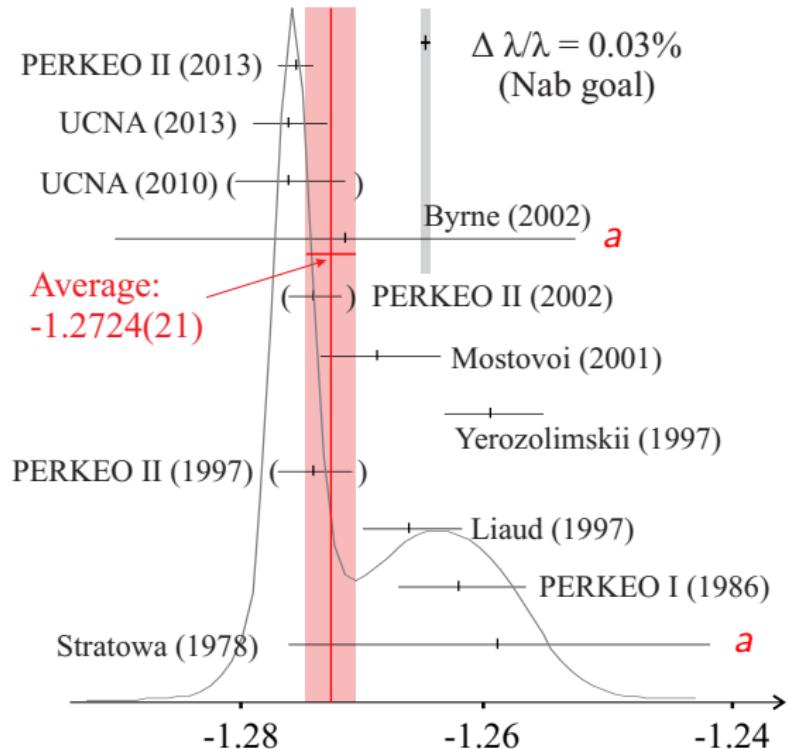
- ▶ Collect and detect both **electrons** and **protons** from neutron beta decay.
- ▶ Measure E_e and TOF_p and reconstruct decay kinematics
- ▶ Segmented Si det's:



Mounting at SNS in 2017



Summary of $\lambda = G_A/G_V$ values



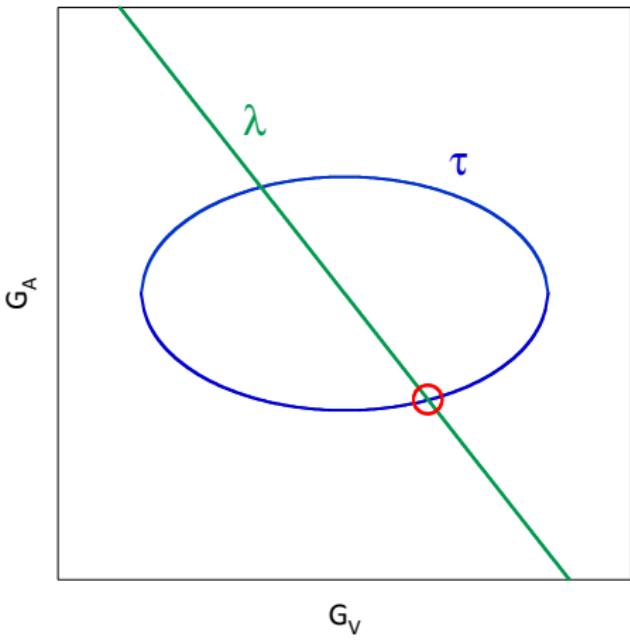
PDG value slightly different;

