TATA INSTITUTE OF FUNDAMENTAL RESEARCH

School of Mathematics

February 2, 2018

<u>NOTICE</u>

Federico Binda from University of Regensburg, Germany, will speak on

'Laumon 1-motives and motives with modulus'

from 04.00 p.m. to 05.00 p.m. on Wednesday, 07 February, 2018 in the **Lecture Room (AG-77)** of the Institute.

Vivek V. Vengurlekar

Abstract

In 1974, Deligne introduced the category \mathcal{M}_1 of 1-motives (built out of semi-abelian varieties and lattices) as algebraic analogue of the category of mixed Hodge structures of level ≤ 1 . Today, thanks to the works of Ayoub, Barbieri-Viale, Kahn, Orgogozo and Voevodsky, we know that the derived category $D^{b}(\mathcal{M}_{1,\mathbb{O}})$ can be embedded as a full subcategory of $\mathbf{DM}_{gm}^{eff}(k) \otimes$ \mathbb{Q} , and that this embedding admits a left adjoint, the so-called "motivic Albanese functor". Deligne's original definition was later generalised by Laumon, introducing what are now known as "Laumon 1-motives", to include in the picture all commutative connected group schemes (rather then only semi-abelian varieties). Due to the presence of unipotent groups (such as \mathbb{G}_a), the derived category of this bigger category cannot be realised as a full subcategory of Voevodsky's motives. In this talk, we will explain how at least a piece of this category (the "étale part") can be embedded in the bigger motivic category $MDM^{eff}(k)$ of "motives with modulus", recently introduced by Kahn-Saito-Yamazaki, and that this embedding also admits a left adjoint (a generalized motivic Albanese functor). This is a joint work with Shuji Saito.

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