Confidence Level = 2×10^{-4}

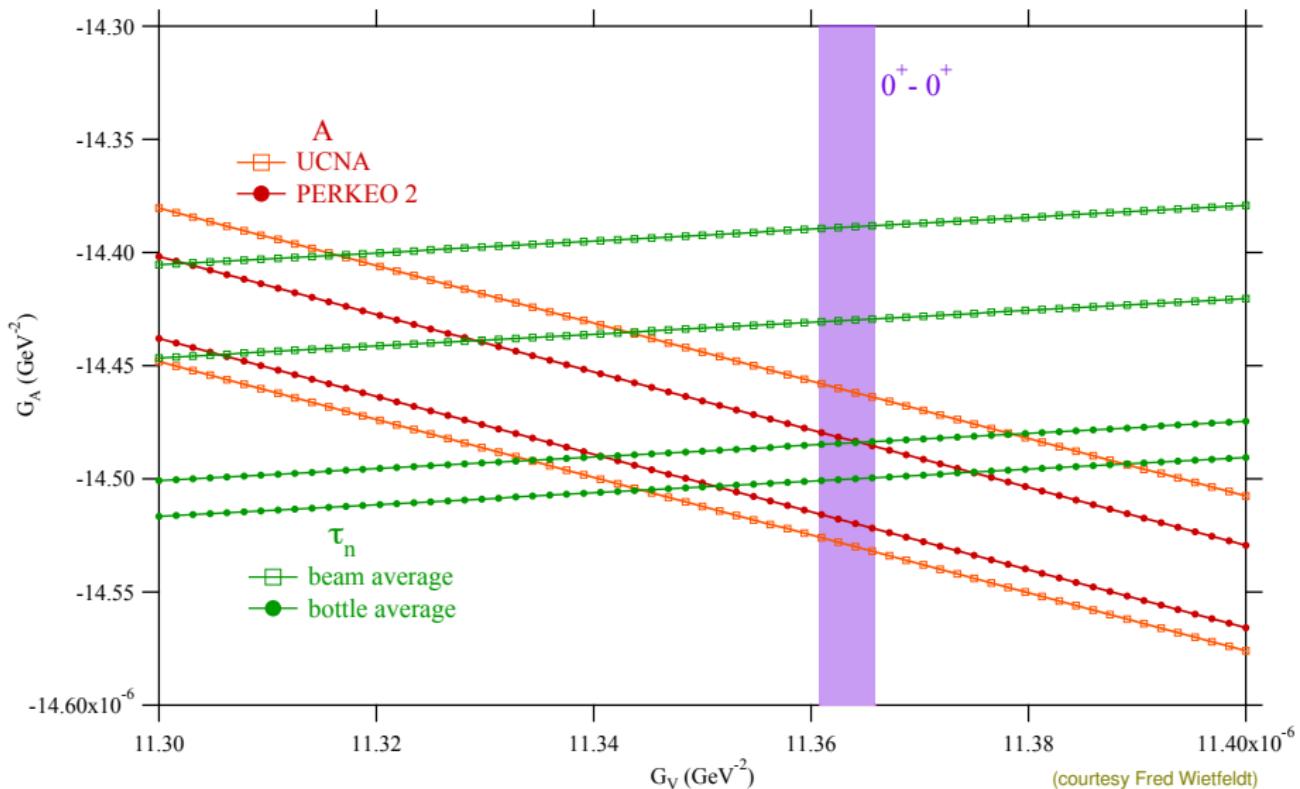
Combining the τ_n and λ values

Recall the combined plot:

It's time to zoom in on the red circle.



Combining the τ_n and λ values



⇒ Need OOM improvement in λ , and τ_n inconsistencies to be resolved.



Ongoing and planned neutron β decay measurements

experiment	obs.	uncert.	technique	facility/group
BL2	τ	1 s	cold n beam	NIST
BL3	τ	< 0.3 s	cold n beam	NIST
JPARC τ	τ	< 0.3 s	cold n beam	J-PARC
Gravitrap	τ	0.2 s	UCN/material bottle	ILL and PNPI
Ježov	τ	0.3 s	UCN/magnetic bottle	ILL
HOPE	τ	0.5 s	UCN/magnetic bottle	ILL (supertherm. src.)
PENELOPE	τ	0.1 s	UCN/magnetic bottle	TU Munich
Mainz	τ	0.2 s	UCN/magnetic bottle	Mainz TRIGA source
UCN τ	τ	\ll 1 s	UCN/magnetic bottle	LANSCE UCN source
UCNA	A	0.2%	UCN	LANSCE UCN source
PERKEO III	A	0.19%	cold n beam	ILL and MLZ (Munich)
PERC	A	0.05%	cold n beam	Munich
aCORN	a	\sim 1%	cold n beam	NIST
aSPECT	a	\sim 1%	cold n beam	ILL/Mainz
Nab	a	0.1%	cold n beam	SNS



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A flurry of activity: stay tuned!



Pion beta decay

$$\pi^+ \rightarrow \pi^0 e^+ \nu_e$$



Pion beta: $\pi^+ \rightarrow \pi^0 e^+ \nu_e$ (π_{e3}) decay rate in the SM

A pure $0^- \rightarrow 0^-$ vector decay (like SAF nuclear decays), but without nuclear-theoretical uncertainties.

$$\Gamma = \Gamma_0(1 + \delta_\pi) = \frac{G_F^2 |V_{ud}|^2 \Delta^5}{30\pi^3} f(\epsilon, \Delta) \left(1 - \frac{\Delta}{2m_+}\right)^3 (1 + \delta_\pi),$$

where

$$\Delta = m_+ - m_0 = 4.5936(5) \text{ MeV}, \quad \epsilon = \left(\frac{m_e}{\Delta}\right)^2 \simeq \frac{1}{81} \quad \text{and}$$

$$f(\epsilon, \Delta) = \sqrt{1-\epsilon} \left(1 - \frac{9}{2}\epsilon - 4\epsilon^2\right) + \frac{\epsilon^2}{4} \ln \left(\frac{1 - \sqrt{1-\epsilon}}{\sqrt{\epsilon}}\right) - \frac{3}{7} \frac{\Delta^2}{(m_+ + m_0)^2} \simeq 0.941$$

and $\delta_\pi \simeq 0.035$ is the sum of radiative/loop corrections with $< 0.02\%$ uncertainty.



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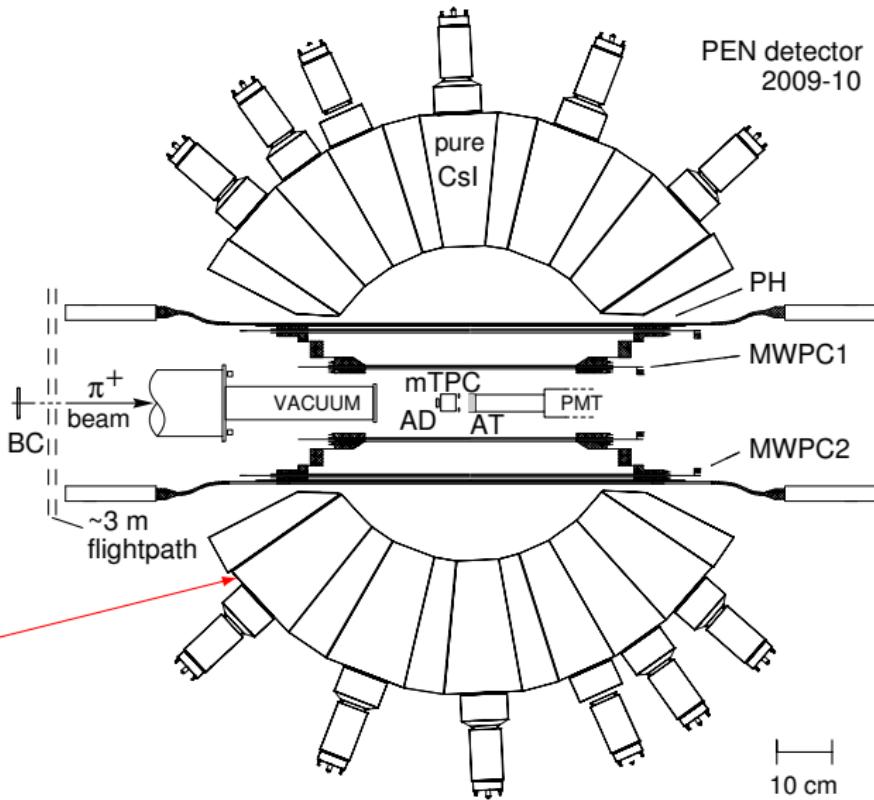
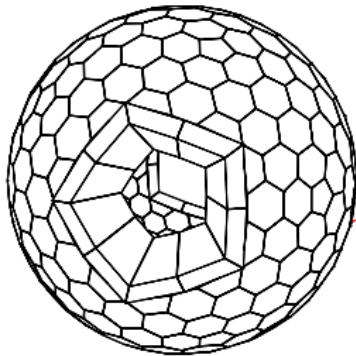
Pion beta decay provides the theoretically cleanest access to V_{ud} .

Huge fly in the ointment: $B \sim 10^{-8}!$



The PIBETA/PEN apparatus

- $\pi E1$ beamline at PSI
- stopped π^+ beam
- active target counter
- 240-detector, spherical pure CsI calorimeter
- central tracking
- beam tracking
- digitized waveforms
- stable temp./humidity



Measured $B_{\pi e_3}$ to $\sim 0.5\%$ [PRL 93 (2004) 181803]

Conclusions and outlook

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- ▶ > 100-fold increase in event statistics/rate!
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 - ▶ Eventually, a more precise value of $\Delta \equiv m_{\pi^+} - m_{\pi^-}$.
- ⇒ For the time being it makes sense to let the neutron measurements play out before a substantial new effort is initiated on pion beta decay.

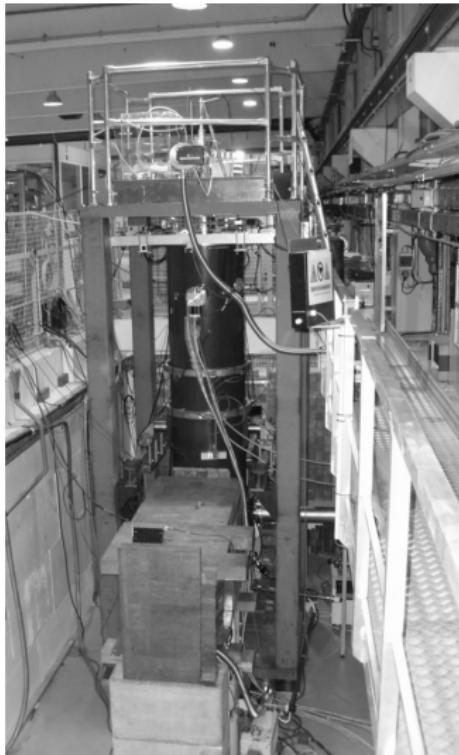
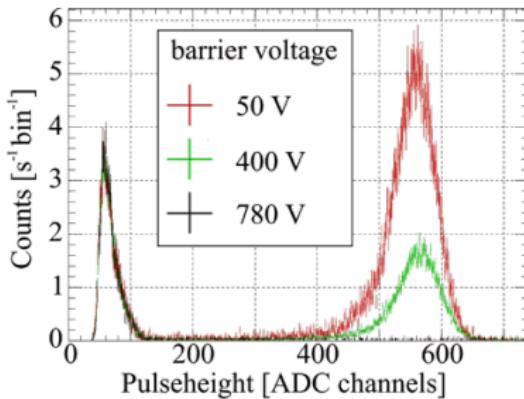
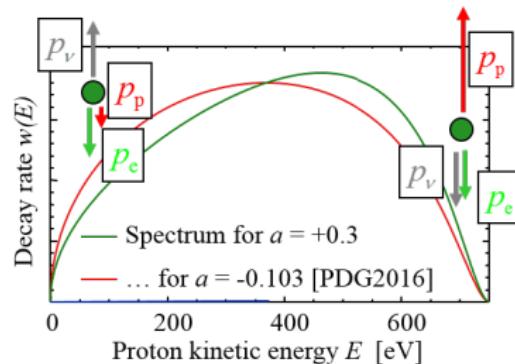


Additional slides



aSPECT: a measurement of a at ILL

Use blocking potential to map proton yield as $f(E_p)$:



Nab spectrometer coil design and \vec{B} field profile

